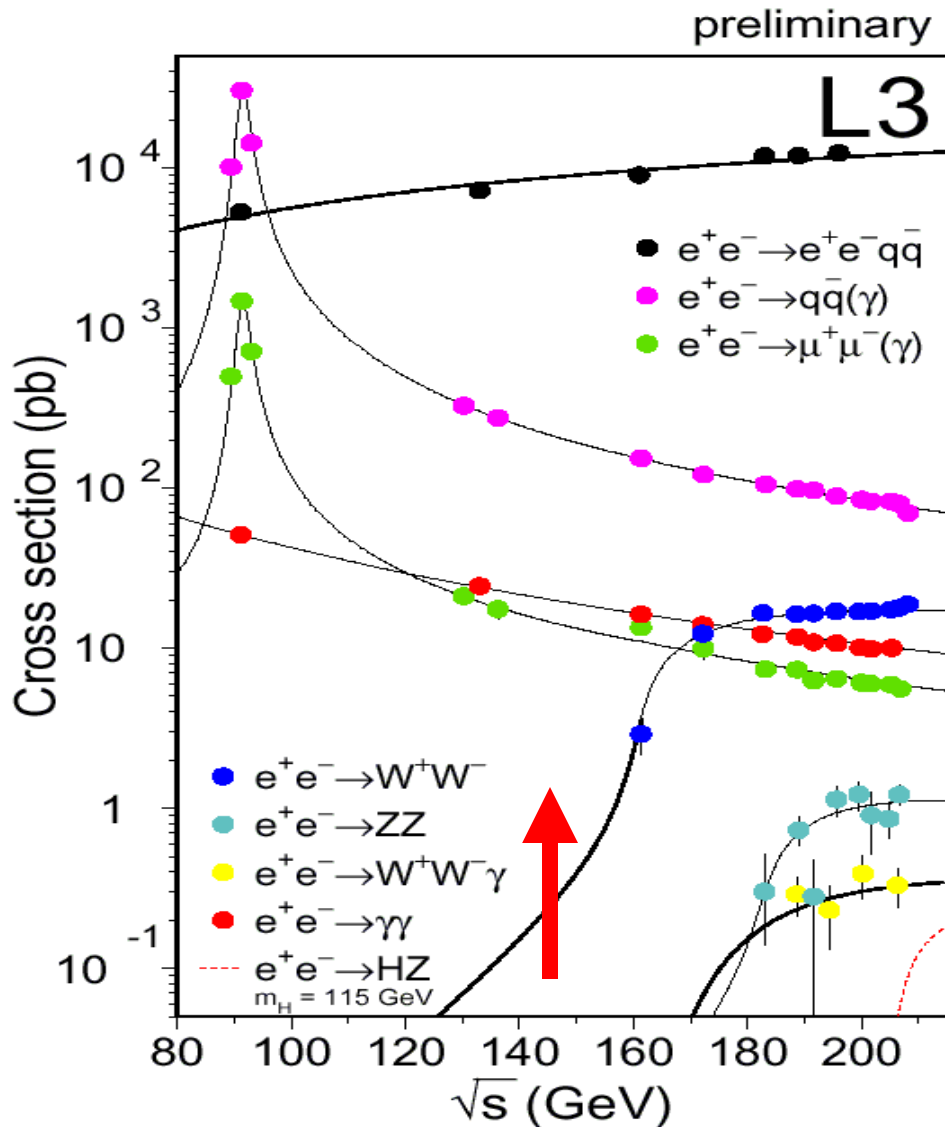

W physics at LEP

María Chamizo
University of Geneva

On behalf of the LEP collaborations

The LEP scan (1989-2000)



➤ **LEPI(1989-1995):**

➤ $\sqrt{s} \sim 91$ GeV

➤ **Z physics**

➤ **LEPII(1996-2000):**

➤ $\sqrt{s} \sim 160-209$ GeV

➤ **W physics**

**WW threshold
@ ~ 160 GeV**

At LEPI

- Indirect measurement of the W mass with an accuracy ~ 25 MeV

$$M_W^2 \left(1 - \frac{M_W^2}{M_Z^2} \right) = \frac{\pi\alpha}{\sqrt{2}G_\mu} (1 + \Delta r_w(\mathbf{m}_t, \mathbf{m}_H) + \Delta\alpha_{\text{em}})$$

- First evidence of contribution of gauge-boson loops to gauge-boson self energies
→ Indirect confirmation of the existence of triple gauge boson couplings (TGC's)



At LEP II

ECFA WORKSHOP ON LEP 200

Aachen, Federal Republic of Germany
29 September - 1 October 1986



LEP200 WORKSHOP SUMMARY

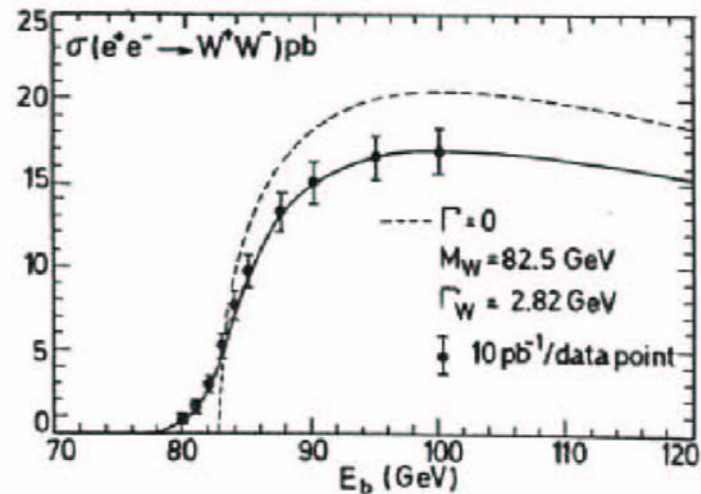
D.H. Perkins,
University of Oxford, Nuclear Physics Laboratory, Oxford.

4. W PAIR PRODUCTION AND THE W MASS

For an integrated luminosity of 500pb^{-1} we expect for $\sigma = \sigma_{\text{max}}$, 5-10,000 events for each of the 4 LEP experiments.

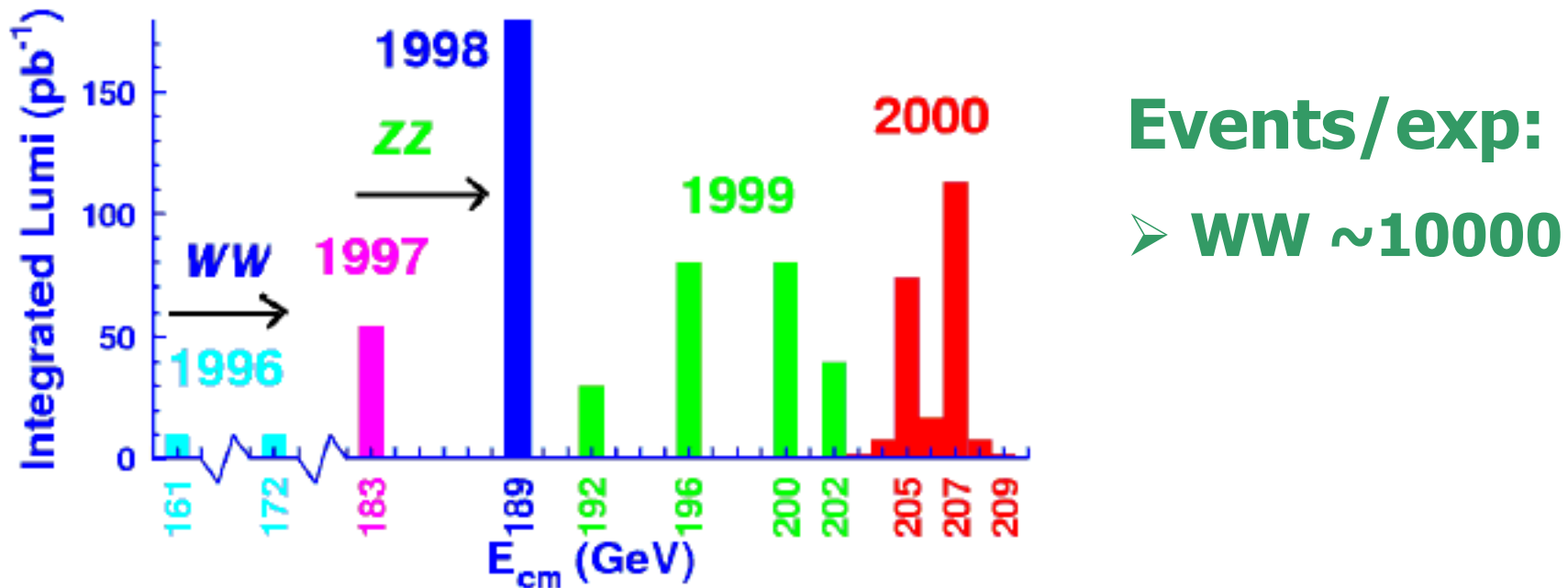
This constitutes the “final check” of the EWI theory via:

- $e^+e^- \rightarrow W^+W^-$; checking the gauge vertices.
- precise $M_{W\pm}$; radiative corrections sensitive to M_H etc.
- measurement of σ_L and σ_T for the W from production angular distribution, detection of anomalies in electric and magnetic moments.
- study of $W \rightarrow \ell\nu$, $Q\bar{Q}$; precise measurements of KM matrix element, and of lepton universality.



$\Delta M_W = 60\text{MeV}$

Luminosity per experiment



Total integrated luminosity from 1996-2000:

$$\int L dt \approx 700 \text{ pb}^{-1} / \text{exp}$$

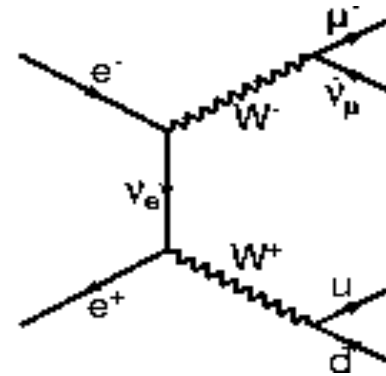
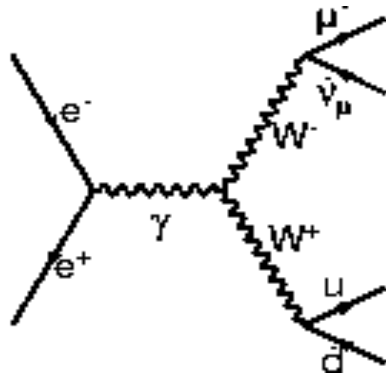
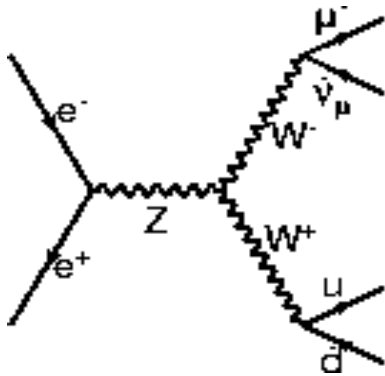
@ $\sqrt{s} \sim 161 - 209 \text{ GeV}$

W production and selection

W production at LEP

Ws are **pair** produced

Dominates at threshold



So called CC03
processes

$$\sigma \propto \beta_W^3$$

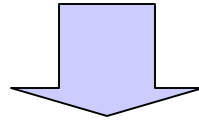
$$\sigma \propto \beta_W$$

P_W = average
W momentum

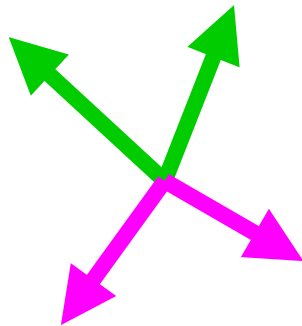
\sqrt{s} (GeV)	172	183	189	200	208
P_W (GeV)	30	44	50	60	66

