

Vector Boson productions and couplings at LEP2

- Introduction
- L3 Detector
- Signal Definition
- Event Selection
- Results and Discussion
- Summary

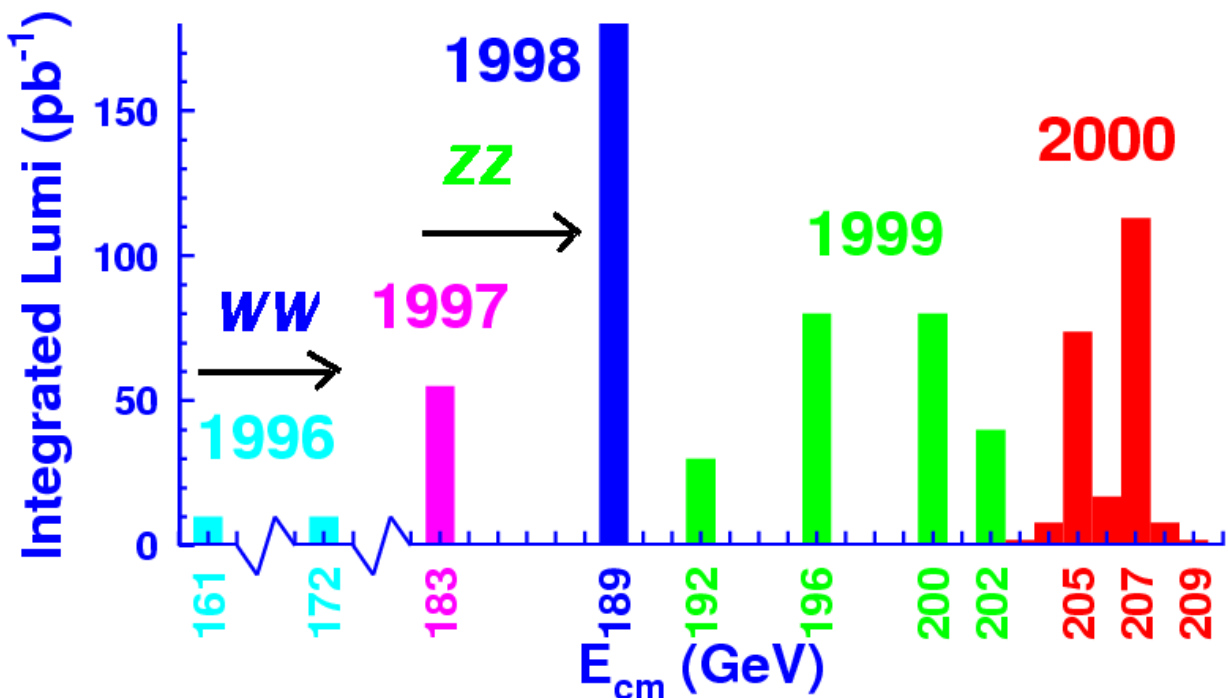
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TIFR (Mumbai) & L3 Collaboration

HEP Division Seminar
Argonne National Laboratory
May 10, 2001



Motivation

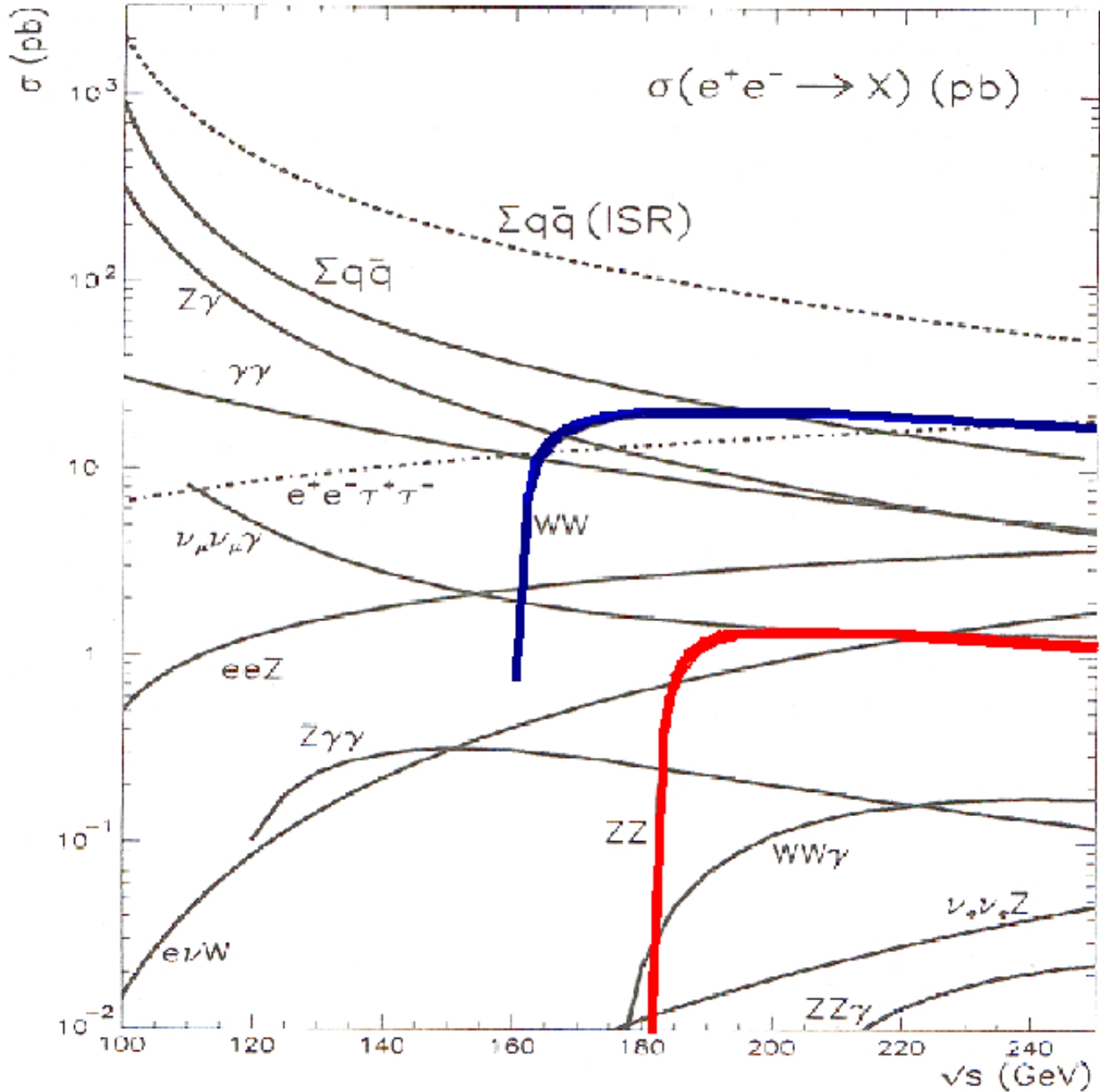
- Interactions between gauge bosons; W^\pm , Z and γ are a direct consequence of the non-abelian nature of Standard Model
- Vector boson pair productions (W^+W^- , ZZ) offer unique possibilities to study various possible gauge-boson couplings
- Any deviation from S.M. expectation in the form of:
 - ▮ Enhancement on the cross section
 - ▮ Change in angular distributioncan be attributed to the presence of anomalous Trilinear Gauge Couplings (TGC) or Quartic Coupling (QGC)



- LEP is an ideal place to precisely measure the cross section for vector boson pair production, and the couplings



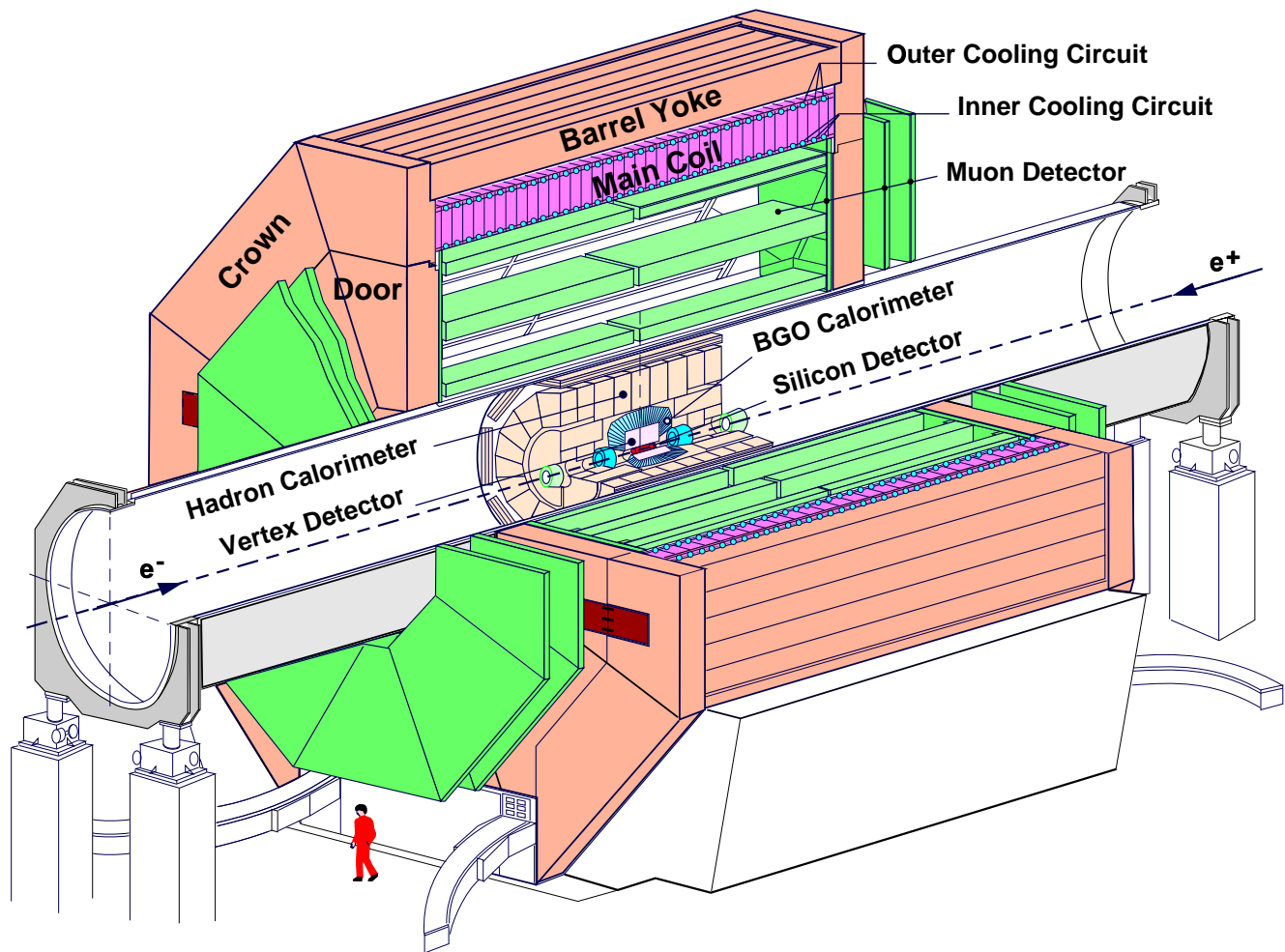
Physics process in e^+e^- collision



W⁺W⁻ and ZZ events, in particular have to be selected out of a sea of competing processes