Topologies

$$B(W \rightarrow qq') \approx 68\%$$

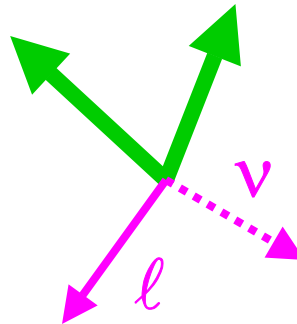


Hadronic



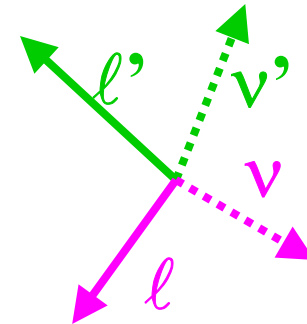
45.6%

Semi-leptonic



43.8%

Fully leptonic

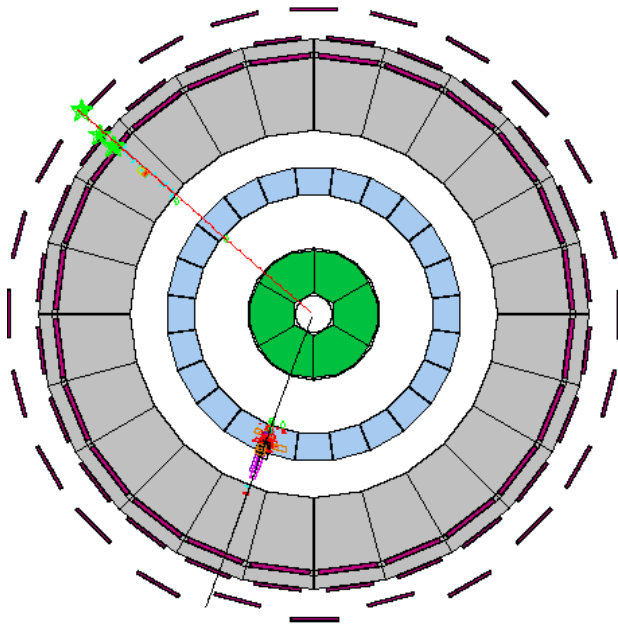


10.6%

Very limited use for the mass analysis

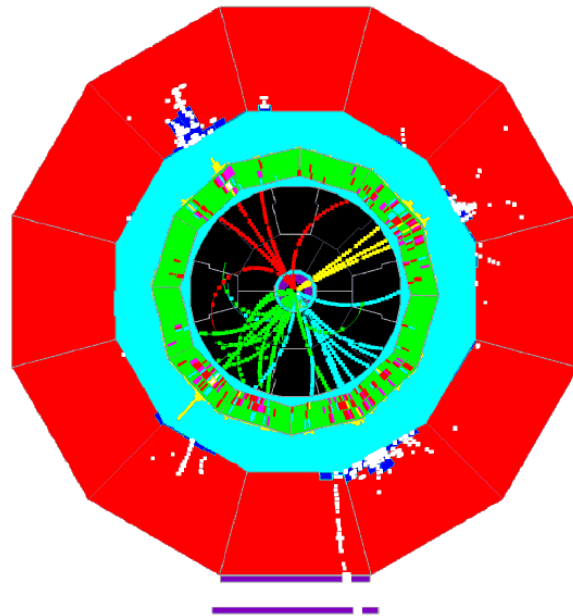
WW events

$WW \rightarrow l\nu l\nu$



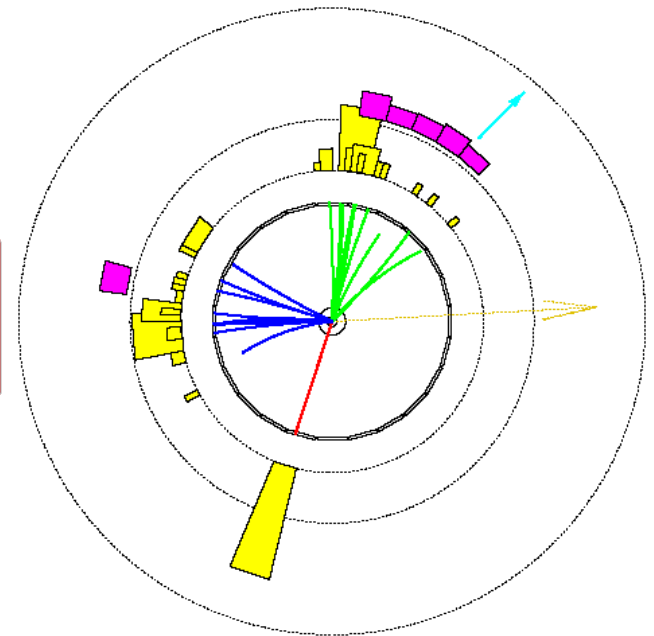
DELPHI

$WW \rightarrow qqqq$



ALEPH

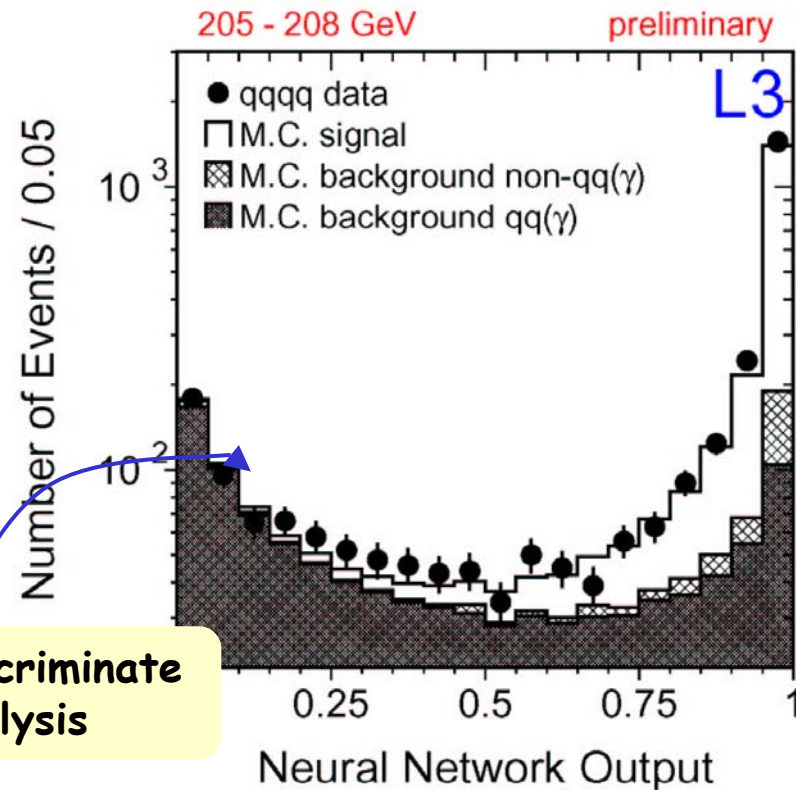
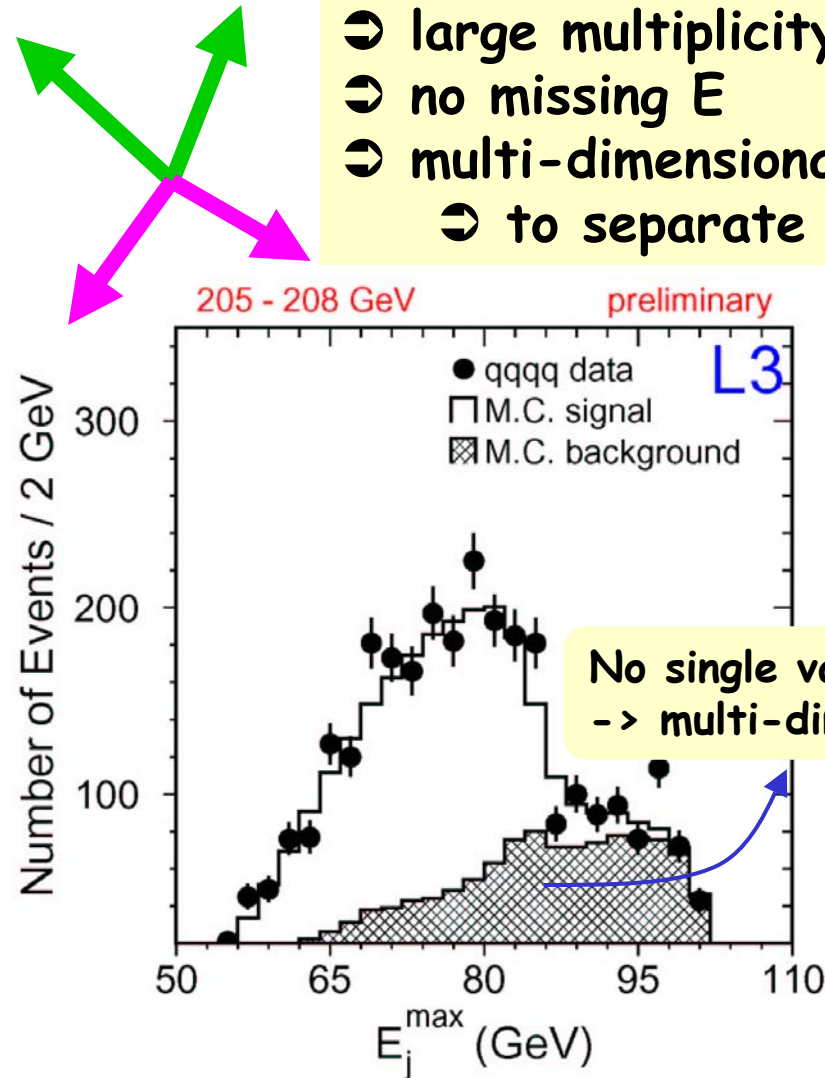
$WW \rightarrow e\nu qq$



OPAL

qqqq selection

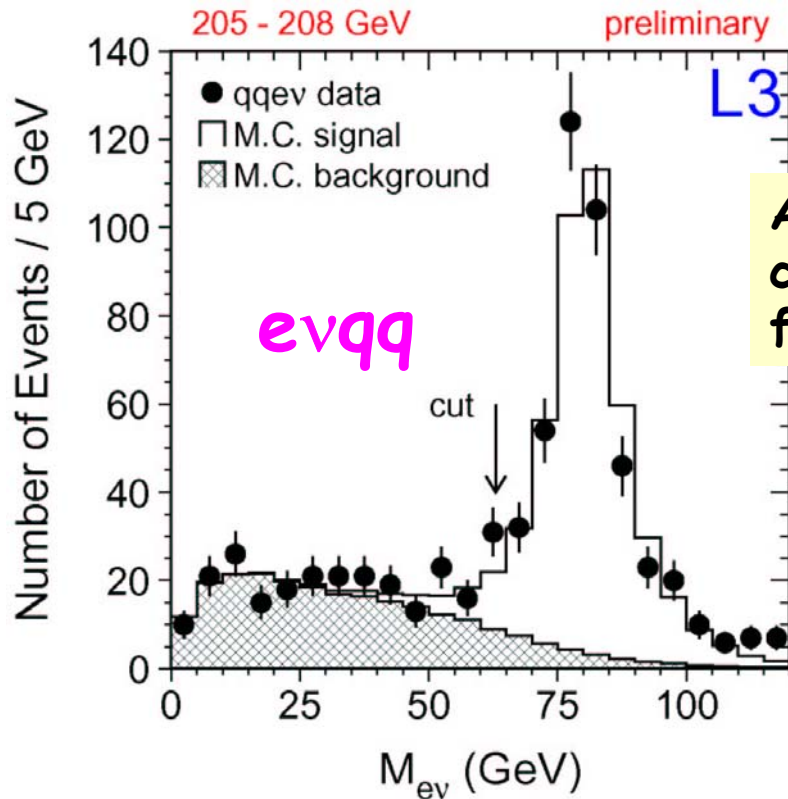
- ⇒ large multiplicity
- ⇒ no missing E
- ⇒ multi-dimensional analysis
 - ⇒ to separate qq bkg



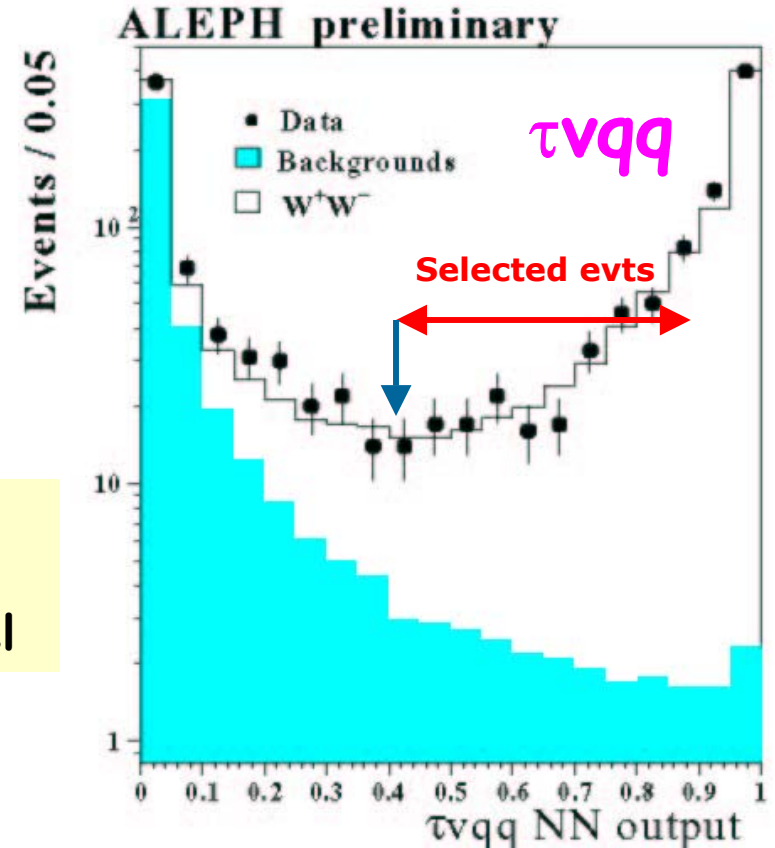
'Typical'	4q
Efficiency (%)	90
Purity (%)	85

$\nu q q$ selection

- ⇒ isolated high P lepton
- ⇒ missing E
- ⇒ 2 jets



A bit more complicated for τ channel

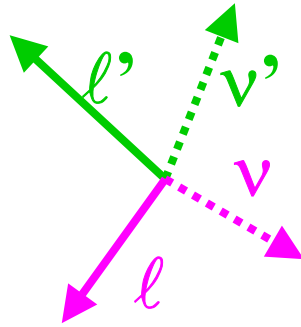


'typical'	e, μ	τ
Efficiency (%)	85	50-80
Purity (%)	95	85

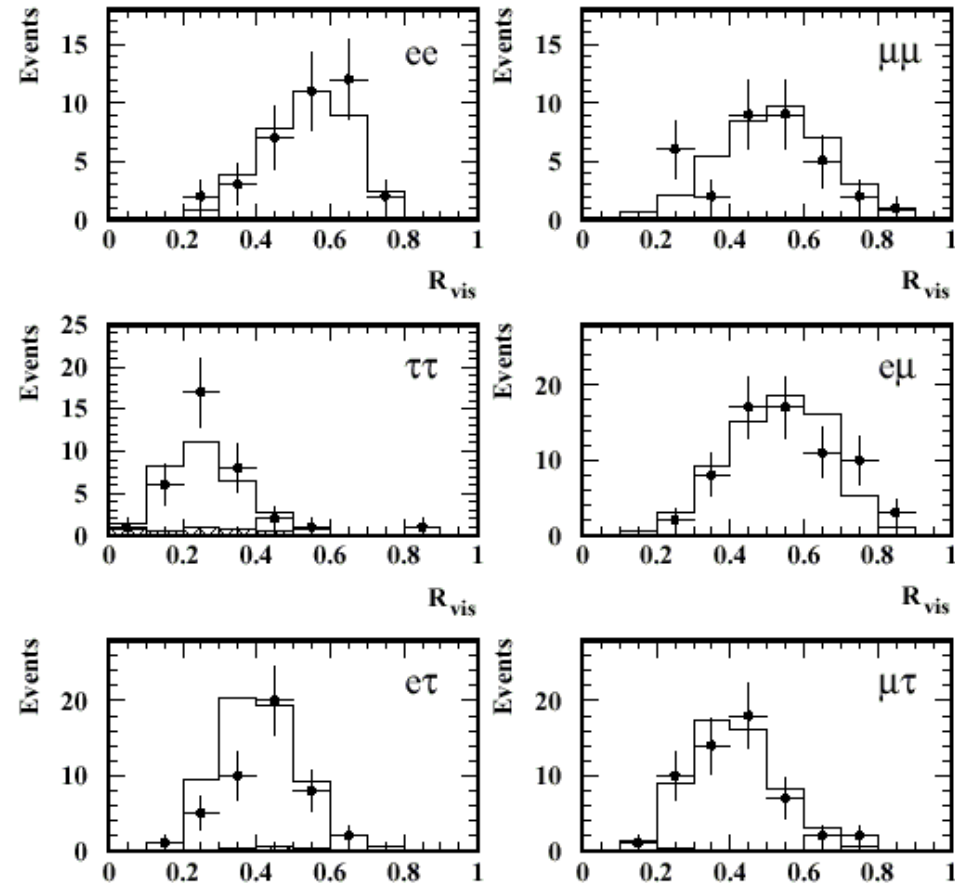
$l\nu l\nu$ selection

6 topologies (ee , $e\mu$, $e\tau$,
 $\mu\mu$, $\mu\tau$, $\tau\tau$)

⇒ 2 acoplanar,
acollinear high P
leptons
⇒ missing E



OPAL $\sqrt{s}=189$ GeV



Rescaled visible energy

'Typical'	$e\mu$, ee , $\mu\mu$	$e\tau$, $\mu\tau$	$\tau\tau$
Efficiency (%)	60-70	40-60	20-45
Purity (%)	95	90	80

Branching Ratios

Cross sections

Preliminary

W branching ratios

➤ Test of lepton universality at 3% level

$$B_\mu / B_e = 1.000 \pm 0.021$$

$$B_\tau / B_e = 1.052 \pm 0.029$$

$$B_\tau / B_\mu = 1.052 \pm 0.028$$

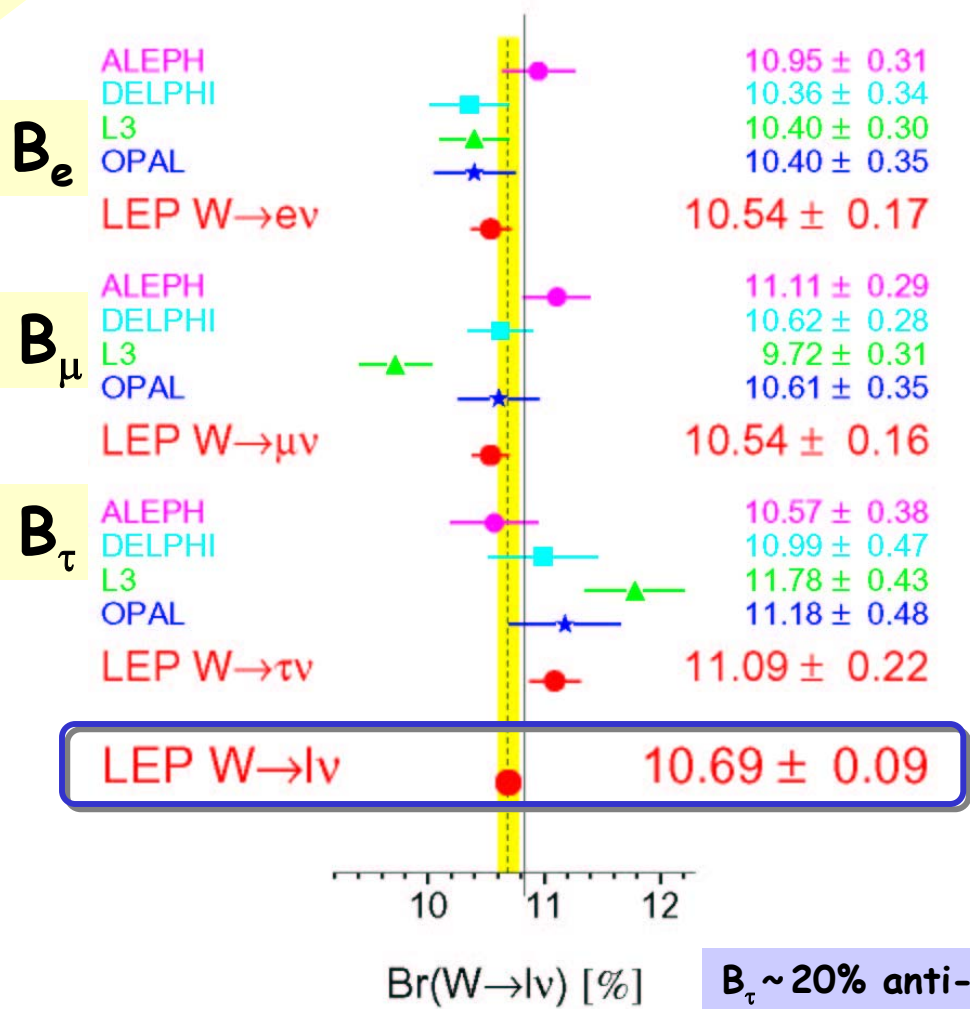
➤ W decay into hadrons

Lepton universality assumed

$$B(W \rightarrow q\bar{q}') = 67.92 \pm 0.27\%$$

➤ SM prediction 67.51%

W Leptonic Branching Ratios

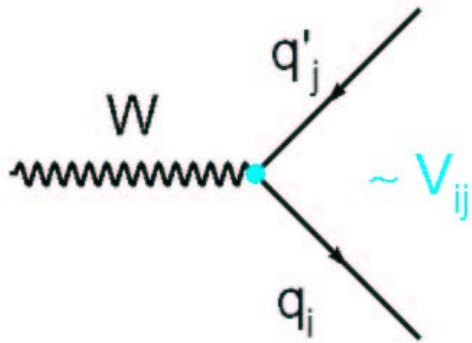


$B_\tau \sim 20\%$ anti-correlated to B_e and B_μ

Preliminary

Vcs CKM matrix element

SM relation between hadronic branching ratio and CKM matrix elements:



$$\frac{B_h}{1 - B_h} = \left(1 + \frac{\alpha_s (M_W^2)}{\pi} \right) \sum_{\substack{i=u,c \\ j=d,s,b}} |V_{ij}^2|$$

$$\alpha_s = 0.121 \pm 0.002$$

$$\sum_{\substack{i=u,c \\ j=d,s,b}} |V_{ij}^2| = 2.039 \pm 0.025 (\mathbf{B}_{W \rightarrow lv}) + 0.001 (\alpha_s)$$

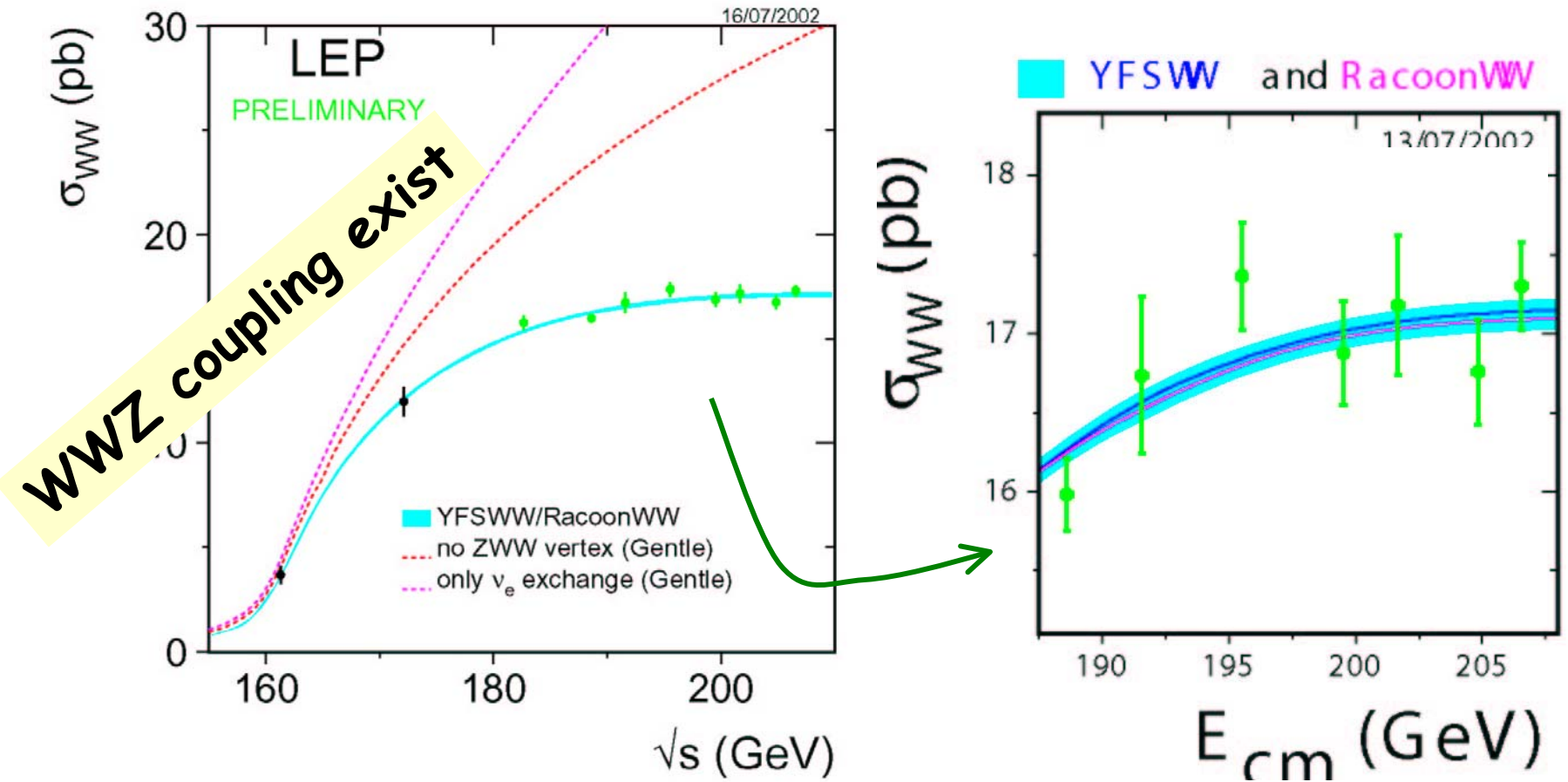
- V_{cs} : the least known CKM matrix element
- Using experimental values of the other CKM elements:

$$|V_{cs}| = 0.996 \pm 0.013$$

Best measurement of V_{cs}

WW cross section

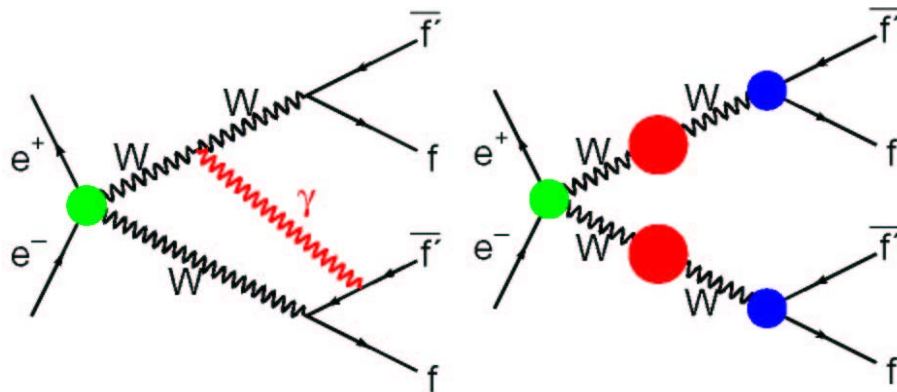
Clear evidence of SU(2)xU(1) gauge structure



Destructive interaction of WWZ and γ WW diagrams

WW cross section

- Computed to better than 0.5%
- 2% beginning of LEP II

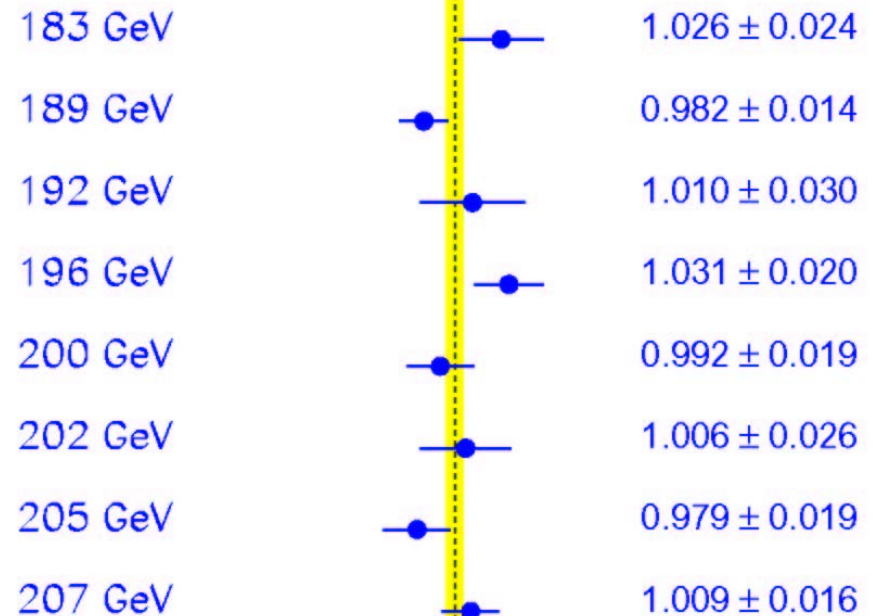


YFSWW / RacoonWW
 ➤ $O(\alpha)$ corrections
 ➤ Double Pole Approximation

Include consistently Γ_W

Measured $\sigma^{WW} / \text{YFSWW}$

PRELIMINARY
13/07/2002

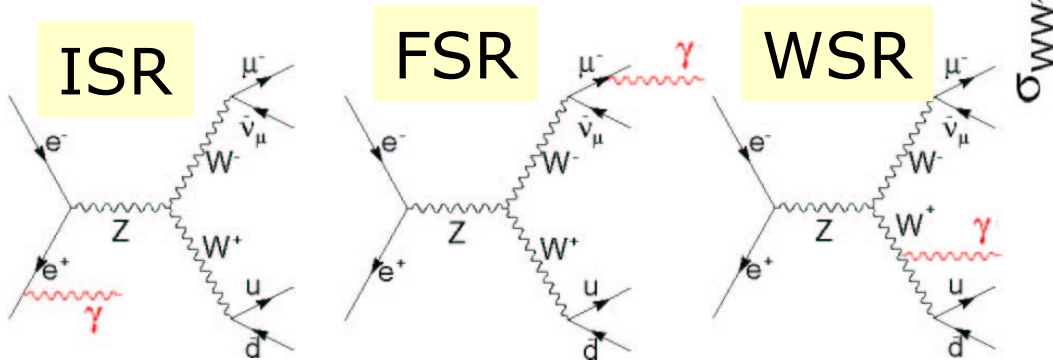


LEP combined 0.997 ± 0.011

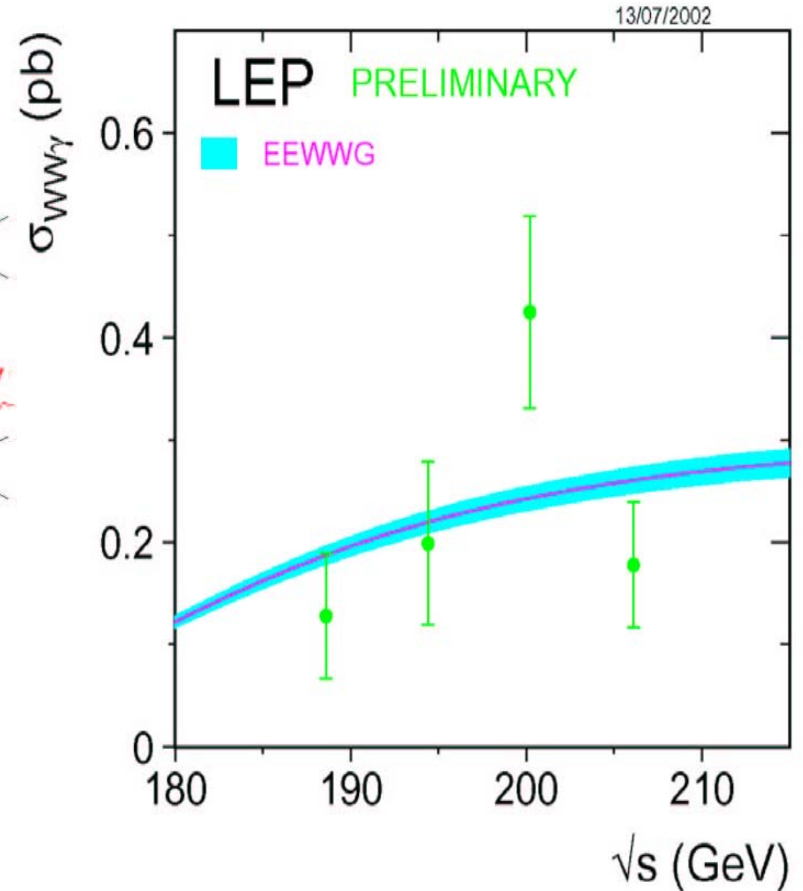


$WW\gamma$ cross section

- Final states with a detected photon



- Test theoretical implementation of radiation
- Used for anomalous $WW\gamma$ and $WWZ\gamma$ couplings

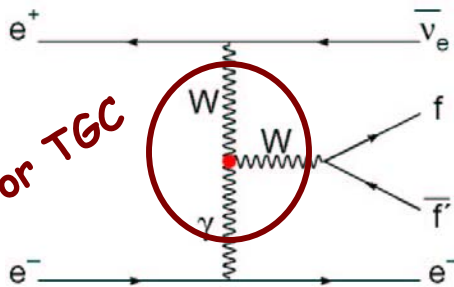


- Only L3 and DELPHI combined

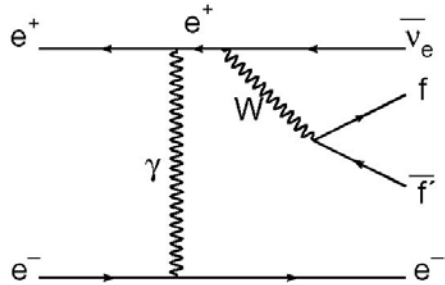
Single W

- γW fusion

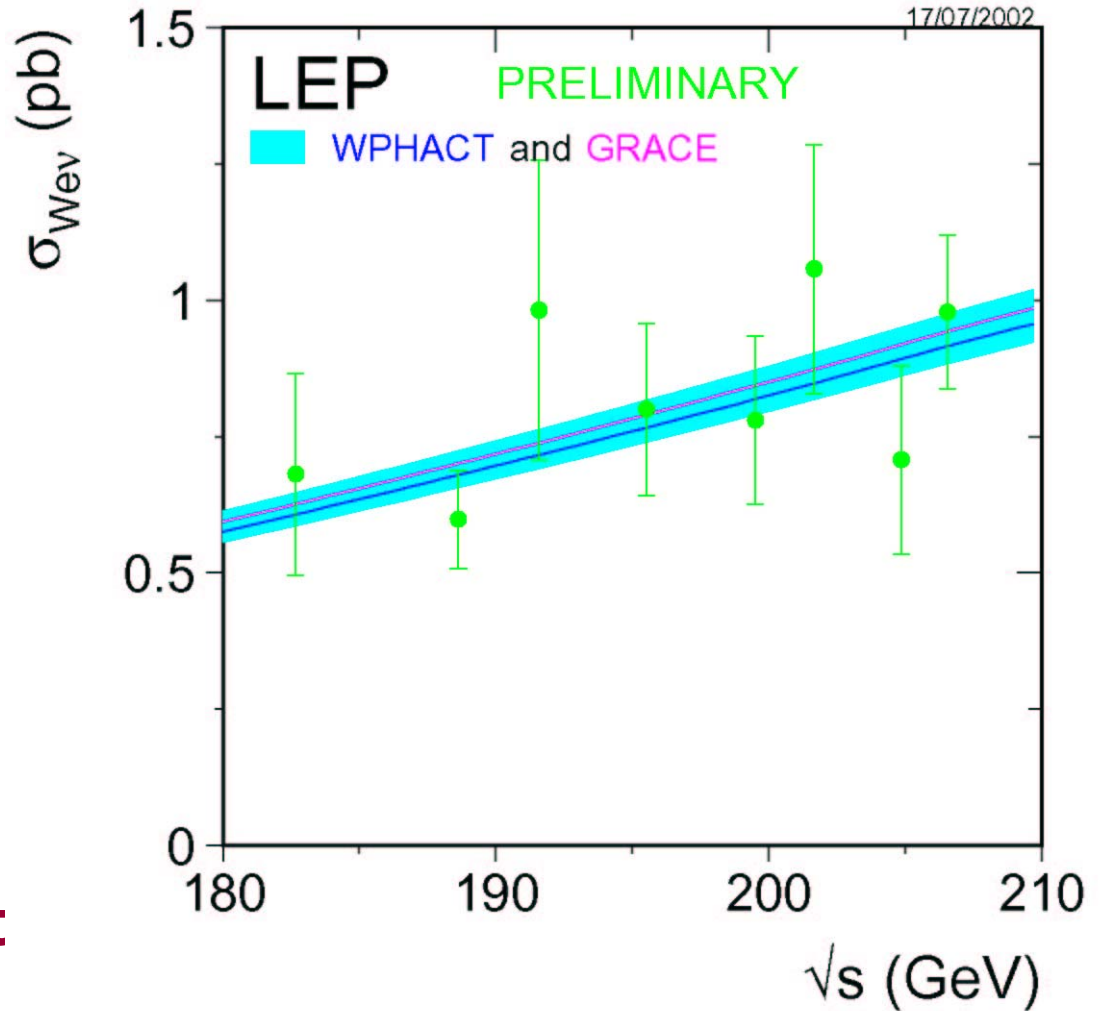
Useful for TGC



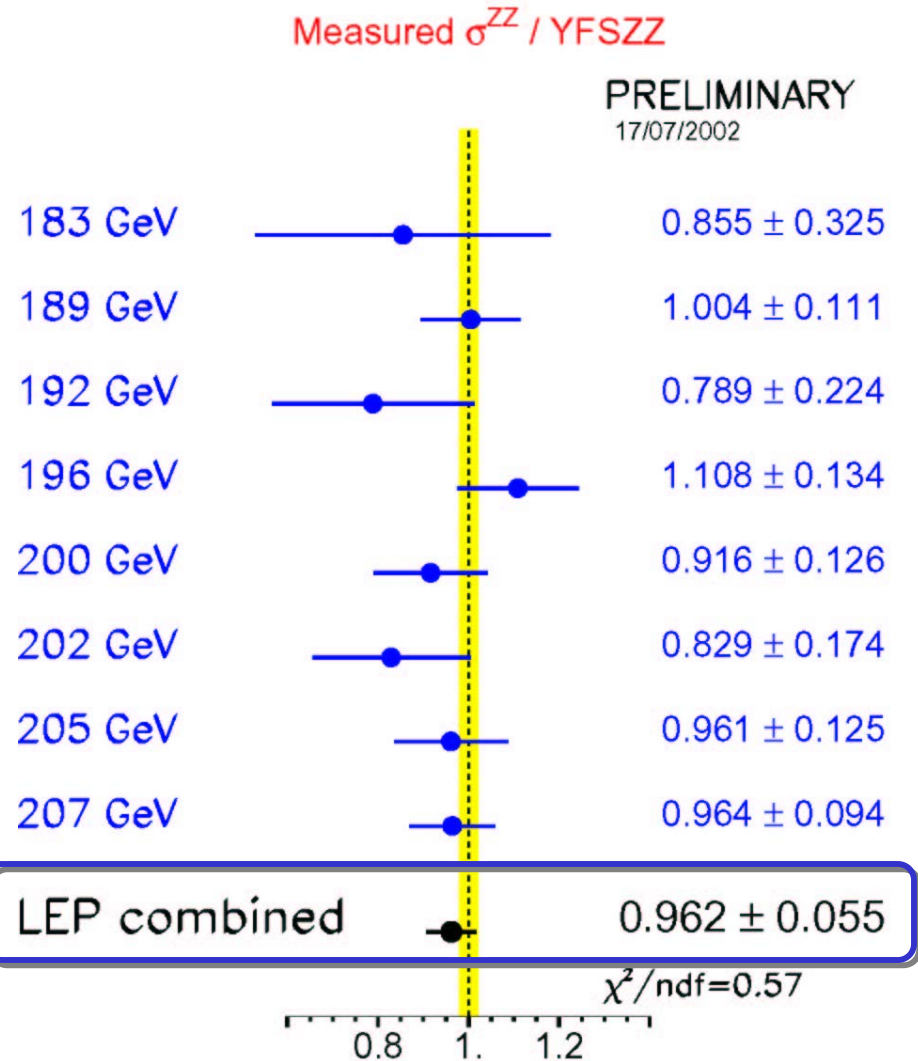
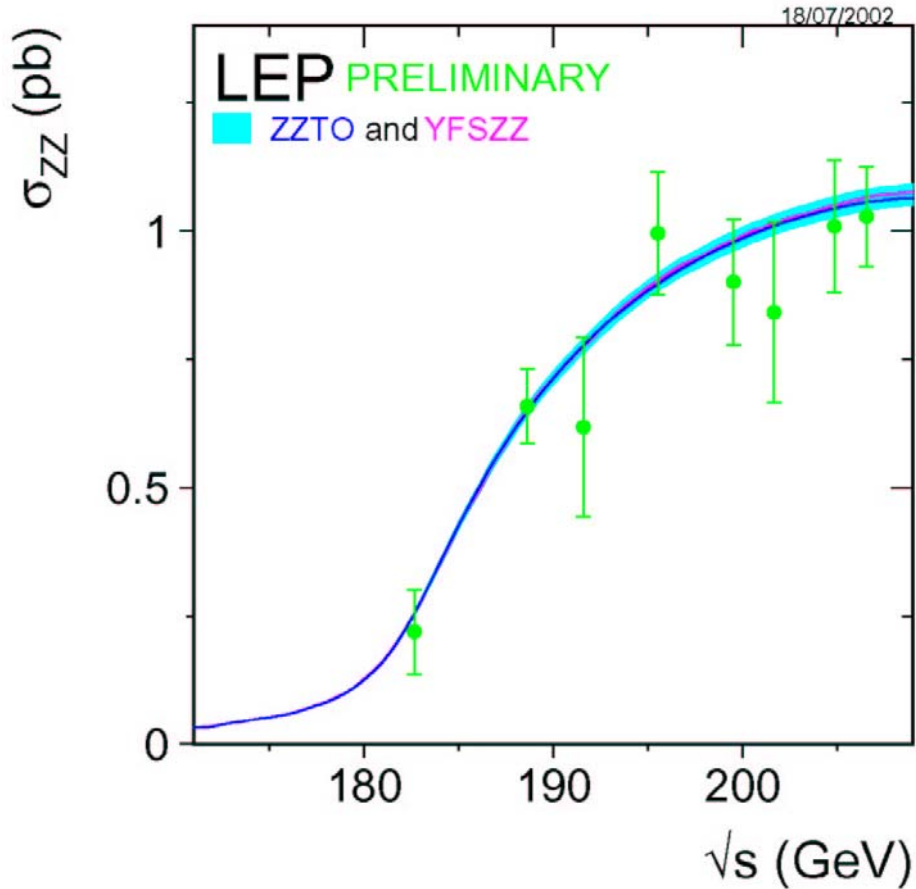
- W-bremsstrahlung