L3 Detector



- L3 detector is one of the four LEP experiments
- High resolution for Photons/Electrons and Muons
- Good hermiticity for jet and \vec{p} reconstruction

Focus of my talk

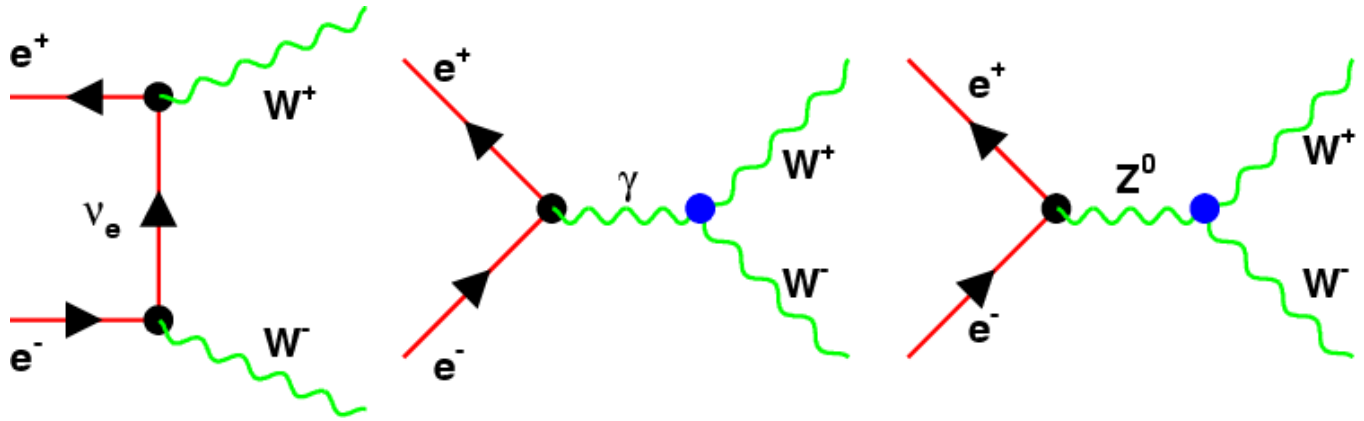
† 2000 data: 217pb^{-1} @ $\sqrt{s} = 201 - 209 \text{ GeV}$

† 1999 data: 233pb^{-1} @ $\sqrt{s} = 192 - 202 \text{ GeV}$



WW Production

As Standard Model predicts



Extended to the more general Lorentz invariant form

$$\begin{aligned}
 \frac{i\mathcal{L}_{eff}^{WWV}}{g_{WWV}} &= g_1^V V^\mu (W_{\mu\nu}^- W^{+\nu} - W_{\mu\nu}^+ W^{-\nu}) + \kappa_V W_\mu^+ W_\nu^- V^{\mu\nu} \\
 &+ \frac{\lambda_V}{m_W^2} V^{\mu\nu} W_\nu^{+\rho} W_{\rho\mu}^- + i g_4^V W_\mu^+ W_\nu^- (\partial^\mu V^\nu + \partial^\nu V^\mu) \\
 &+ i g_5^V \epsilon_{\mu\nu\rho\sigma} ((\partial^\rho W^{-\mu}) W^{+\nu} - W^{-\mu} (\partial^\rho W^{+\nu})) V^\sigma \\
 &- \frac{\tilde{\kappa}_V}{2} W_\mu^- W_\nu^+ \epsilon^{\mu\nu\rho\sigma} V_{\rho\sigma} - \frac{\tilde{\lambda}_V}{2m_W^2} W_{\rho\mu}^- W_\nu^{+\mu} \epsilon^{\nu\rho\alpha\beta} V_{\alpha\beta}
 \end{aligned}$$

Too many parameters to be measured simultaneously

☆ Require C, P and CP conservation

★ Require $U(1)_{em}$ gauge invariance ($g_1^\gamma \Rightarrow q_W = \pm 1$)

★ Still five parameters left with: $g_1^Z, \kappa_\gamma, \kappa_Z, \lambda_\gamma, \lambda_Z$

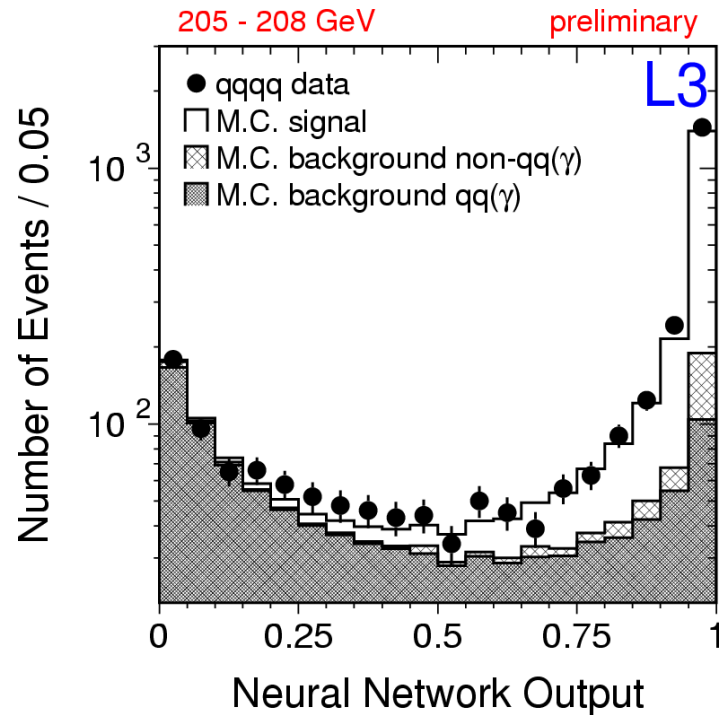
★ Further reduction requires $SU(2)_L \otimes U(1)_Y$ symmetry

- | | |
|--|---------------------------------------|
| ① $\kappa_Z = \kappa_\gamma \tan^2 \theta_W$ | $\kappa_Z = \kappa_\gamma = 1$ (SM) |
| ② $\lambda_Z = \lambda_\gamma$ | $\lambda_Z = \lambda_\gamma = 0$ (,,) |
| ③ g_1^Z | $g_1^Z = 1$ (,,) |

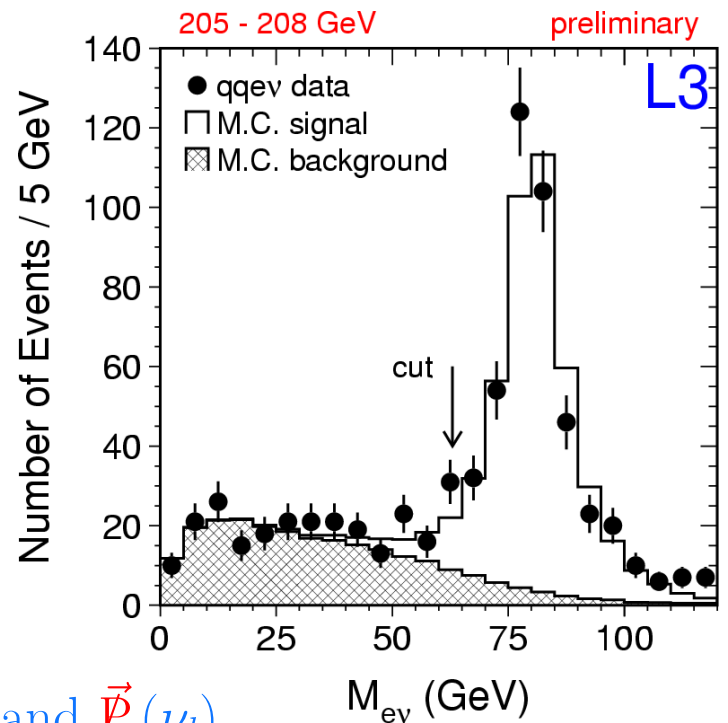


WW Events

- 46% $q\bar{q}'q'\bar{q} \Rightarrow$ Four jets
 - ▮ Fully balanced event
 - ▮ Large multiplicity
 - ▮ Bkg from $q\bar{q}(\gamma)$, ZZ
 - ▮ NN-based selection



- 44% $q\bar{q}'l\nu \Rightarrow$ Two jets, one lepton and $\vec{P}(\nu_l)$
 - ▮ Well isolated lepton
 - ▮ Large multiplicity
 - ▮ Cut-based selection