- e escapes undetect



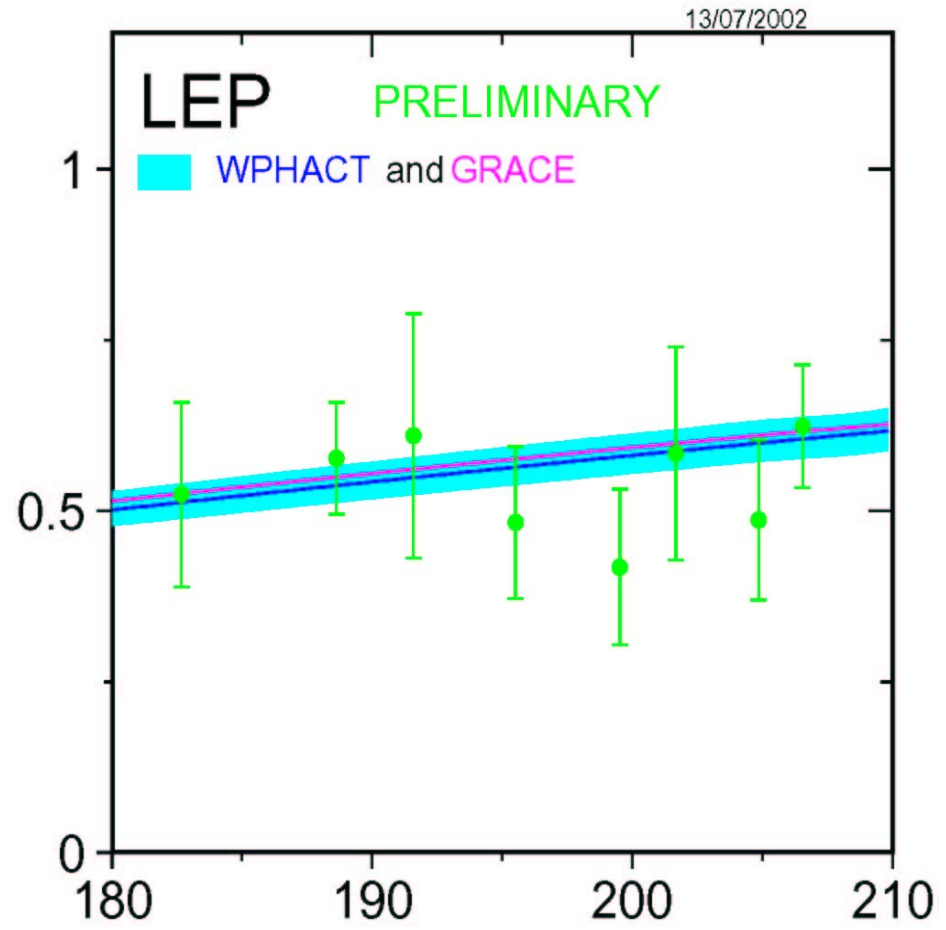
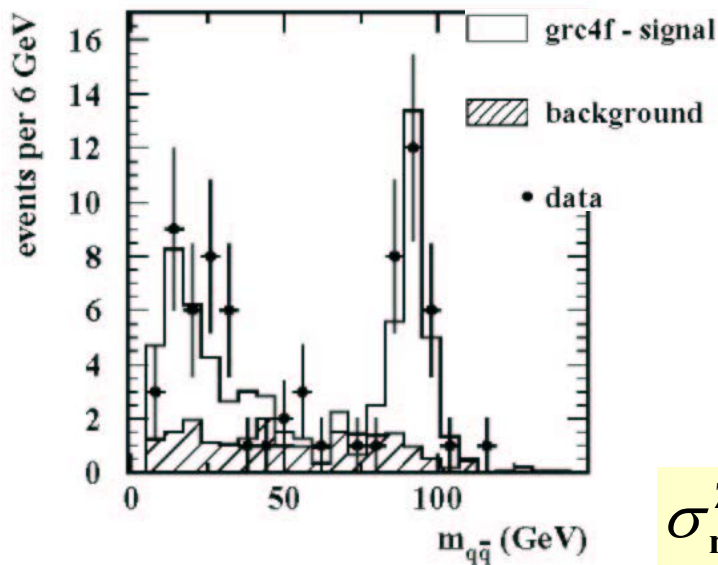
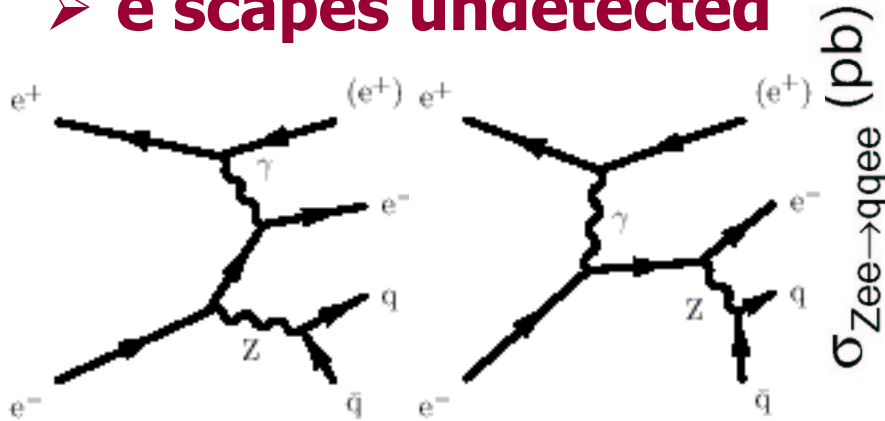
ZZ production



➤ **Test at 5% level**

Zee production

➤ e scapes undetected

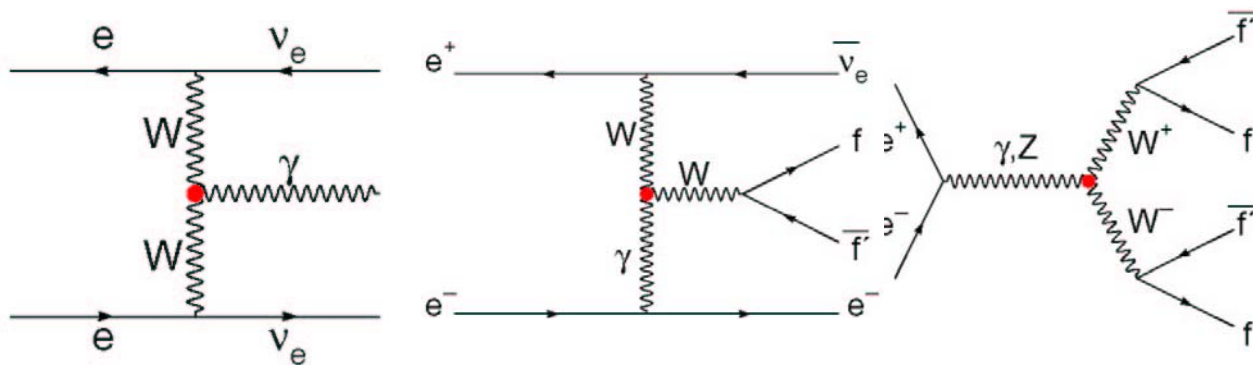


$$\sigma_{\text{measu}}^{Zee} / \text{WPHACT} = 0.951 \pm 0.083 \sqrt{s} \text{ (GeV)}$$

Gauge Couplings

Triple Gauge Couplings (TGC)

- Accessible in single- γ , single- W , and W -pair production



Effective
lagrangian CP
conserving
($V=Z, \gamma$)

$$\frac{iL_{\text{eff}}}{g_{VWW}} = g_1^V V^\mu W_{\mu\nu}^- W_{\mu\nu}^{+\nu} + K_V W_\mu^+ W_\nu^- V^{\mu\nu} + \frac{\lambda_V}{M_W^2} V^{\mu\nu} W_\nu^+ W_\mu^-$$

- Gauge invariance \rightarrow only $g_1^Z, K_\gamma, \lambda_\gamma$ are free

Triple Gauge Couplings (TGC)

➤ Related to the properties of the W boson

➤ Magnetic dipole moment

$$\mu_W = \frac{e}{2M_W^2} (1 + \kappa_\gamma + \lambda_\gamma)$$

➤ Electric quadrupole moment

$$q_W = -\frac{e}{M_W^2} (\kappa_\gamma - \lambda_\gamma)$$

➤ WW → 4f sensitive

to: κ_γ λ_γ g_1^Z

➤ Single W, single γ

κ_γ

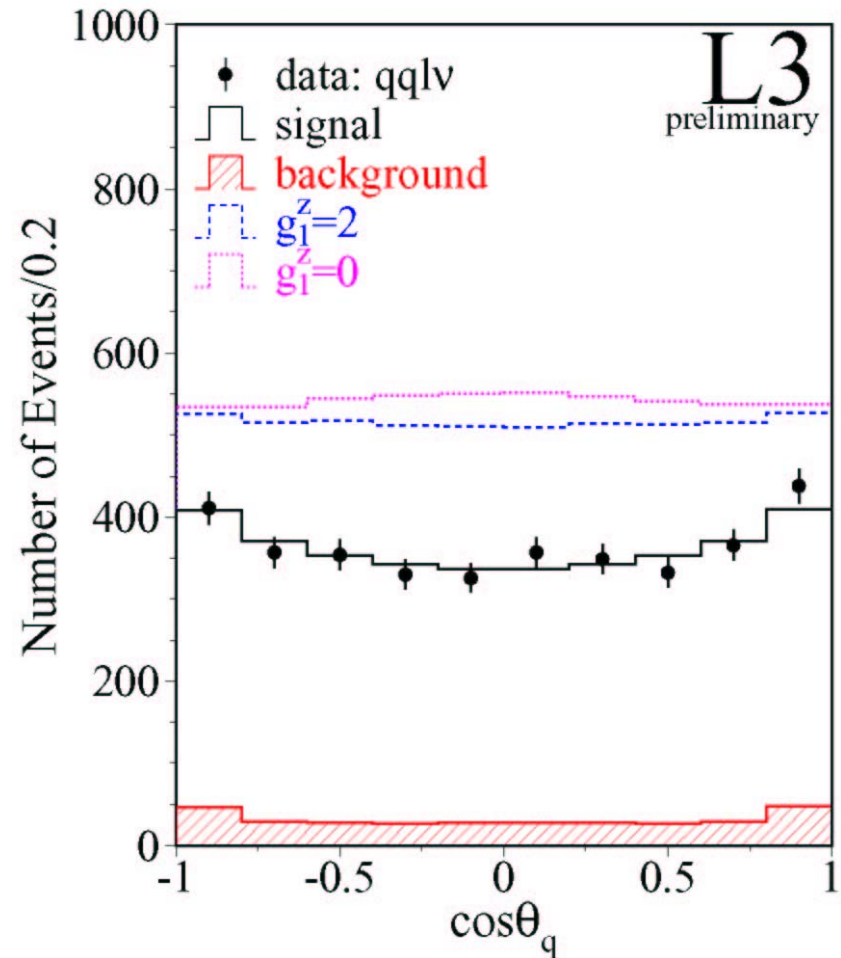
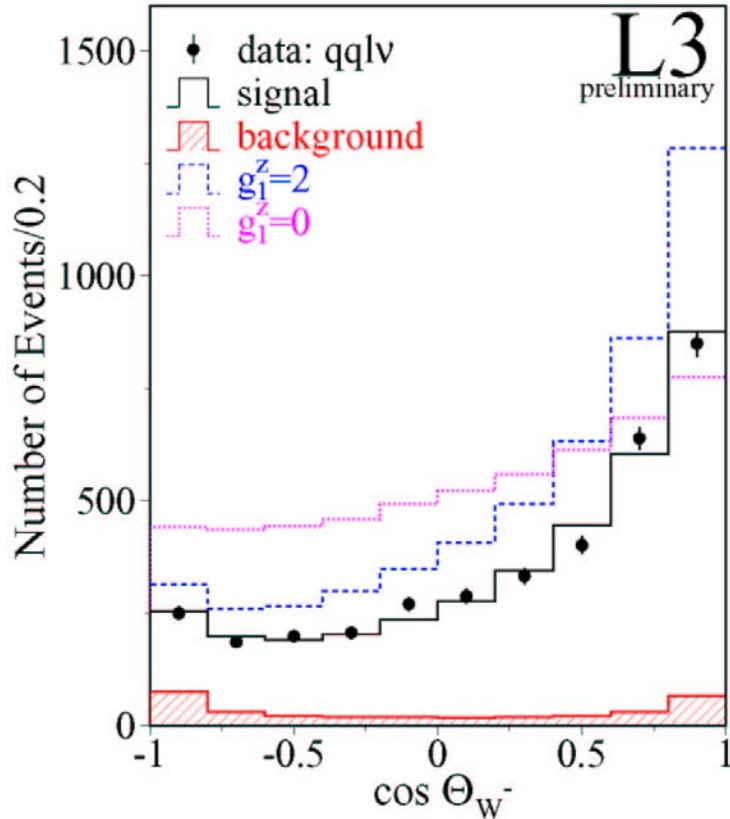
➤ In the Standard Model:

$$\kappa_\gamma = 1$$

$$\lambda_\gamma = 0$$

$$g_1^Z = 1$$

TGCs from W pairs



Sensitive to:

- Angular distribution
- Event rate

TGCs: 1 dimensional fit

➤ 1 parameter fitted

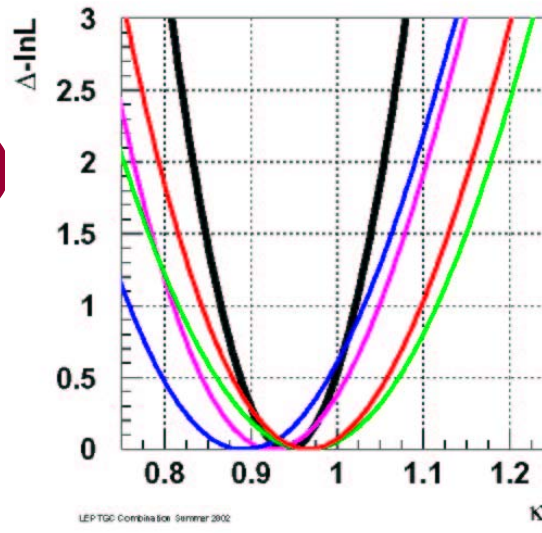
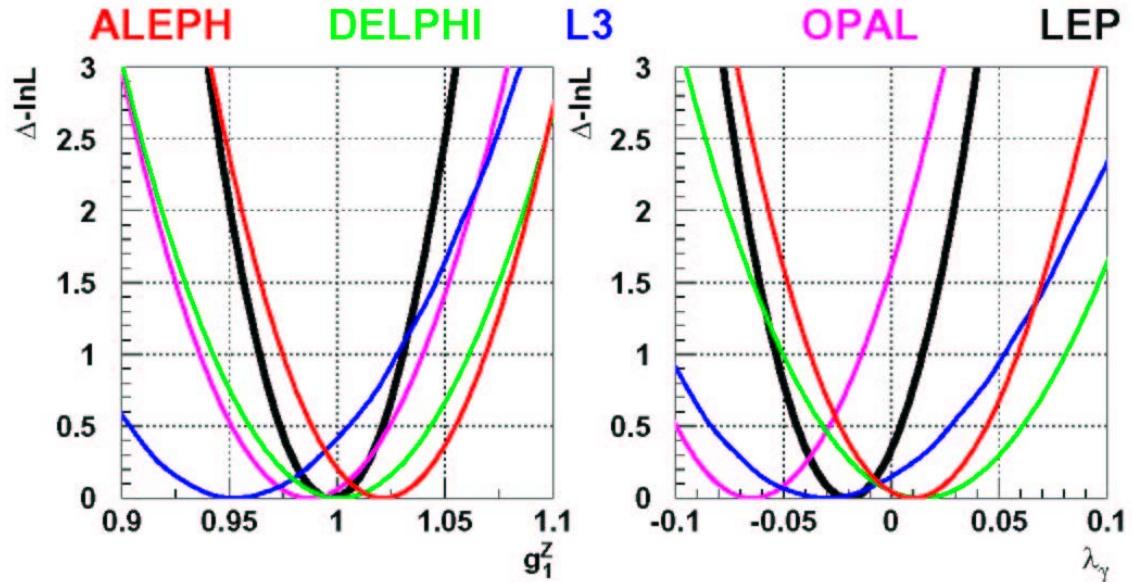
➤ The others fixed to their SM value