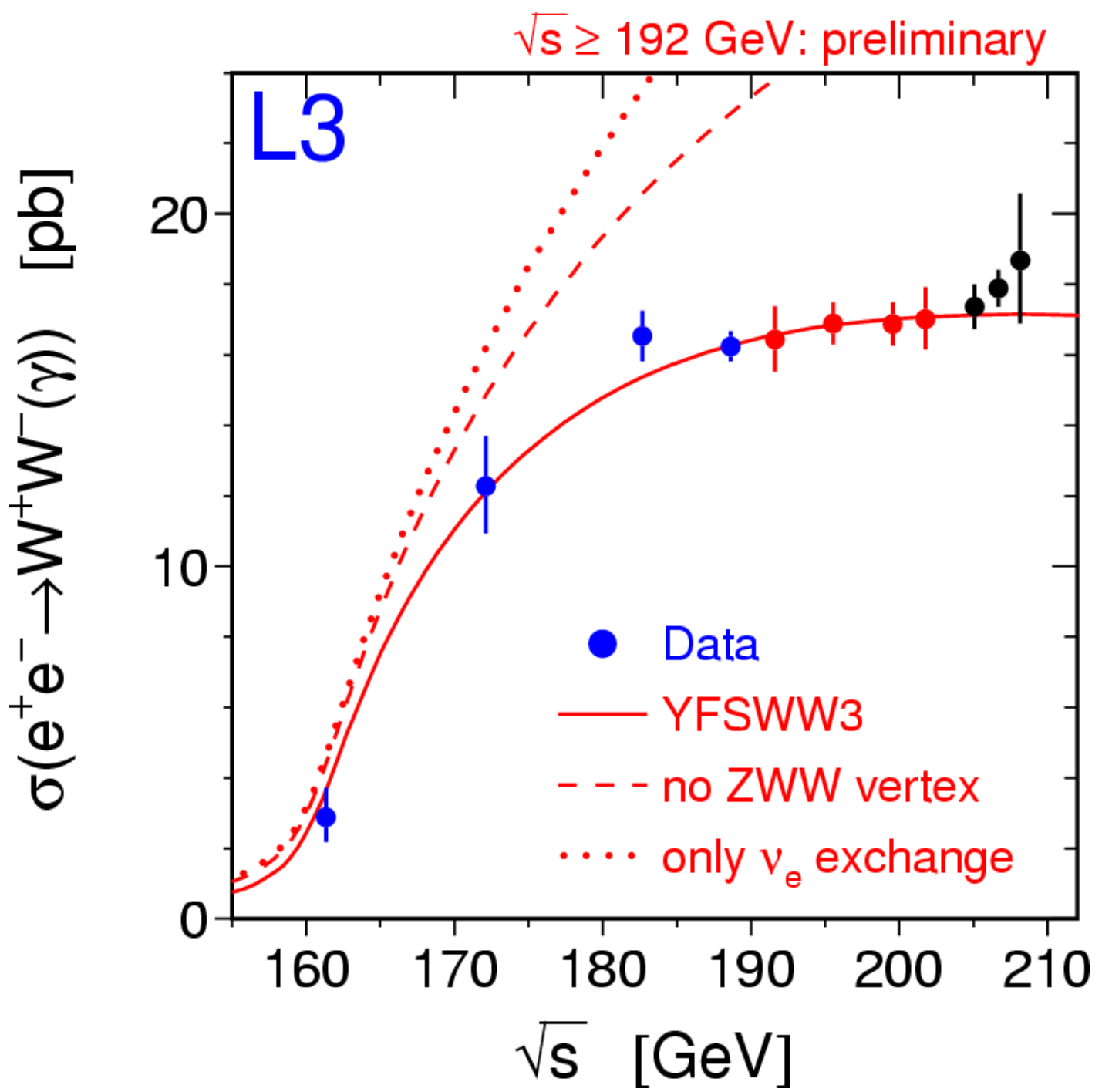


- 10% $l\bar{\nu}l'\nu' \Rightarrow$ Two leptons and $\vec{P}(\nu_l)$
 - ▮ Ask for 2 energetic and acoplanar leptons
 - ▮ Reject hadronic events using multiplicity



WW Production Cross section

- σ_{WW} is determined by fitting the total likelihood which is the product of $\mathcal{P}(N_i, \mu_i)$ for each i -th process

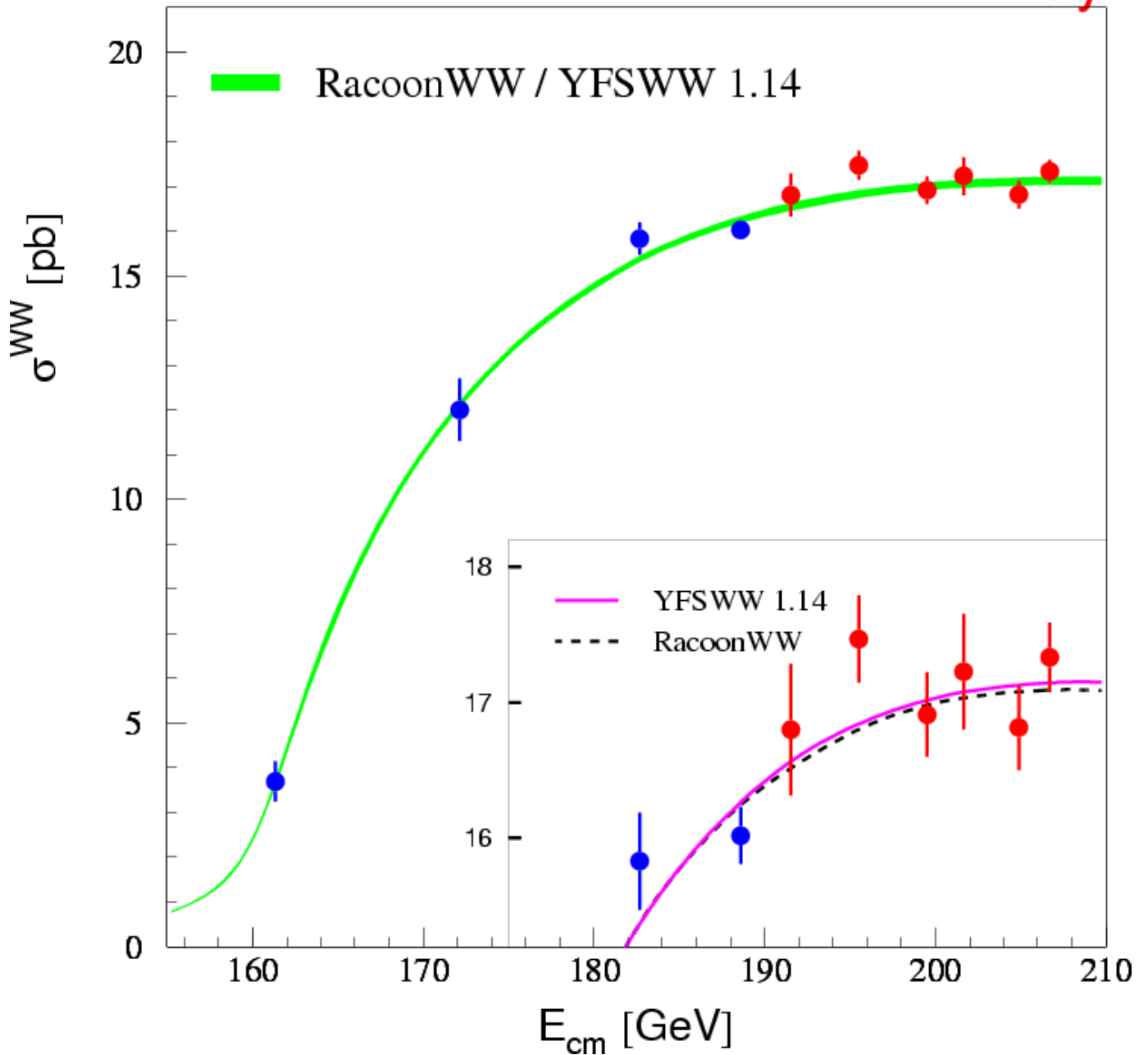




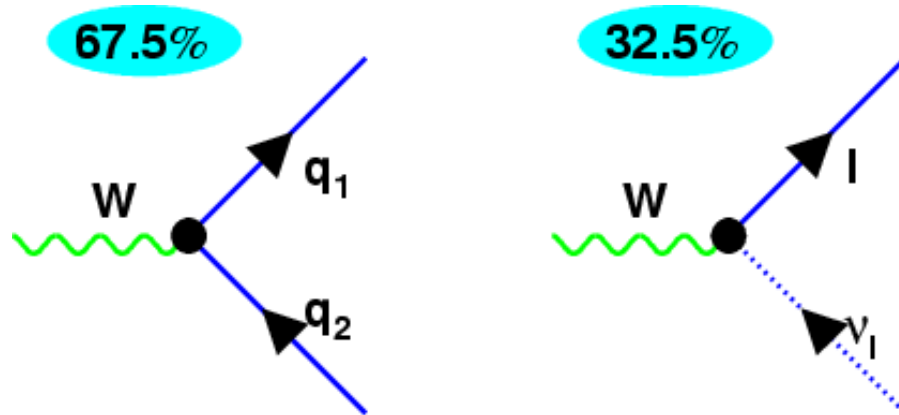
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LEP

Preliminary



✓ σ_{WW} already puts stringent constraints on TGC excluding models without ZWW and γWW vertex

**W-Decay Branching Fractions**

- σ_i for signal process i is $r_i\sigma_{WW}$, with r_i given in terms of hadronic and leptonic B.F. of W
 - $r_{qqqq} = [B(W \rightarrow qq)]^2$
 - $r_{qql\nu} = 2B(W \rightarrow qq)B(W \rightarrow l\nu)$
 - $r_{l\nu l\nu} = [B(W \rightarrow l\nu)]^2$
 - $r_{l\nu l'\nu'} = 2B(W \rightarrow l\nu)B(W \rightarrow l'\nu')$
- Sum of the hadronic and leptonic B.F. is constrained to unity

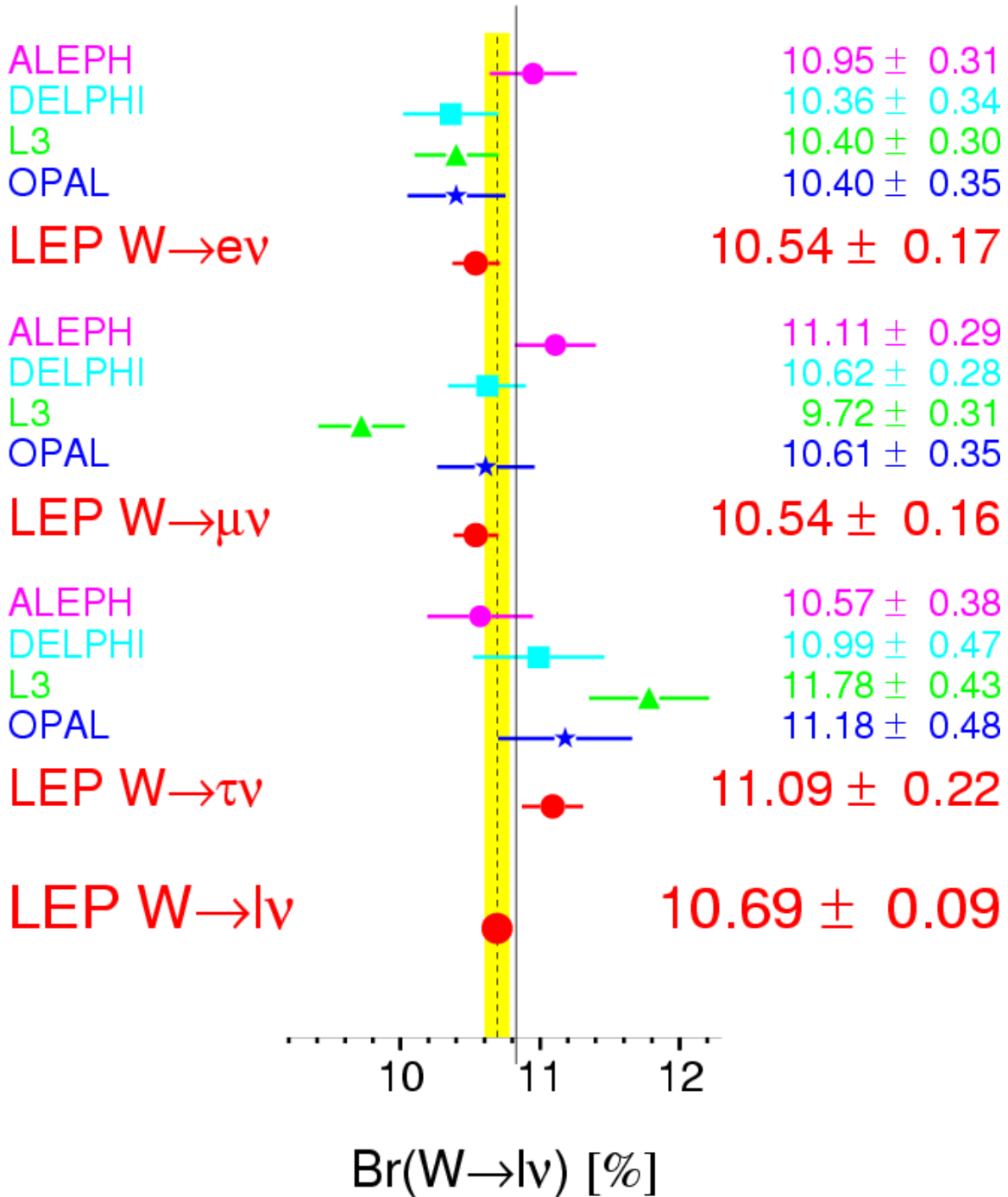
Branching Fraction[%]	Lepton Non-Universality	Lepton Universality
$W \rightarrow e\nu$	$10.40 \pm 0.26 \pm 0.14$	-
$W \rightarrow \mu\nu$	$9.72 \pm 0.27 \pm 0.15$	-
$W \rightarrow \tau\nu$	$11.78 \pm 0.38 \pm 0.21$	-
$W \rightarrow l\nu$	-	$10.55 \pm 0.13 \pm 0.11$
$W \rightarrow qq$	$68.10 \pm 0.41 \pm 0.33$	$68.34 \pm 0.40 \pm 0.33$