➤ Fit to $qqqq, qql\nu, l\nu l\nu,$ single $W,$ single γ

➤ Main correlated systematic from $O(\alpha)$ corrections

➤ 0.015 on g_1^Z λ_γ

➤ 0.039 on K_γ



LEP preliminary

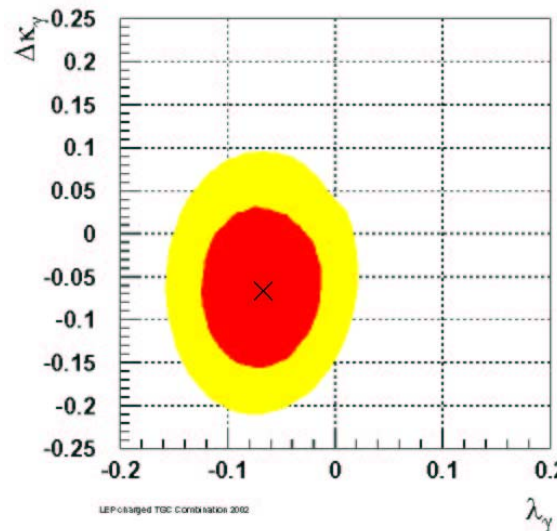
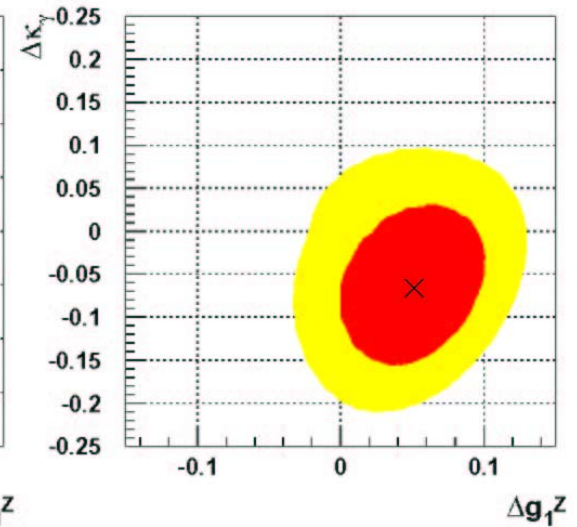
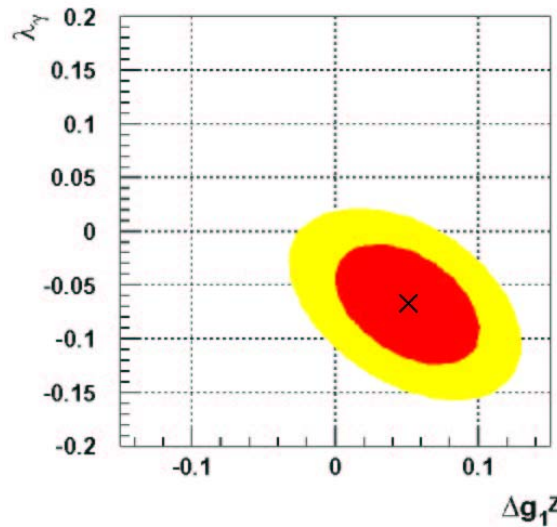
K_γ	= 0.943	+0.055	-0.055
λ_γ	= -0.020	+0.024	-0.024
g_1^Z	= 0.998	+0.023	-0.025

TGCs: 3 Dimensional fits

➤ All parameters free

➤ Δg_1^Z $\Delta \kappa_\gamma$:
deviations from SM

➤ 2D contours when the 3rd parameter is at minimum



DELPHI L3 OPAL 3D Fit - Preliminary

■ 95% c.l.

■ 68% c.l.

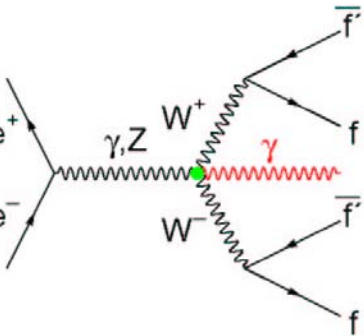
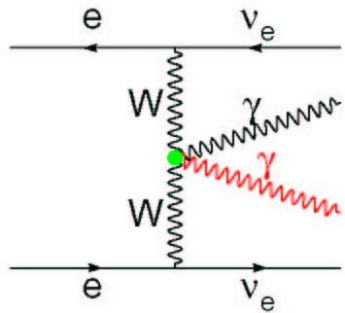
× 3d fit result

DELPHI, L3,
OPAL

LEP-030997 TGC Convolution 2002

Quartic Gauge Couplings(QGC)

➤ Predicted by SM



Accessible via:

$\nu\nu\gamma\gamma$

And

$WW\gamma$

Final states

➤ Deviations from SM

- Increase of $WW\gamma$ cross section
- Modify the energy spectrum and rate of γ production

➤ New physics lagrangian

$$\mathcal{L}_0 = -\frac{e^2}{16} \frac{a_0^{W,Z}}{\Lambda^2} F^{\mu\nu} F_{\mu\nu} \vec{W}^\alpha \vec{W}_\alpha$$

$$\mathcal{L}_c = -\frac{e^2}{16} \frac{a_c^{W,Z}}{\Lambda^2} F^{\mu\alpha} F_{\mu\beta} \vec{W}^\beta \vec{W}_\alpha$$

$$\mathcal{L}_n = -\frac{e^2}{16} \frac{a_n}{\Lambda^2} \vec{W}_{\mu\alpha} \cdot (\vec{W}_\nu \times \vec{W}^\alpha) F^{\mu\nu}$$

Λ energy scale

➤ Negligible at LEP II energies

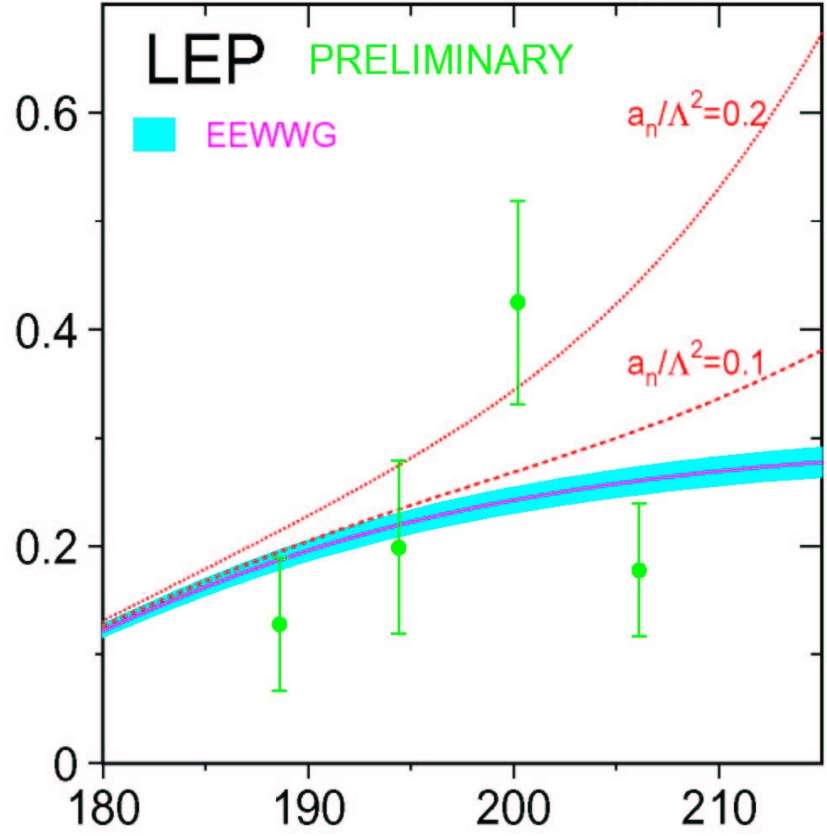
Quartic Gauge Couplings(QGC)

18/07/2002

	$d^W_o/\Lambda^2(\text{GeV}^{-2})$	$d^W_c/\Lambda^2(\text{GeV}^{-2})$	$a_n/\Lambda^2(\text{GeV}^{-2})$
<i>ALEPH</i>	[-0.045,0.042]	[-0.115,0.115]	
<i>DELPHI</i>	[-0.018,0.018]	[-0.057,0.030]	[-0.16,0.12]
<i>L3</i>	[-0.015,0.015]	[-0.048,0.026]	[-0.14,0.13]
<i>OPAL</i>	[-0.054,0.052]	[-0.15,0.14]	[-0.61,0.57]

Limits at 95% CL

$\sigma_{WW\gamma}$ (pb)

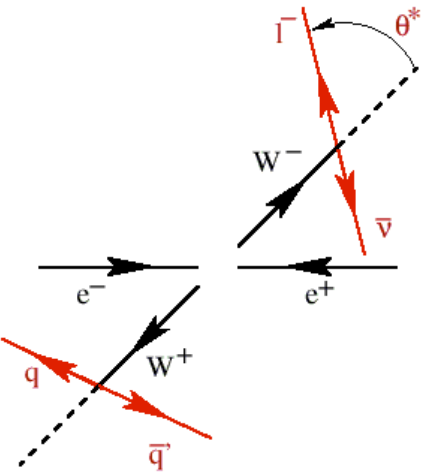


L3&DELPHI

\sqrt{s} (GeV)

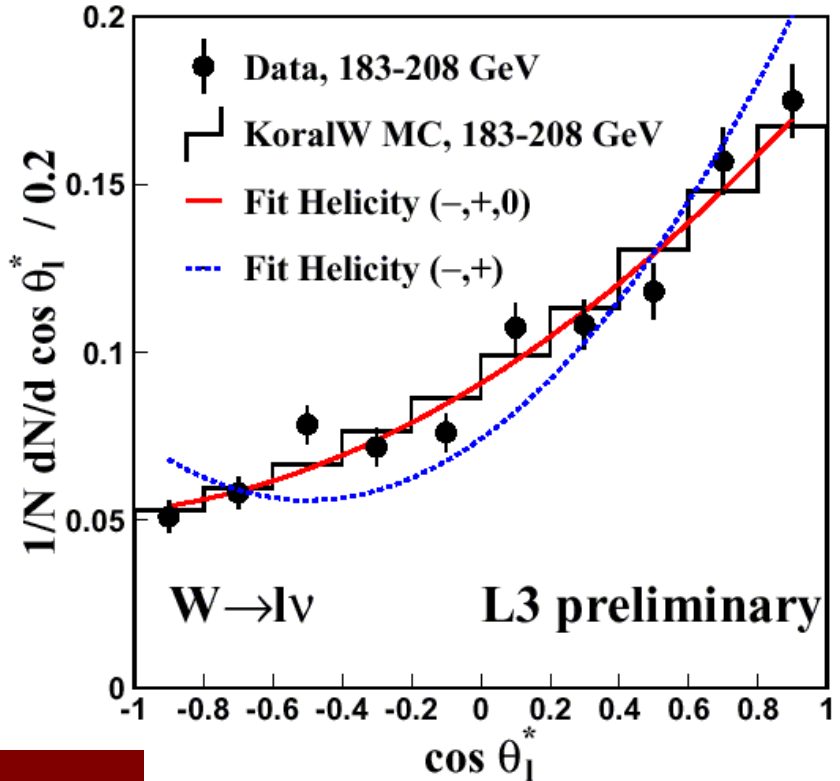
W polarization

- The 0 helicity state of W is related to the Higgs mechanism



- Measured from the angular distribution of the decay products of W

- In the rest frame of W



Fit without longitudinal component fails to describe data

	σ_l/σ	SM
L3	$0.228 \pm 0.027 \pm 0.012$	$0.241 @ \langle \sqrt{s} \rangle = 197 \text{ GeV}$
OPAL	$0.210 \pm 0.033 \pm 0.016$	$0.257 @ \sqrt{s} = 189 \text{ GeV}$

W mass and width

M_W from direct reconstruction

➤ Estimator of the W mass/event

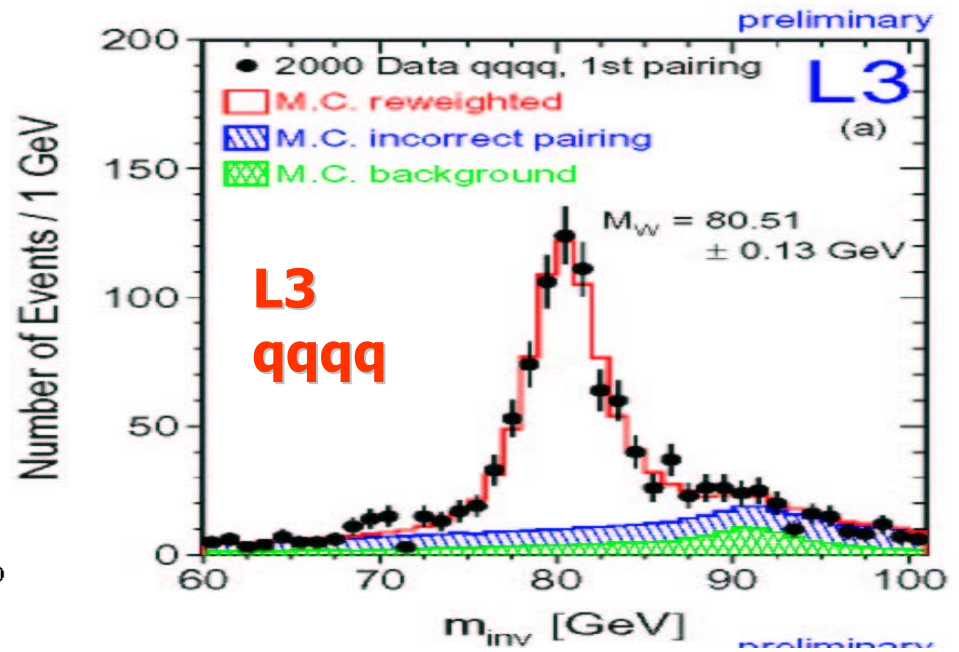
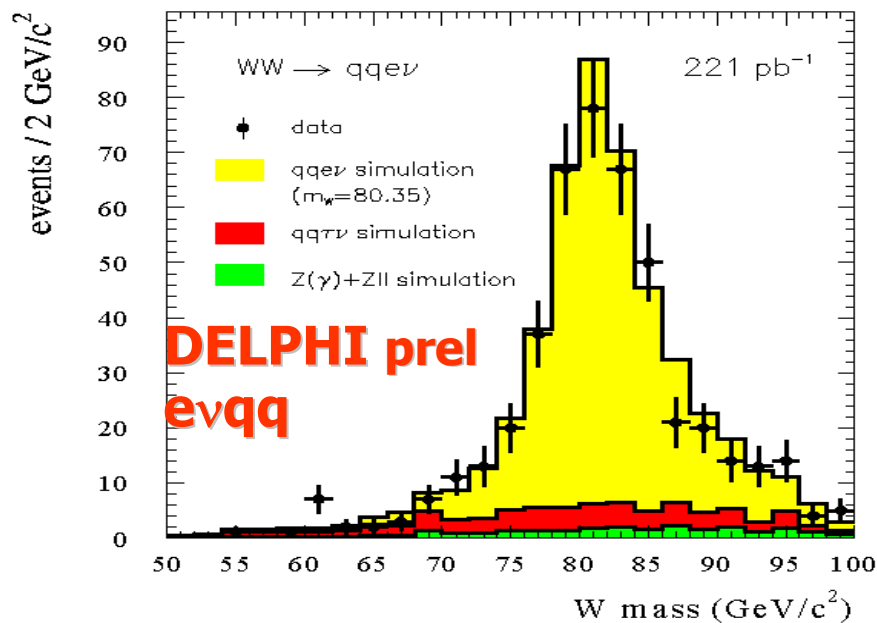
$$M_{qq}^{\text{inv}}, M_{lv}^{\text{inv}}, \langle M_W \rangle, \dots$$

➤ Constrained fit to improve resolution

➤ E, P conservation

➤ $M_{w1} = M_{w2}$

➤ 3 solutions for qqqq



Mass Extraction – 3 Methods

- **Monte Carlo Reweighting technique** (ALO)
 - Compare data **distributions** to Monte Carlo distributions reweighted to different M_W
 - Estimators used : $\langle M_W \rangle$, M_{qq}^{inv} , σ_{mw} , ... (n-dimensional reweighting)

- **Convolution technique** (D,0 for cross check)
 - Build **event likelihood**:
PDF := Breit-Wigner \oplus ISR \oplus phase space

- **Breit-Wigner method** (OALD for cross check)
 - Fit analytical Breit-Wigner function to data **distributions**

Systematic error on Mw(MeV)

- **Total statistical error:**
 - **30 MeV**
- **Reduced weight of the qq̄q̄q̄ channel :**
 - **9%**
- **Large effect from Final State Interactions**

<i>source</i>	<i>qq̄ln</i>	<i>qq̄q̄q̄</i>	<i>Combined</i>
<i>ISR/FSR</i>	8	8	8
<i>Hadronization</i>	19	18	18
<i>Detector</i>	12	8	11
<i>LEP beam energy</i>	17	17	17
<i>Colour Reconnection</i>	-	90	9
<i>Bose-Einstein</i>	-	35	3
<i>Other</i>	4	5	4
<i>Total Systematic</i>	29	101	30
<i>Statistical</i>	33	36	30
<i>Total</i>	44	107	42

Preliminary
Summer '02

Z0 returns to calibrate E_{beam}

- LEP2 aim : $\Delta E_{LEP}/E_{LEP} \approx 1.10^{-4}$

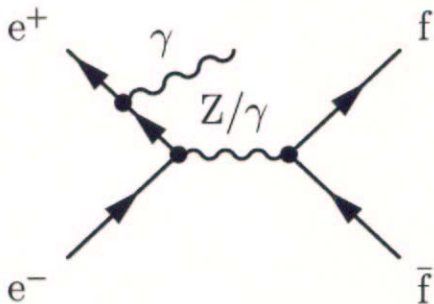
$$\frac{\Delta M_W}{M_W} \propto \frac{\Delta E_{beam}}{E_{beam}}$$