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Winter 01 - Preliminary - [161-207] GeV

W Leptonic Branching Ratios

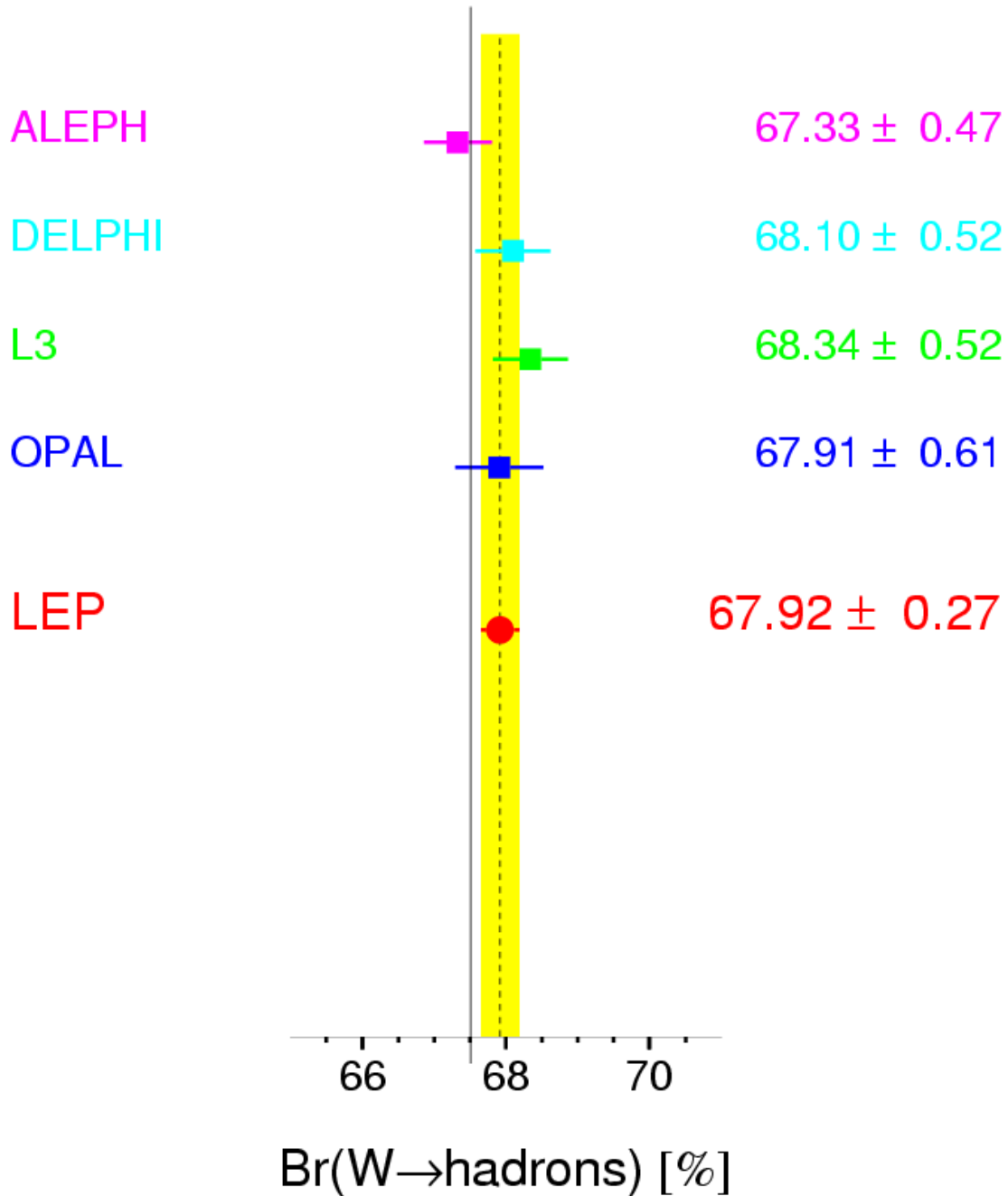




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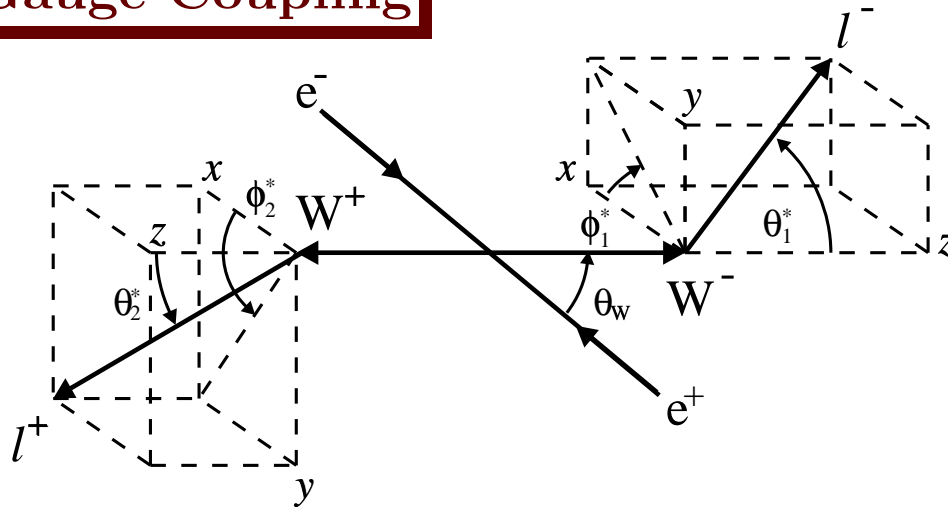
Winter 01 - Preliminary - [161-207] GeV

Br(W→hadrons) [%]

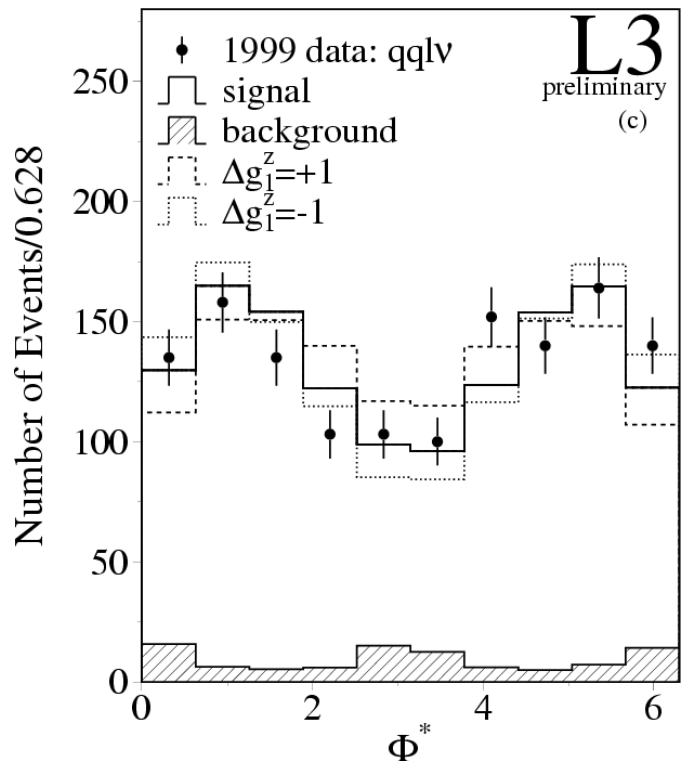
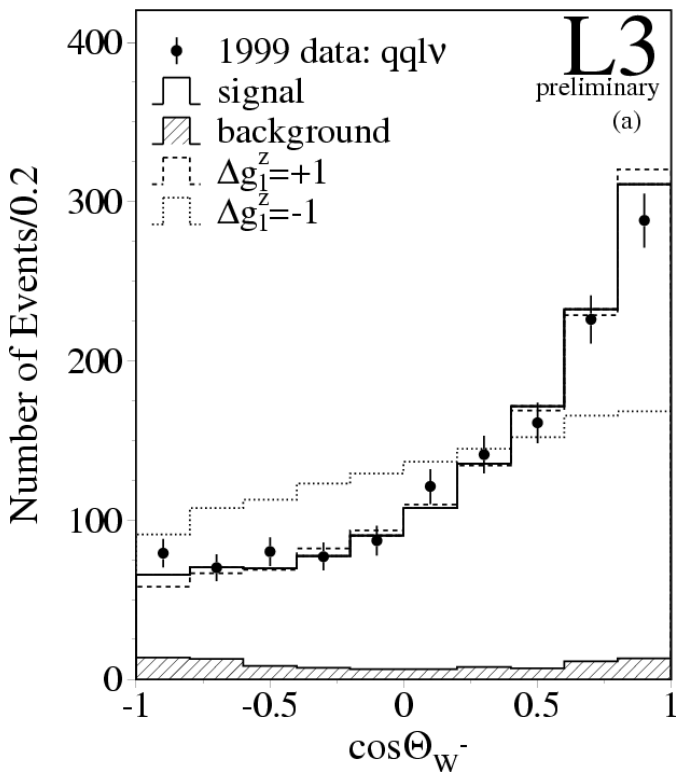




Triple Gauge Coupling

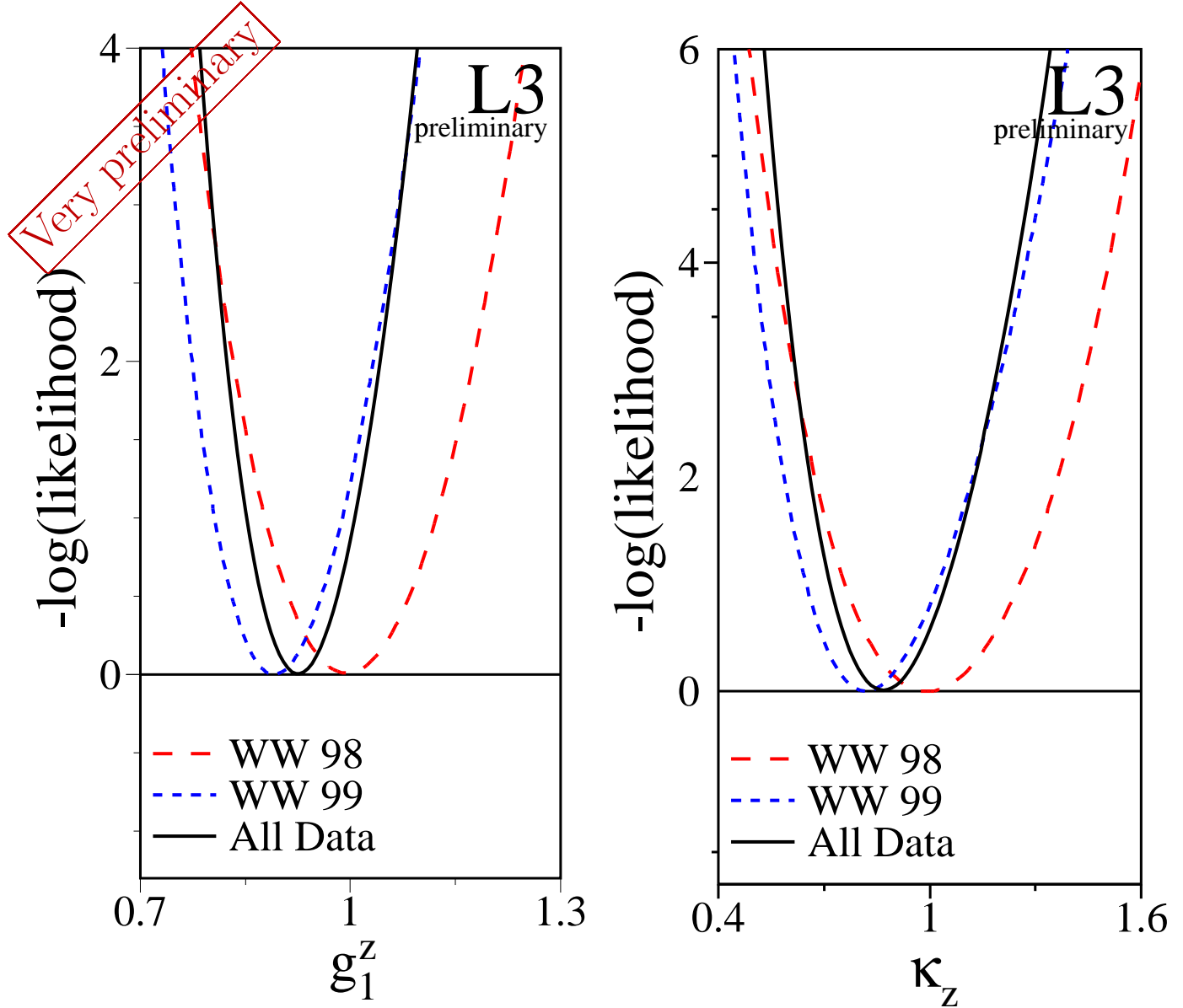


- Use W -decay as the polarimeter
 - $\Rightarrow \cos\theta_W$, the decay polar angle of the W^-
 - $\Rightarrow \cos\theta_1^*, \phi_1^*$ of the fermion in the W^- rest-frame
 - $\Rightarrow \cos\theta_2^*, \phi_2^*$ of the anti-fermion in the W^+ rest-frame





- 👉 $\cos(\theta_W)$: Highest sensitivity to TGC
- 👉 Sensitivity increasing with \sqrt{s}

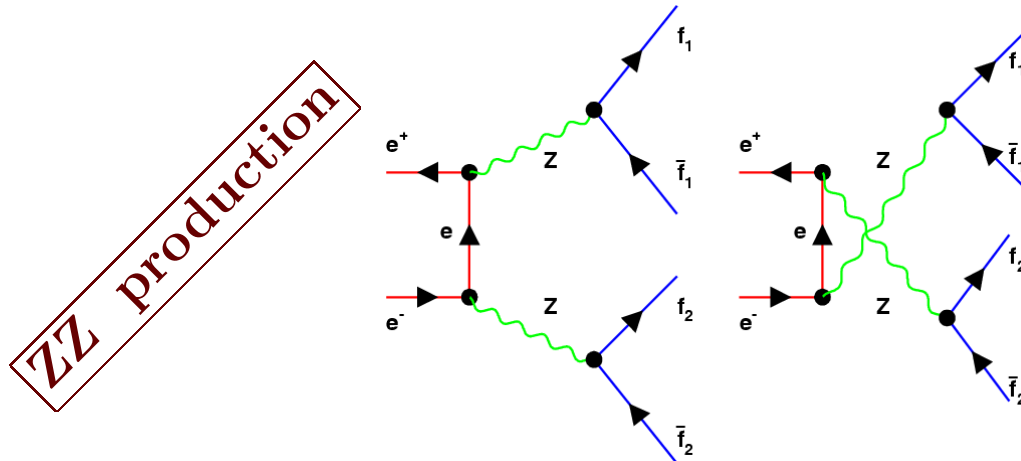


Limits on TGC

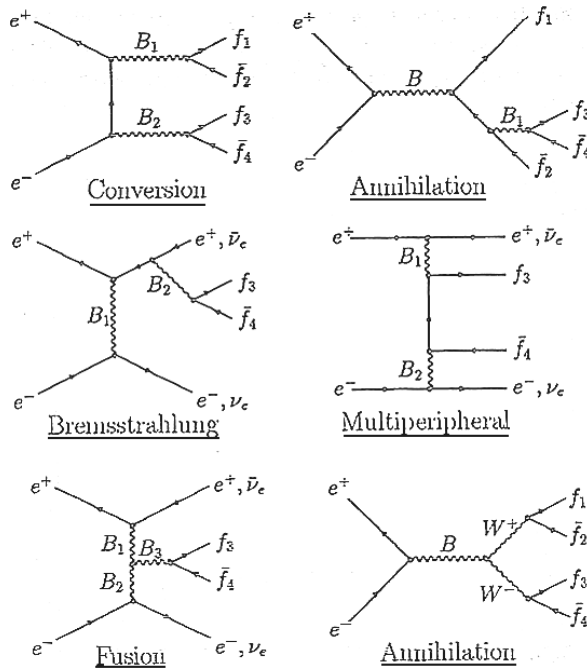
$0.82 < g_1^Z < 1.04$	$-0.34 < \lambda_Z < 0.16$
$0.66 < \kappa_Z < 1.12$	$-0.19 < \lambda_\gamma < 0.05$
$0.73 < \kappa_\gamma < 1.20$	$-0.52 < g_5^Z < 0.42$



➔ Z-pair production is mainly via t and u channel electron exchange (Neutral Current 02 diagram)