- E_{LEP} used in the kinematic fit

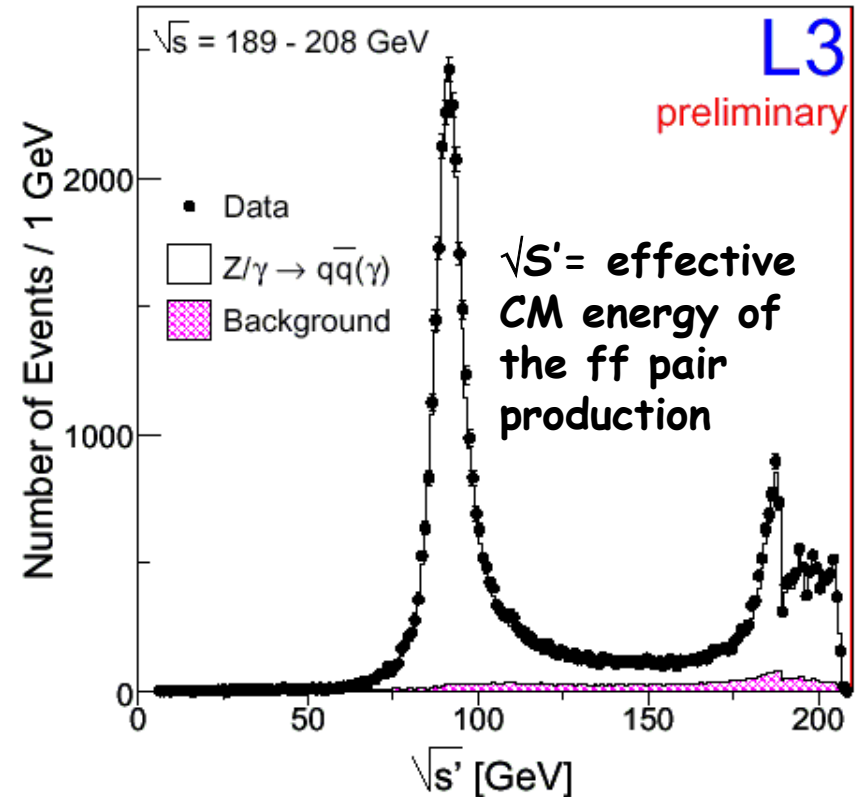
- absolute scale for W mass

- Independent measure of E_{LEP} very important

- Radiative returns to Z^0



M_Z known to 10^{-5} (LEPI)



$$\Delta E_b = E(\text{rad}) - E(\text{LEP})$$

$$\Delta E_b = -10 \pm 27(\text{stat}) \pm 26(\text{syst}) \text{ MeV}$$

Final State Interactions

➤ **Ws decay distance**
 $\sim 0.1\text{fm}$

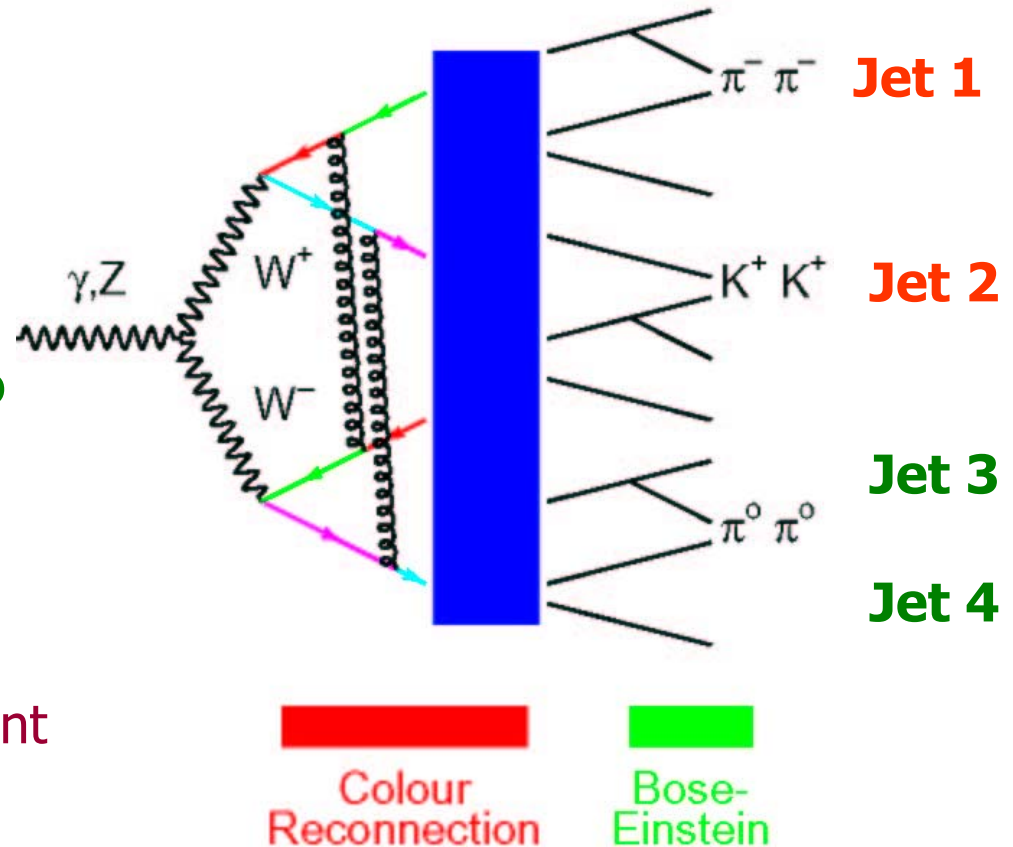
➤ **Hadronization scale**
 $\sim 1\text{fm}$

Cross-talks between the two hadronic systems ?

➤ **Colour Reconnection**

➤ **Bose Einstein Correlations**
between particles from different
Ws

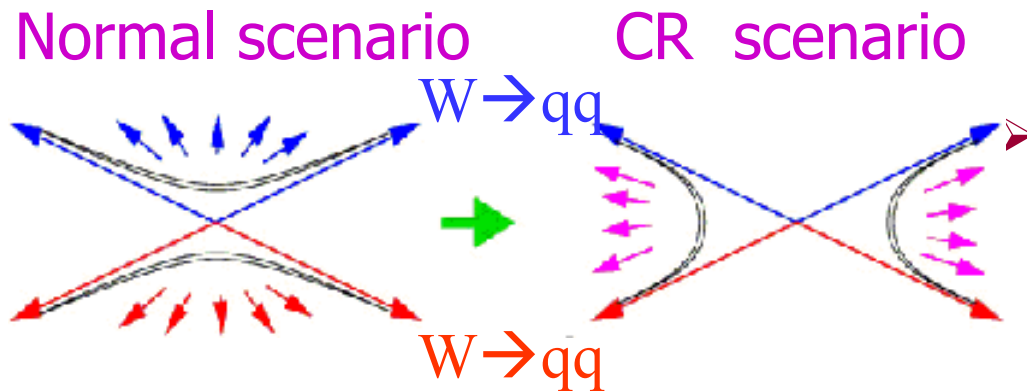
Possible mass shift:
 $\text{Minv}(W) \neq \text{Minv}(\text{jet},\text{jet})$



Use data to limit FSI bias on
 $M_w(qqqq)$

Colour Reconnection

- **Colour flow pattern is modified**



- **Interaction between decay products (change of colour flow)**
- **Final hadronic color singlets do not correspond to the initial W bosons**

- **Bias on the reconstructed W mass by momentum transfer between the two Ws**

CR described by phenomenological models.

- **Try to test the validity of them using sensitive analysis to CR**
- **Develop a mass analysis less sensitive to CR**

Colour Reconnection

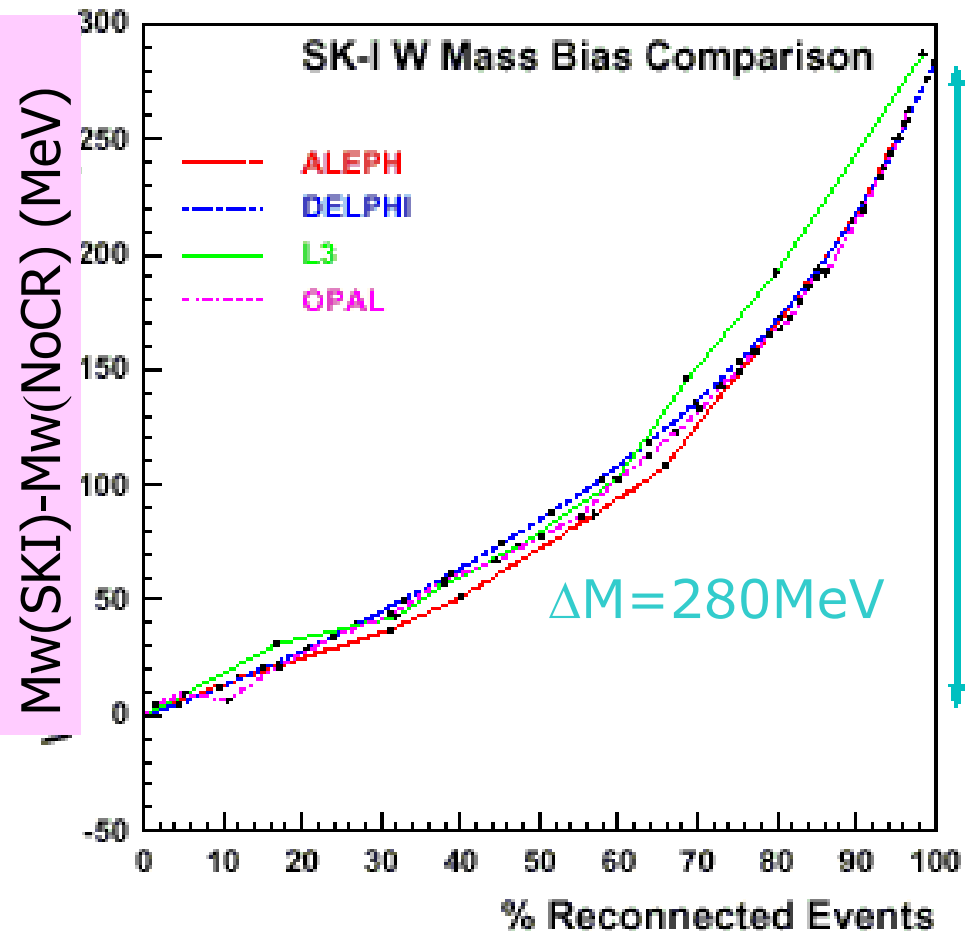
- **Models tested: SKI, Herwig, AR2, Rathsman...**
- **All LEP experiments similar sensitivity**

√s=189 GeV

MeV	SKI	Rathsman	HW	AR2
ΔM_W	0-300	~60	~30	~60
$\sqrt{s}=189$				

- **CR effect scales with \sqrt{s}**
- **SKI:**
 - **Free strength parameter κ**
 - **Controls reconnection probability**

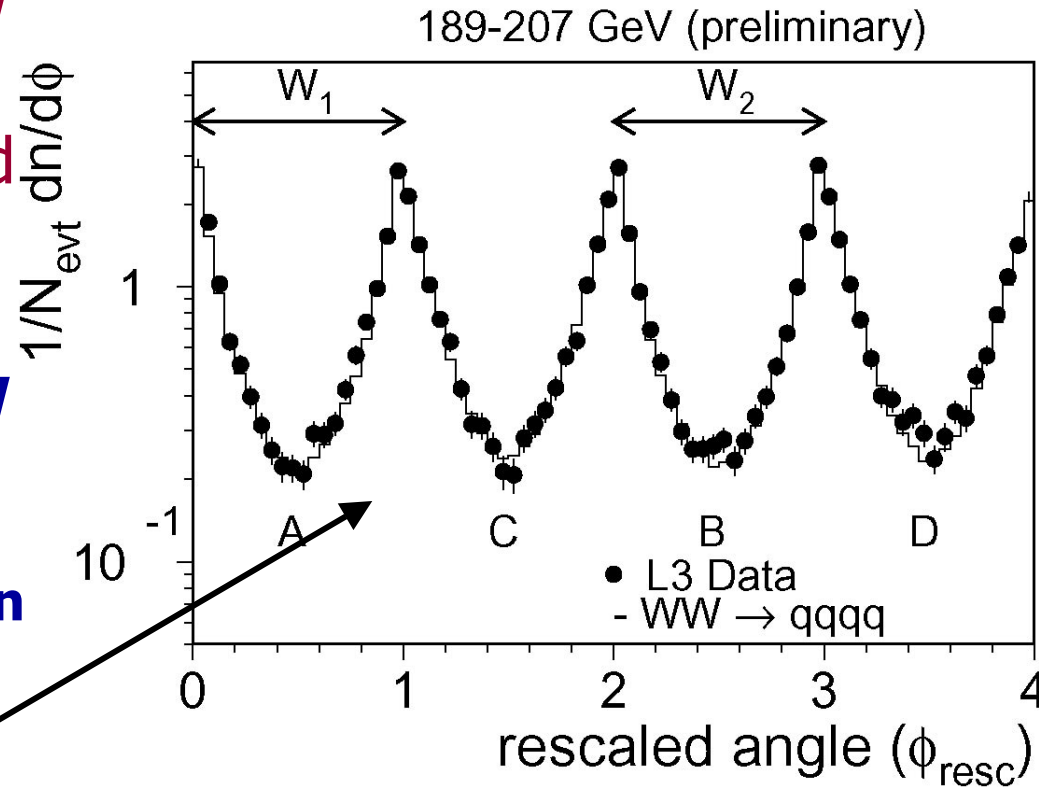
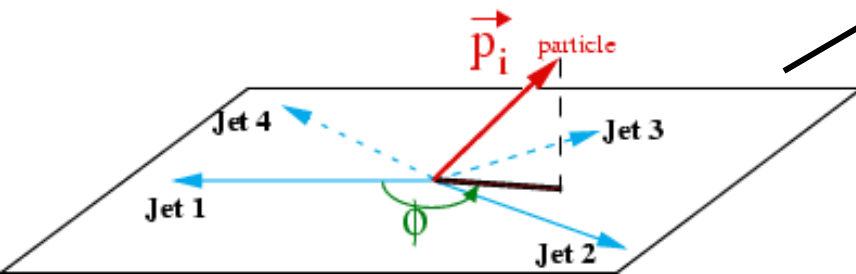
$$P_{\text{reco}} = 1 - e^{-f \cdot \sqrt{s} \cdot \kappa}$$



Particle Flow Method

- Compare the particle flow in the regions between jets from the same W and between jets from different W s

- **Identify jets from the W decay**
- **Build the normalized particle flow distribution**

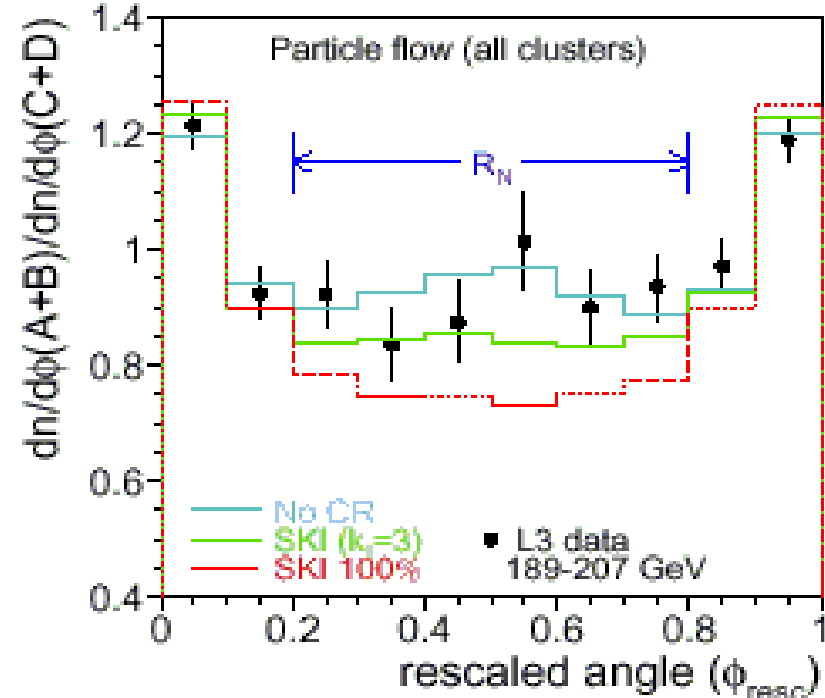


CR should lead to:

- depletion inside W region (A and B)
- enhancement in non W region (C and D)

CR from particle Flow

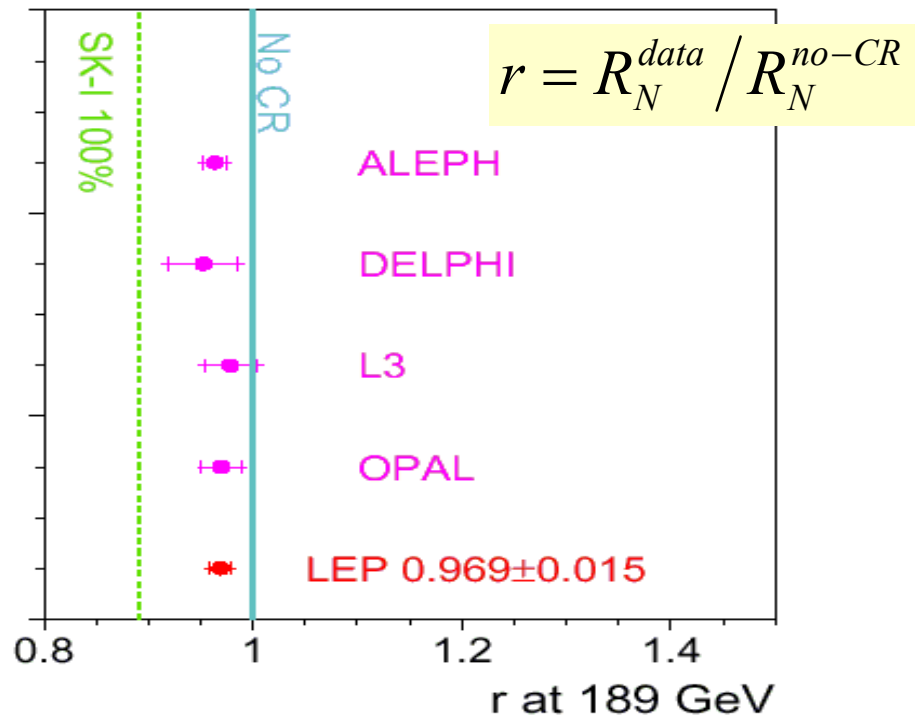
➤ Ratio: (A+B)/(C+B)



➤ Most sensitive region

[0.2,0.8]

$$R_N = \int A + B / \int C + D$$



➤ $\kappa < 2.13$ @ 68% CL ($P_{reco} \approx 65\%$)

➤ $\Delta M_W = 90$ MeV

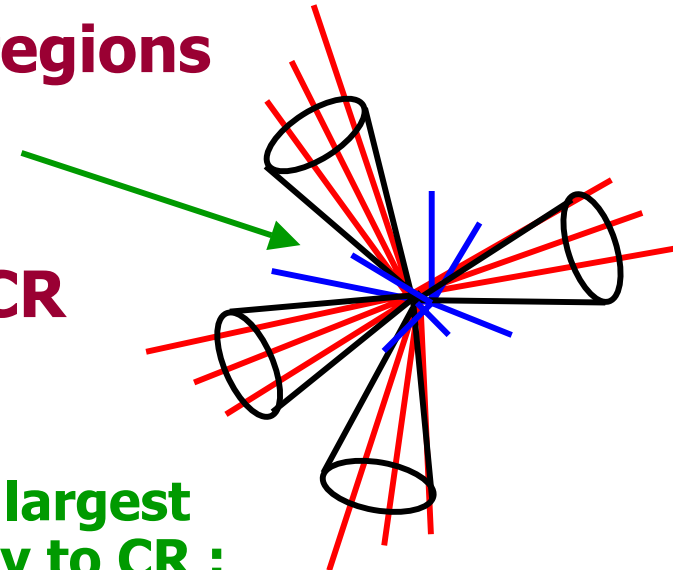
➤ SKI (100%) disfavoured by 5.2σ

➤ AR2 and HW are not sensitive to particle flow method

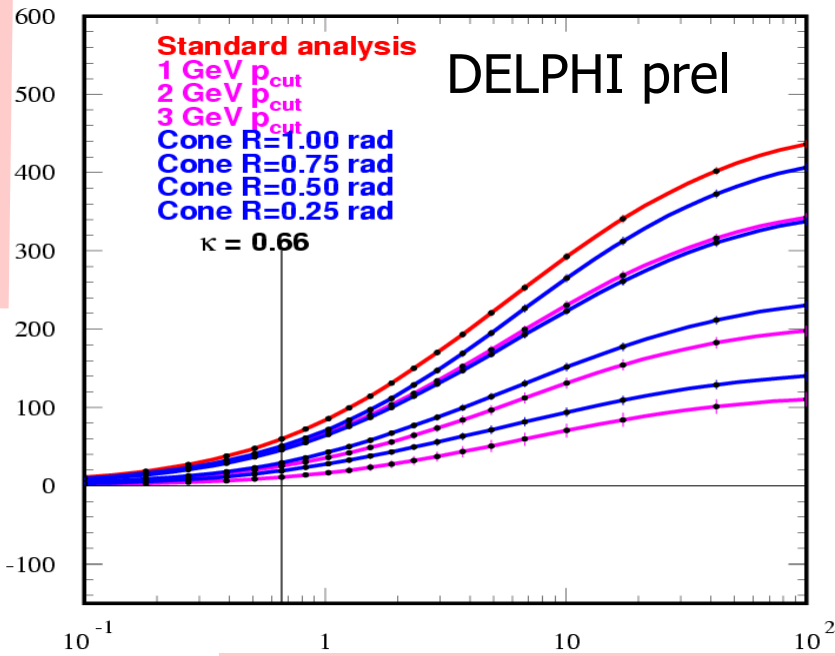
CR from ΔM_W

- Exclude soft particles in inter jet regions
 - Cut in particle momentum
 - Cut in cone size
- ΔM_W provides a measurement of CR

$$\Delta M_W = M_W(\text{std}) - M_W(\text{Pcut, cone})$$



W mass bias



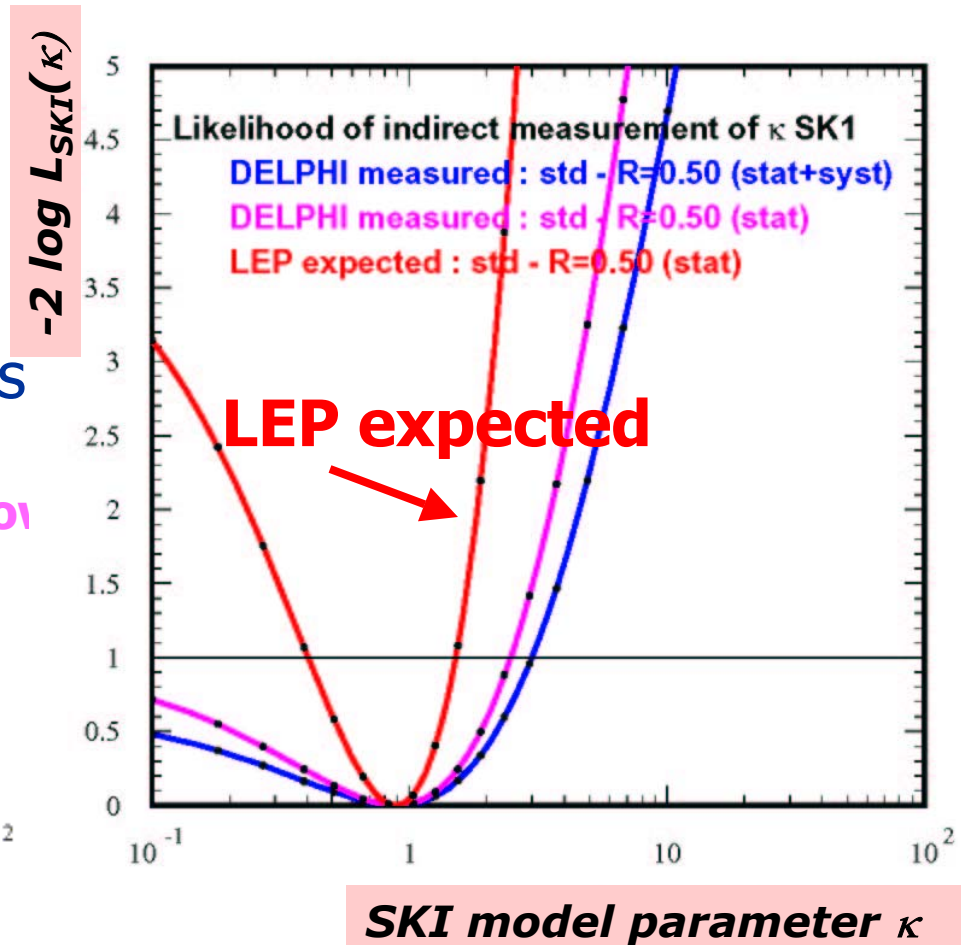
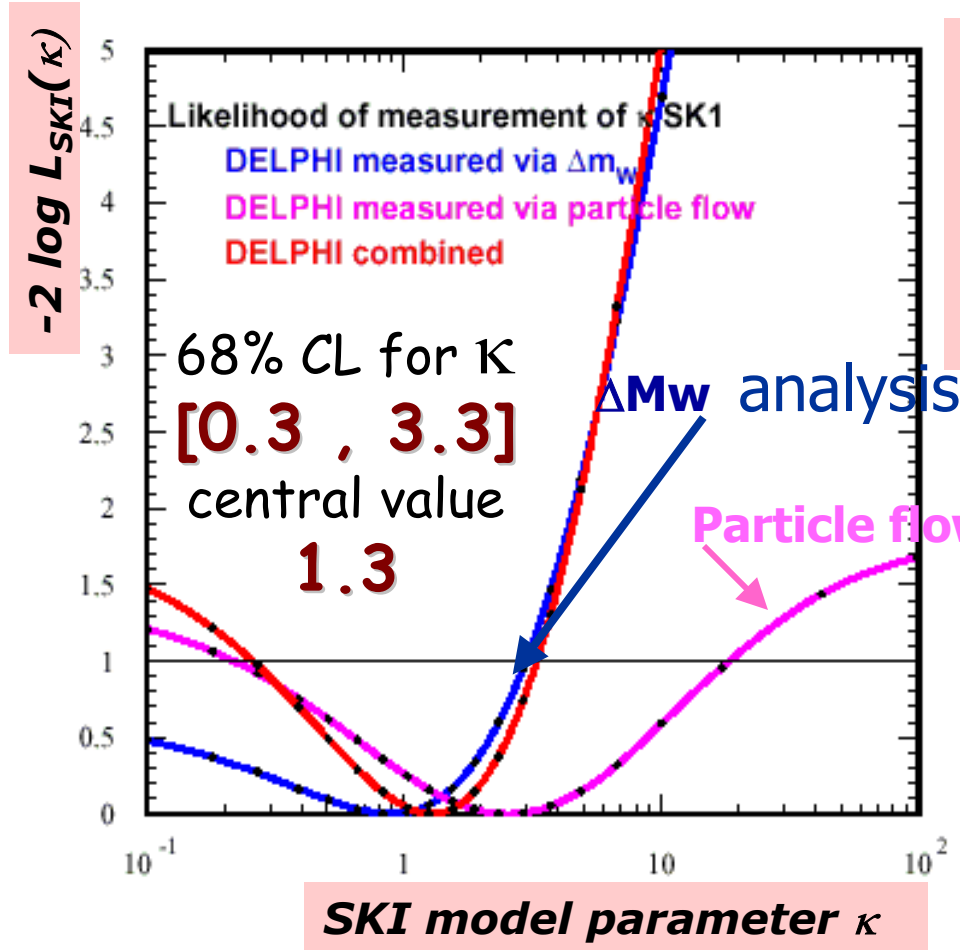
SKI model parameter κ

- DELPHI's largest sensitivity to CR :
 - Cone analysis: $R_{\text{cone}} = 0.5 \text{ rad}$

$$\Delta M_W(\text{std}, R_{\text{cone}} = 0.5 \text{ rad}) = 36 \pm 36 \pm 25 \text{ MeV}/c^2$$

- Compare with model prediction for each κ ...

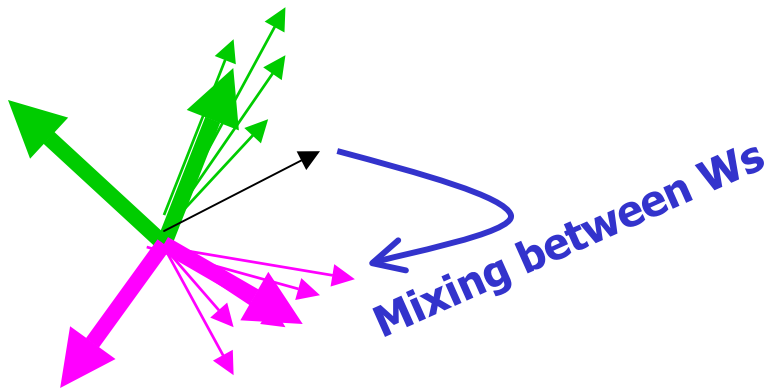
CR from ΔM_w



Other LEP experiments working on it

Bose-Einstein Correlations

- Enhanced production of identical bosons close in phase space
- BEC measured at LEPI

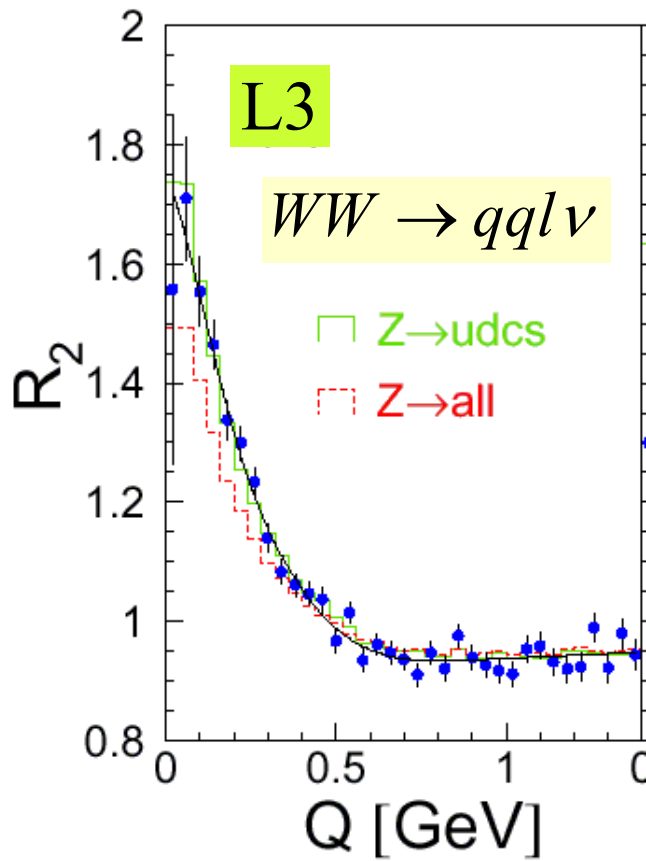


- Effect similar in Z^0 and W decay ?
- **BE between Ws?**
- Systematic effect on W mass (summer 2002)

$\Delta M_w(\text{MeV})$	BEall-BEinside
ALEPH	33 ± 5
DELPHI	-
L3	30 ± 8
OPAL	26 ± 5

Bose-Einstein Effect Inside W

- Enhancement of identical bosons at low Q



- 2-particle density

$$\rho(Q) = \frac{1}{N_{event}} \frac{dn_{pairs}}{dQ}$$

- 2-particle momentum transfer

$$Q = \sqrt{-(p_1 - p_2)^2}$$

- Correlation function

$$R_2(Q) = \rho(data) / \rho(MC)_{noBE}$$

Correlations are equal in light-quark Z decays and inside Ws

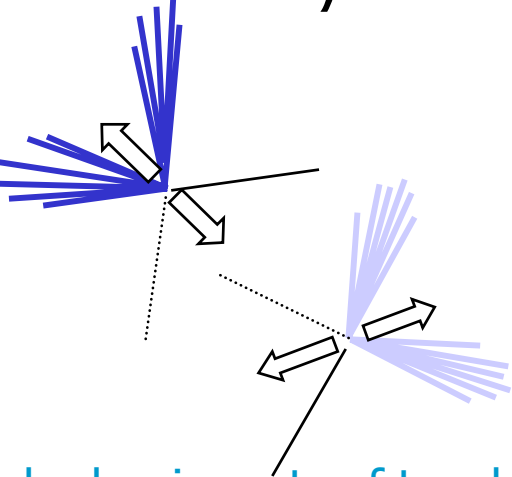
Inter-W BEC

$$\Delta\rho = \rho^{WW \rightarrow 4q} - 2\rho^{W \rightarrow 2q} - 2\rho^{WW_{mix}}$$

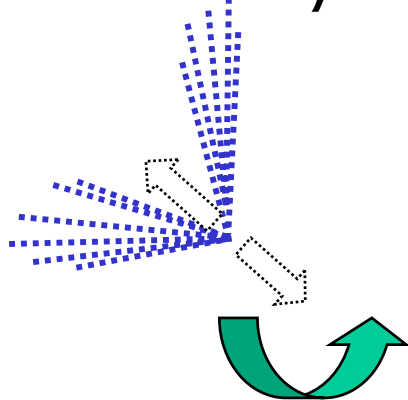
$$D = \rho^{WW \rightarrow 4q} / (2\rho^{W \rightarrow 2q} + 2\rho^{WW_{mix}})$$

$\Delta\rho=0$, $D=1$

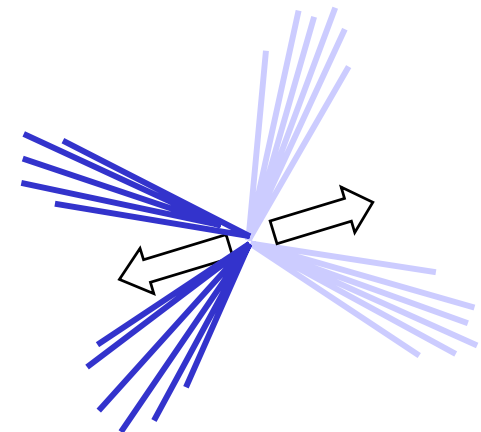
in the absence of inter BEC



hadronic parts of two lvqq evts



rotate/boost to balance momenta

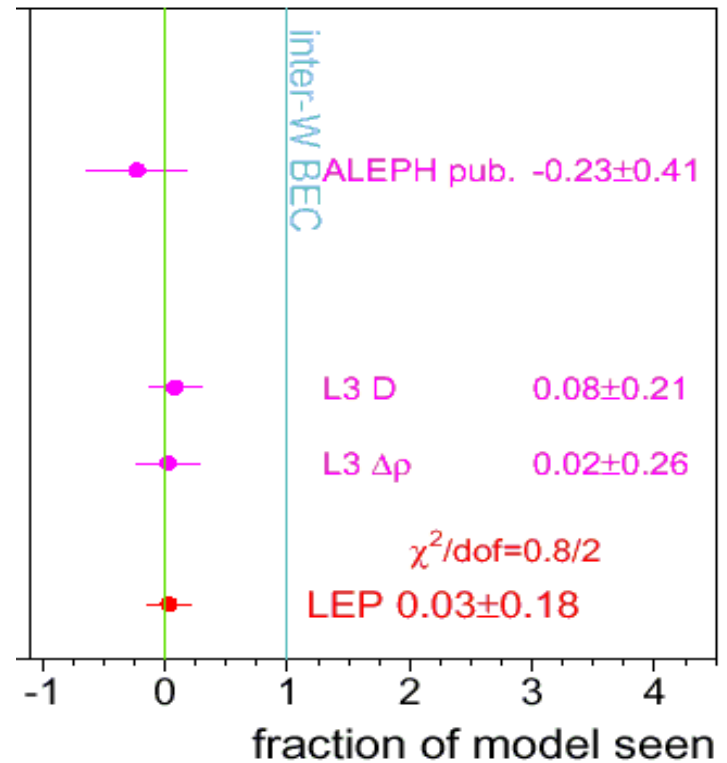
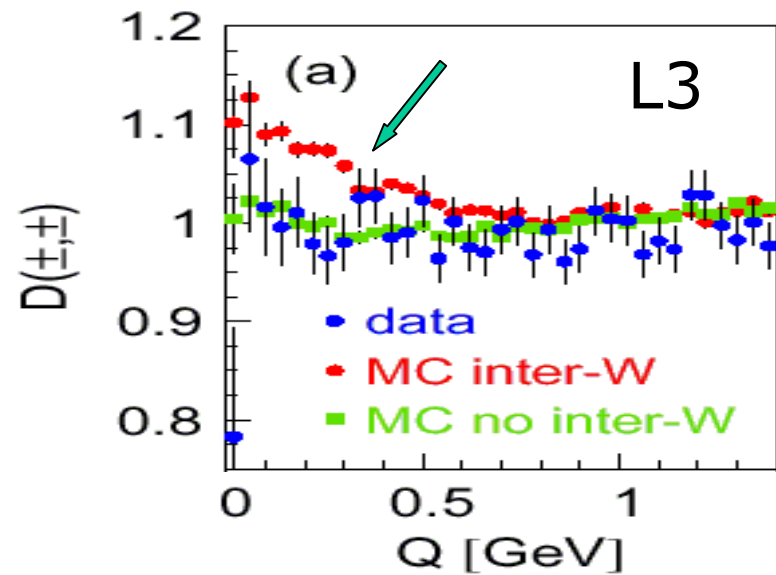
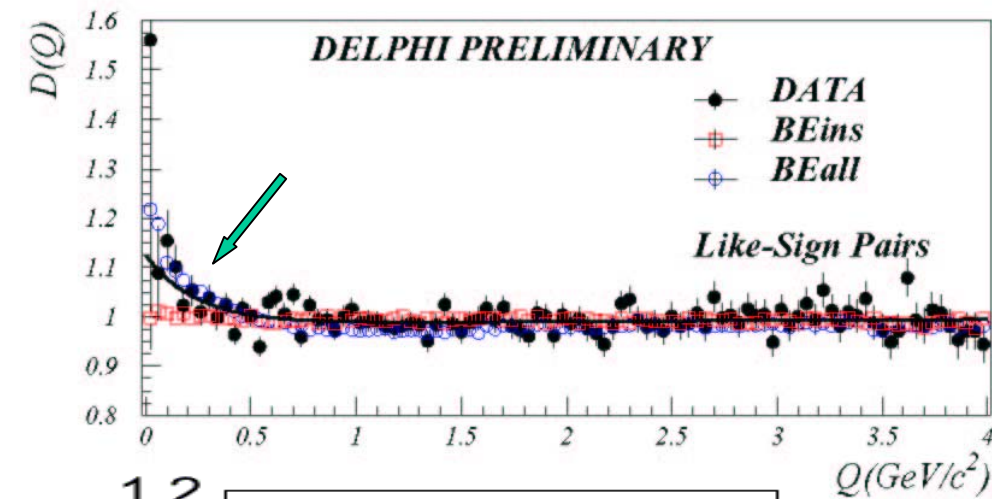