➔ Other potential sources of 4-fermion final states

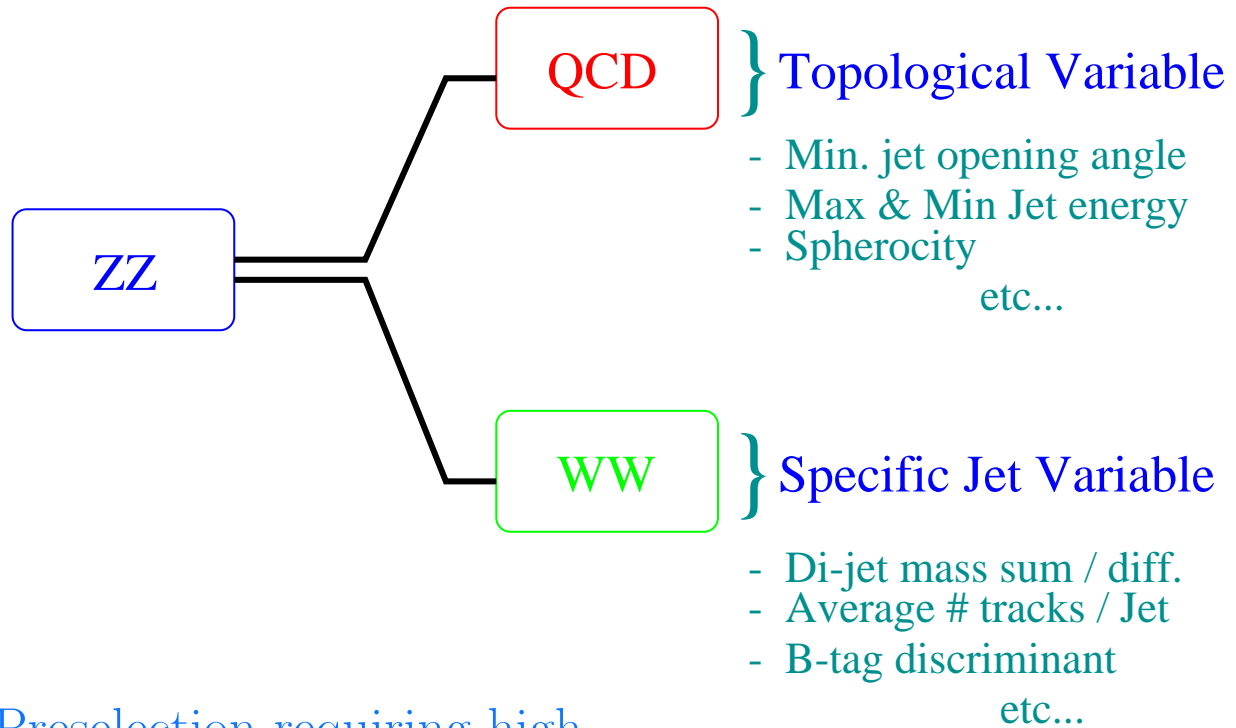


➔ Define phase space cuts

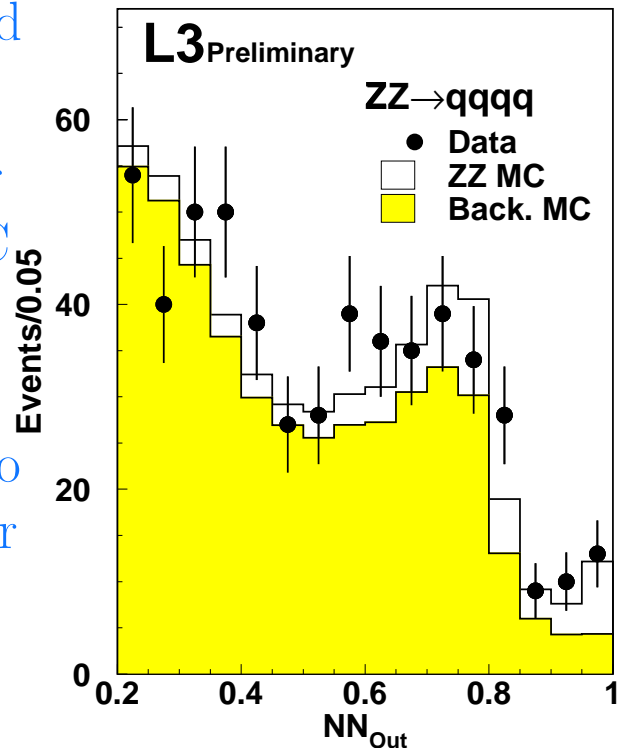
- $M_{f_1\bar{f}_1, f_2\bar{f}_2} \in 70-105 \text{ GeV vs. } \gamma^*$ exchange
- $M_{f_1\bar{f}_2, f_2\bar{f}_1} \notin 75-85 \text{ GeV vs. } WW$ production
- $|\cos \theta_e| < 0.95$ vs. Multi-peripheral diagram



$ZZ \rightarrow q\bar{q}q\bar{q}$ (Neural Network approach)

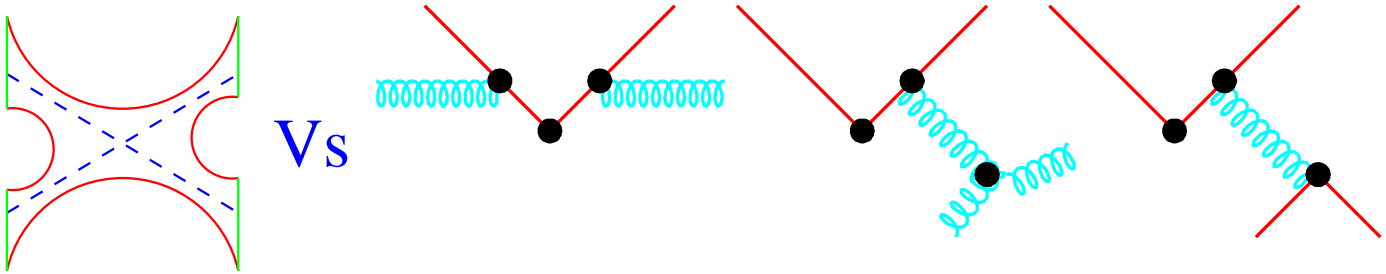


- Preselection requiring high multiplicity and well balanced events
- Force the calorimetric cluster to form four jets and do a 4C fit requiring conservation of energy-momentum
- Train two Neural Networks to take care of QCD and W-pair

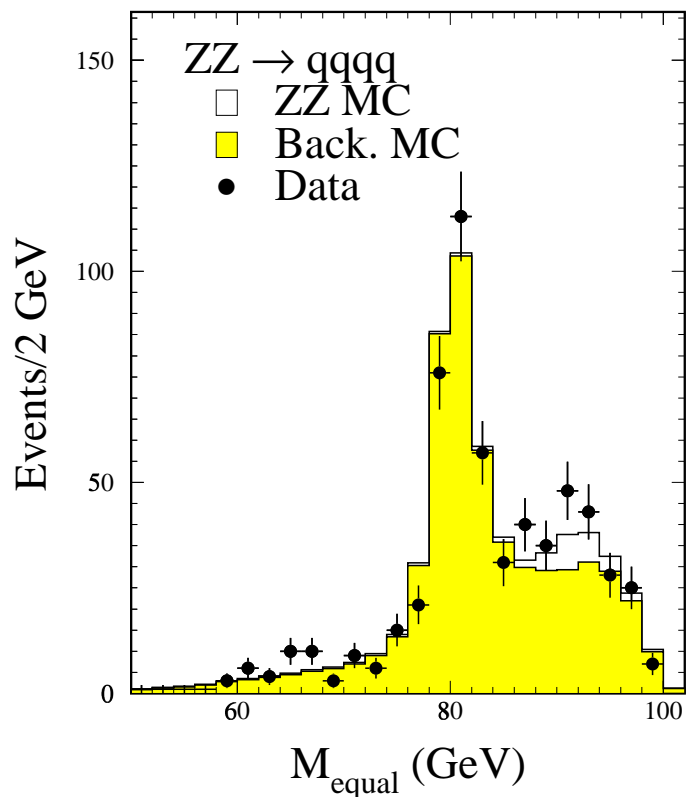
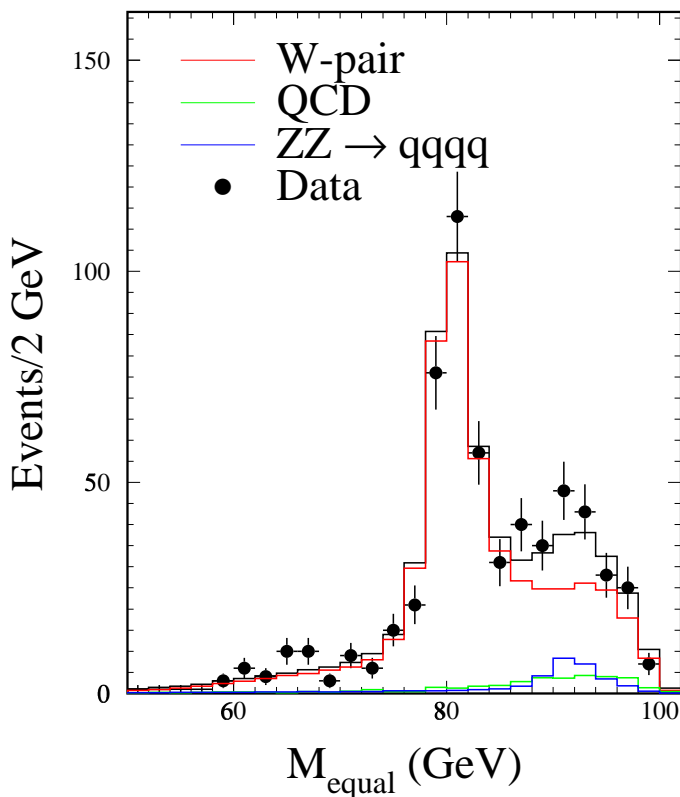




$ZZ \rightarrow q\bar{q}q\bar{q}$ (Special Physics Variables)



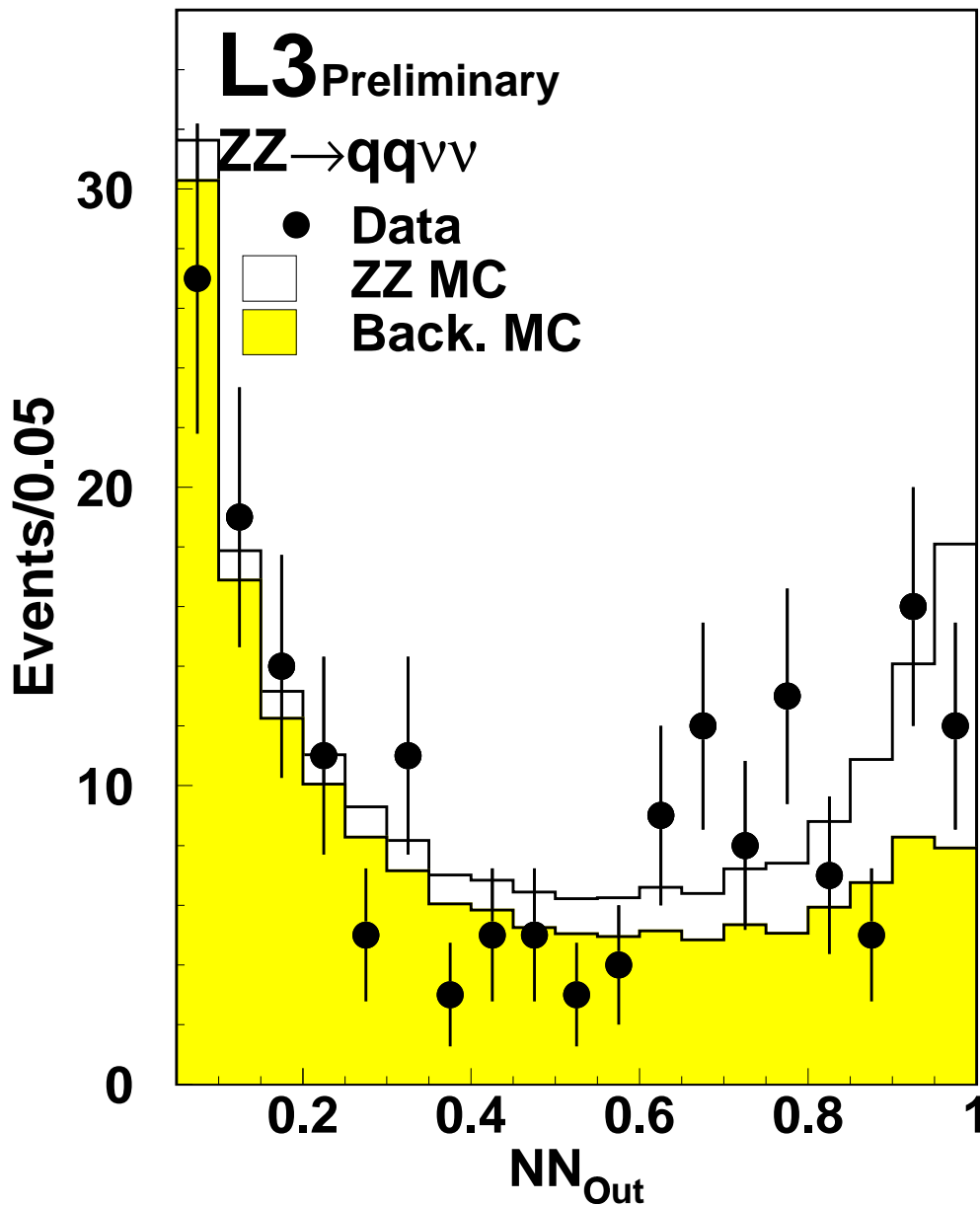
- Pair the jets as 1st, 2nd and 3rd pair with increasing $\Delta\gamma$
- Find out $(\gamma_{L2} + \gamma_{L3})$, the larger boosts for 2nd and 3rd pair
- Define triple jet boost: $\max(\gamma_{123}, \gamma_{134}, \gamma_{234})$ with $\gamma_{ijk} = \frac{E_{ijk}}{M_{ijk}}$
- Restrict on these two Sp. Phy. Var. to cut down QCD bckg
- Extract ZZ cross-section fitting the resultant mass spectrum





$ZZ \rightarrow q\bar{q}\nu\bar{\nu}$

- Though reasonably high statistics has to suffer from huge background comprising of single W/Z production and QCD
- After trivial preselection a Neural Network is trained plugging in various kinematical and topological variables





$$ZZ \rightarrow q\bar{q}l^+l^-$$

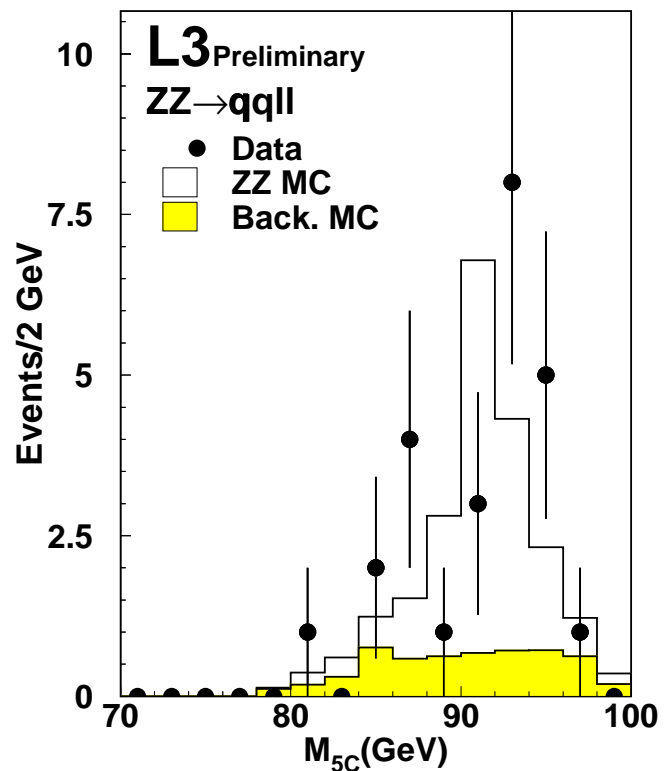
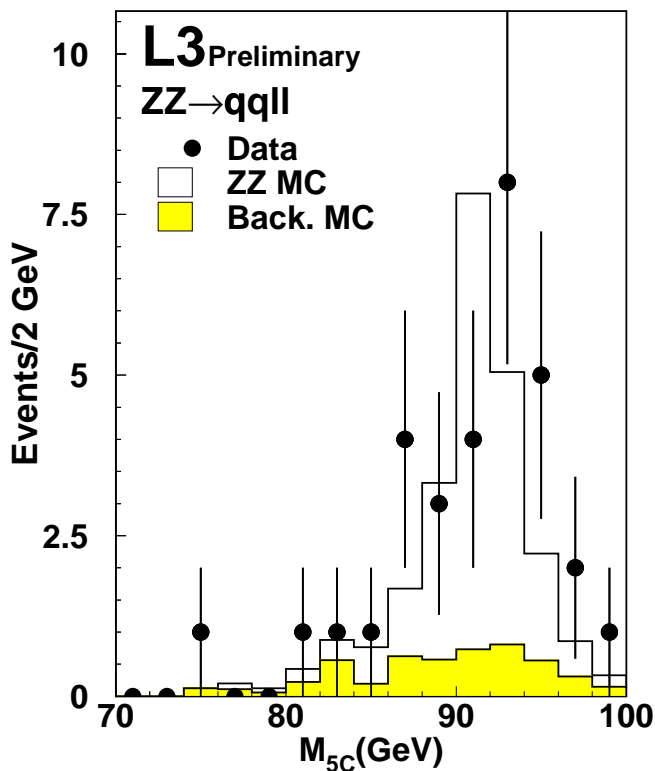
- Clean channel with two identified leptons and hadronic jets
- Statistics is quite poor because of small branching ratio
- Algorithm has to be optimised keeping proper balance between lepton identification and kinematic requirement

Lepton Identification

- well isolated $e(\gamma)$, μ (MIP) or hadronic τ seen as a narrow deposition of energy with low track/cluster multiplicity

Kinematic requirement

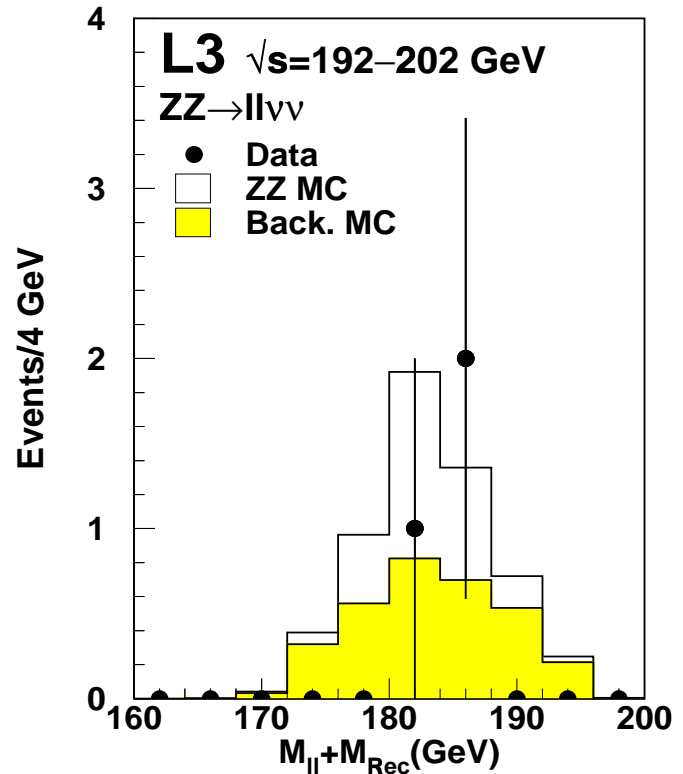
- Require m_{ll} and m_{jj} to be close to m_Z
- Additional constraint on α_{ll} and α_{jj}





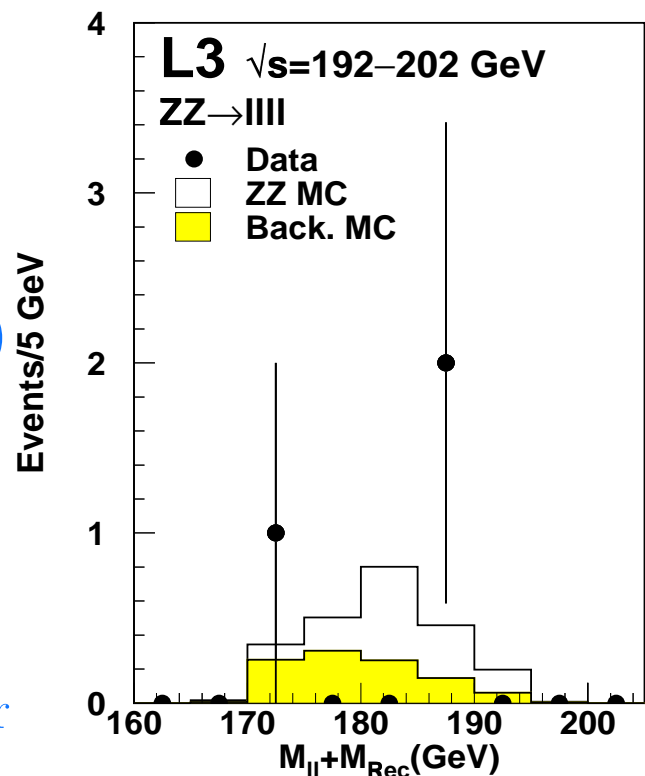
$$ZZ \rightarrow \ell^+ \ell^- \nu \bar{\nu}$$

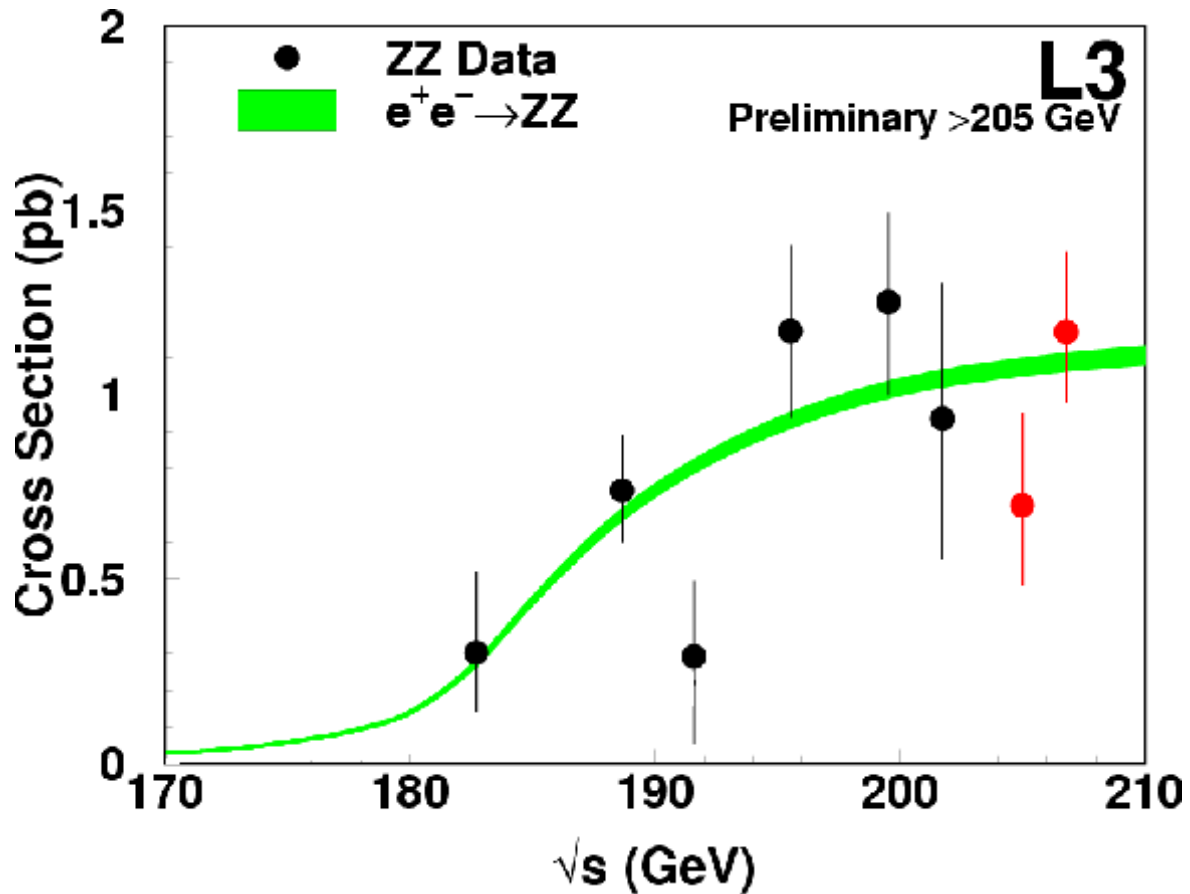
- Two same flavour leptons and missing neutrinos
- Main background: Fermion pair & non-reso processes
- Dilepton and recoil mass should be close to m_Z
- Also cut on acolinearity & acoplanarity