mix => uncorrelated 'WW' event

- Experimentally robust (data compared with data)
- Model independent (except for background subtraction)

ABSOLUTE MEASUREMENT OF INTER-W CORRELATIONS

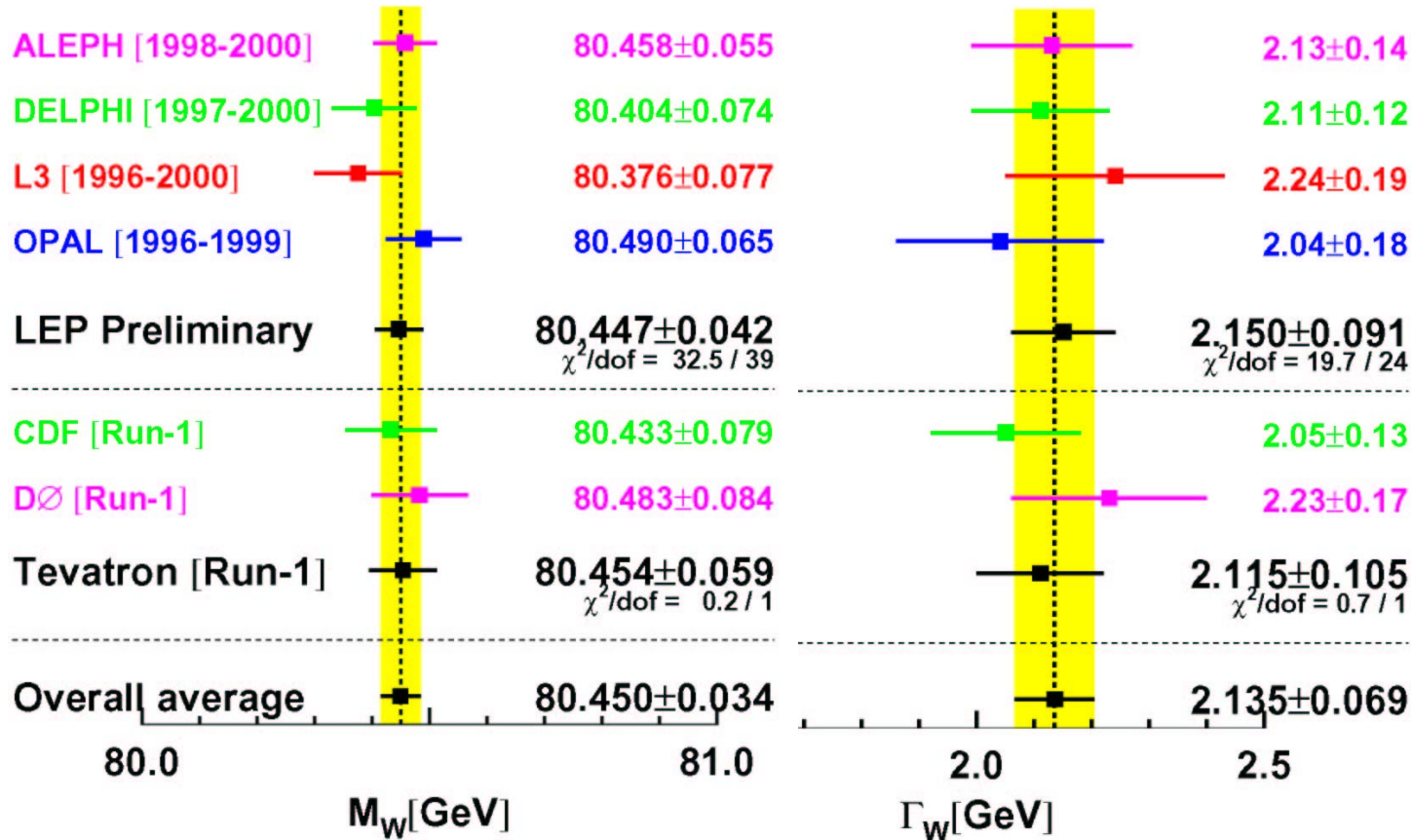
Inter-W BEC



- **Data compatible with $3\% \pm 18\%$ of full correlations in LUBOEI**
 - $\Delta M_w < 10 \text{ MeV}$ (not yet used)
 - **DELPHI not yet included in fit**

Results

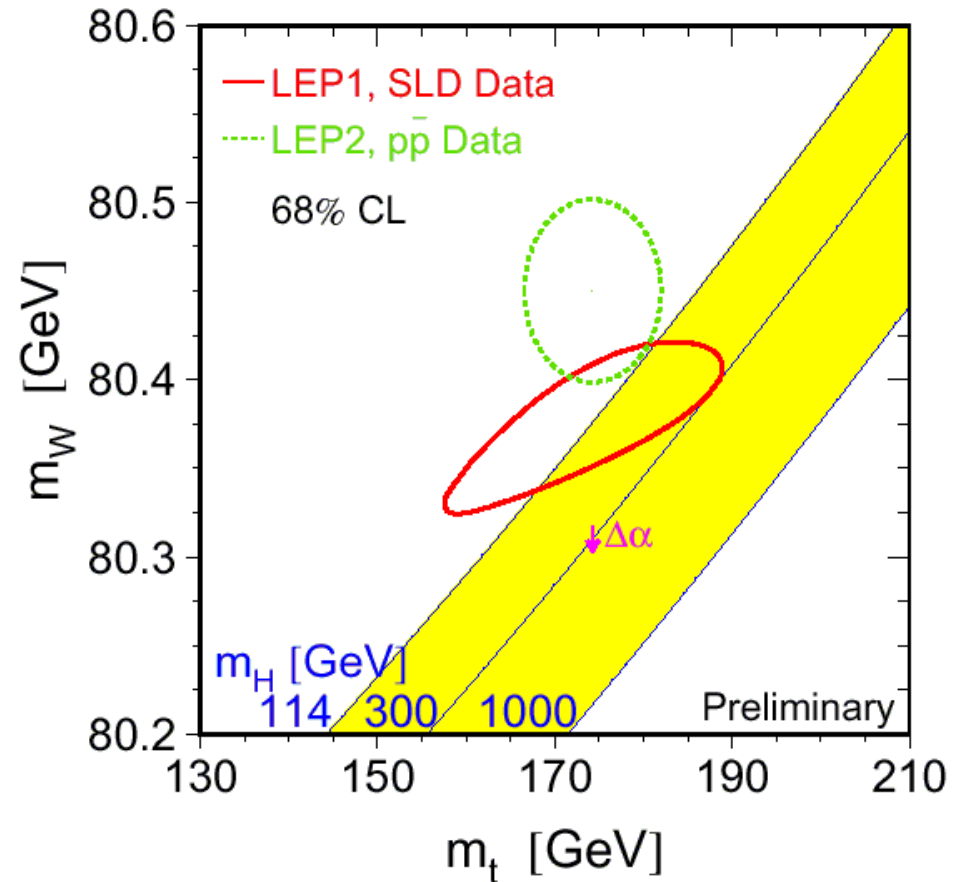
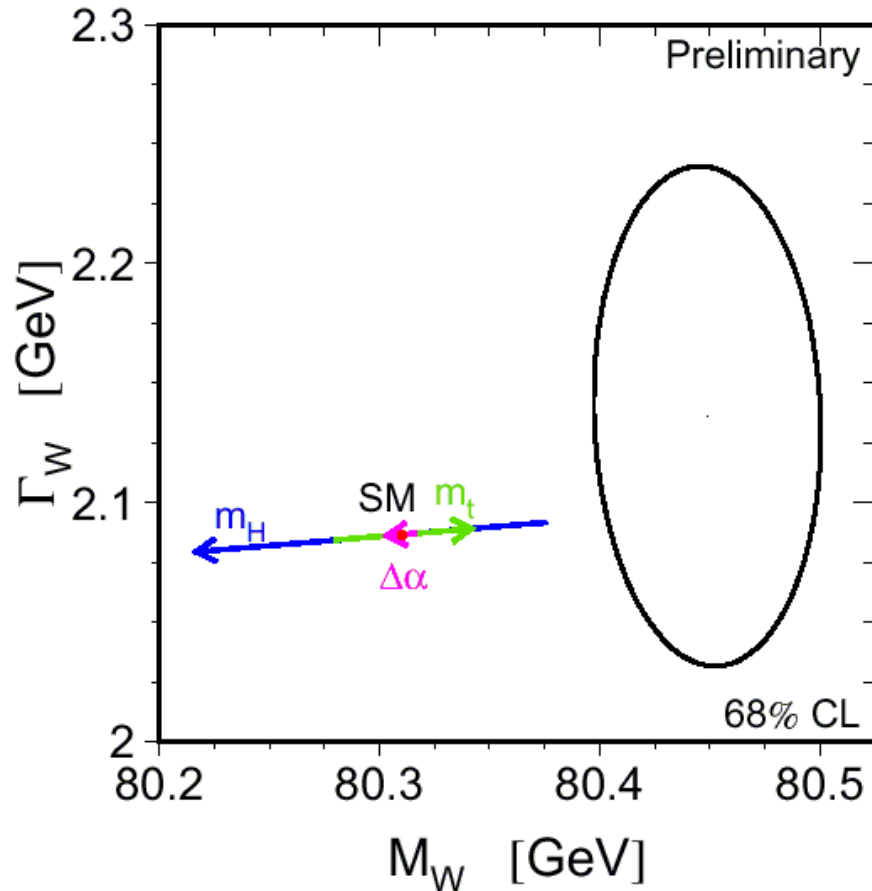
Results



Very good agreement between experiments

$$M_W(\text{qqqq}) - M_W(\text{qqln}) = 9 \pm 44 \text{ MeV} \text{ without FSI error}$$

SM comparison



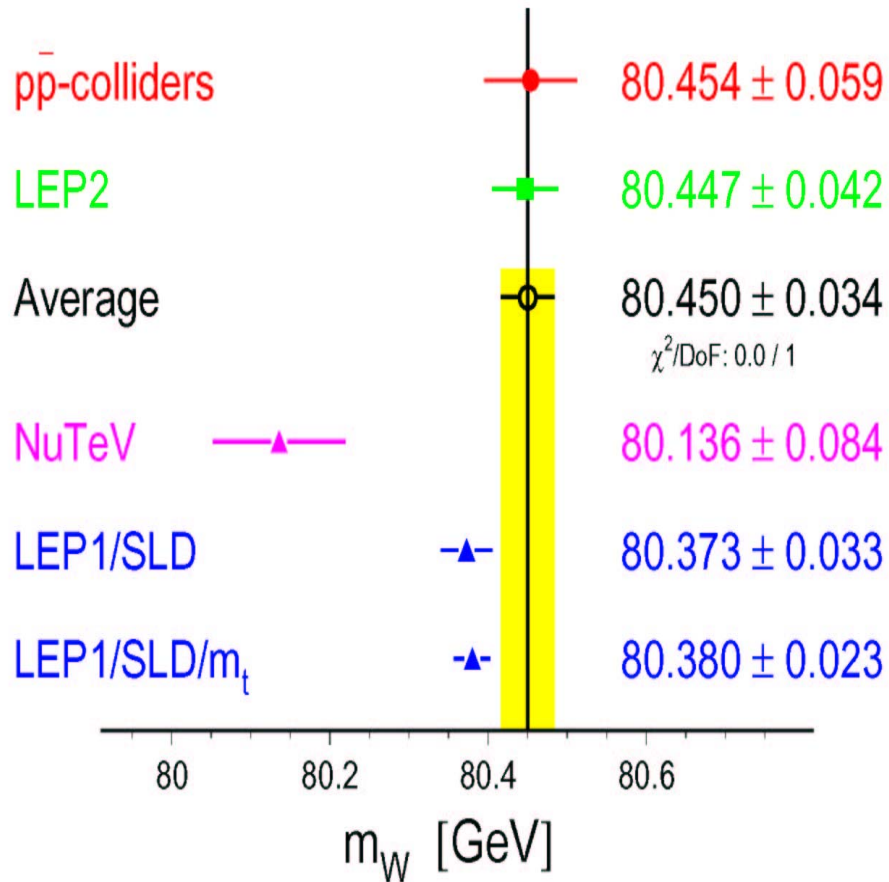
DATA favours small Higgs masses

Conclusions

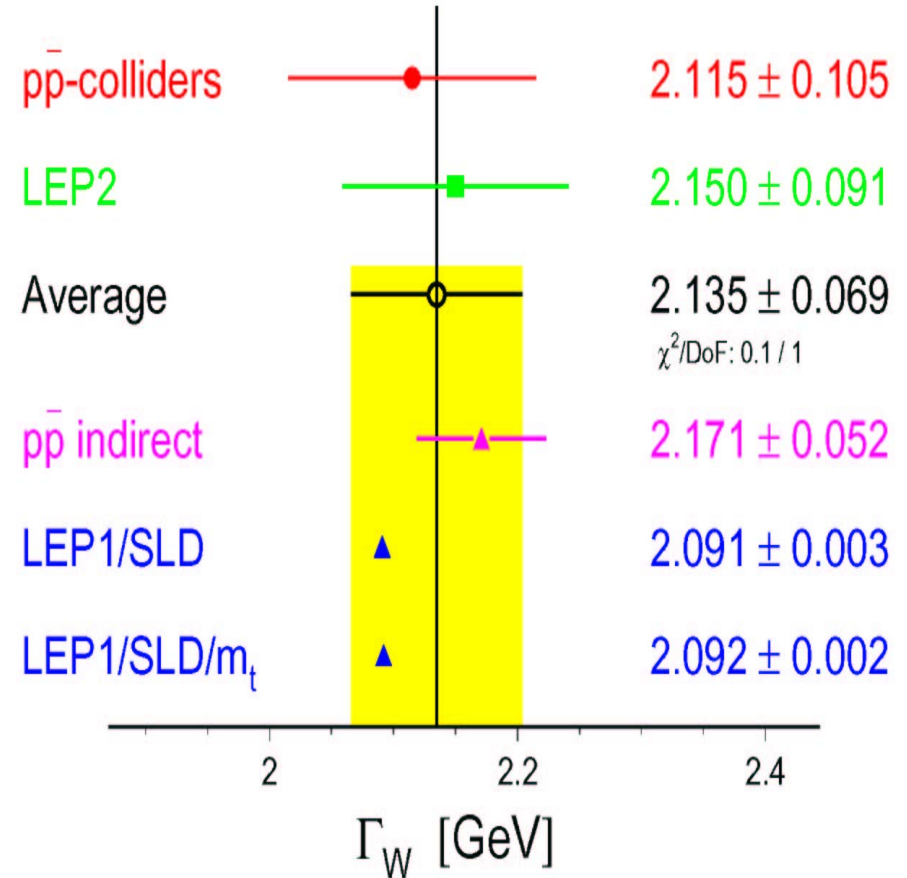
- **LEP II met the expectations and exceeded them**
- **High precision test of the SM performed**
- **Many properties of the W boson measured with high accuracy:**
 - **Cross sections and branching ratios $\sim 1\%$**
 - **Triple gauge couplings 1-5%**
 - **W polarization**
 - **W mass (5×10^{-4}) and W width ($\sim 4\%$)**
- **Data favours low values of Higgs mass**
- **Final analysis still going on...**

M_W and Γ_W

W-Boson Mass [GeV]



W-Boson Width [GeV]



M_W from σ_{WW} at threshold

- **Maximum sensitivity at $\sqrt{s} \sim 161$ GeV**
 - **No sensitivity far above threshold**
- **Small impact on final LEP result $\sim 3\%$**
 - **10 pb-1 at threshold**