$$ZZ \rightarrow \ell^+ \ell^- \ell^+ \ell^-$$

- Cleanest channel with well balanced topology and low multiplicity
- Lowest branching ratio (2%)
- Best lepton-pair is the pair with m_{II} closest to m_Z for same flavour leptons
- Cut on invariant and recoil mass of the best lepton pair



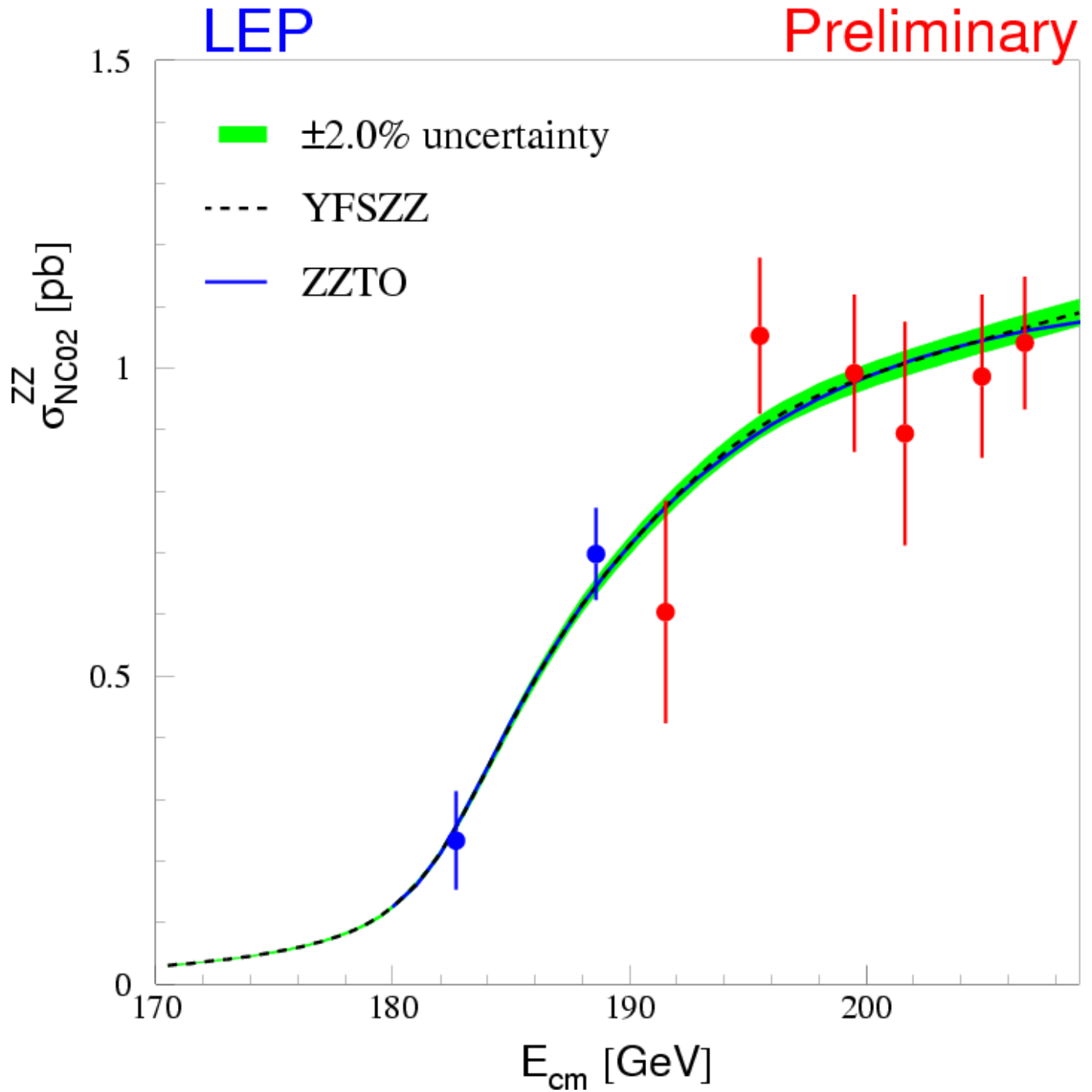
**ZZ Production Cross section**

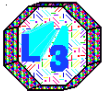
\sqrt{s} (GeV)	σ^{SM} (pb)	$\sigma^{measured}$ (pb)	$\mathcal{R} = \frac{\sigma^{NC02}}{\sigma^{cut}}$
192	0.79	$0.29 \pm 0.22 \pm 0.02$	1.0000
196	0.92	$1.17 \pm 0.24 \pm 0.09$	1.0085
200	1.00	$1.25 \pm 0.25 \pm 0.09$	1.0000
202	1.03	$0.93 \pm 0.38 \pm 0.07$	1.0215
205	1.07	$0.70^{+0.25}_{-0.22}$	0.9857
207	1.08	$1.18^{+0.21}_{-0.20}$	0.9915



LEP-wide result

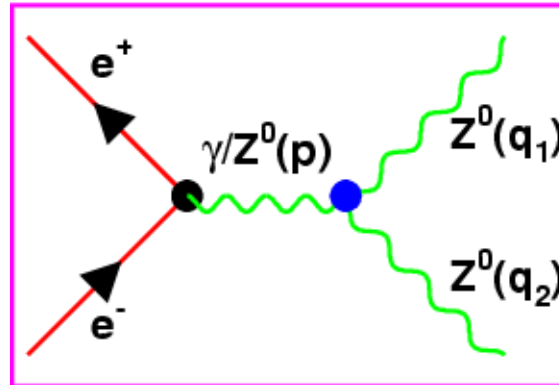
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Anomalous Couplings from Z-pair

???



$$-i\Gamma_{ZZV}^{\alpha\beta\mu}(q_1, q_2, p) = \frac{s-m_V^2}{m_Z^2} (f_4^V (p^\alpha g^{\mu\beta} + p^\beta g^{\mu\alpha}) + f_5^V \epsilon^{\mu\alpha\beta\rho} (q_1 - q_2)_\rho)$$

f_4^V (CP-violating) and f_5^V (CP-conserving) are absent in SM

► To find out the impact of non-zero f_4^V and f_5^V :

- ✍ Re-weight MC sample including Anomalous Couplings
- ✍ Maximum likelihood fit to the most significant distribution
- ✍ Repeat the exercise for each f_i^V , fixing others to zero

95 % C.L. limits

$$-0.68 \leq f_4^Z \leq 0.68$$

$$-1.03 \leq f_5^Z \leq 1.13$$

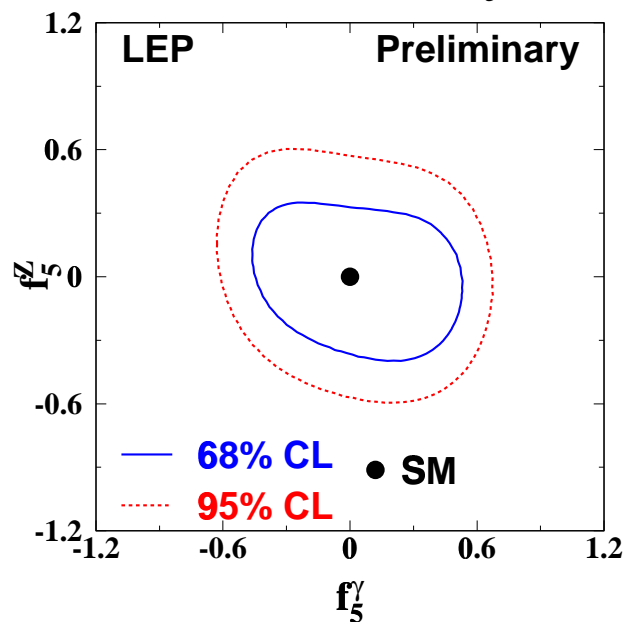
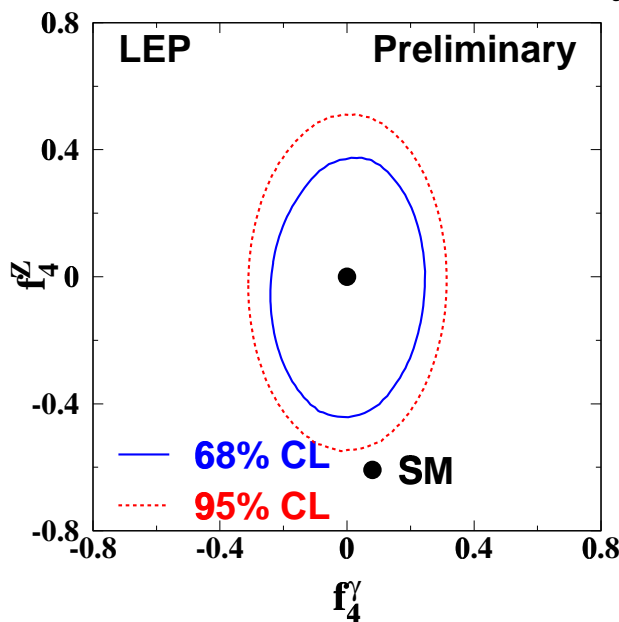
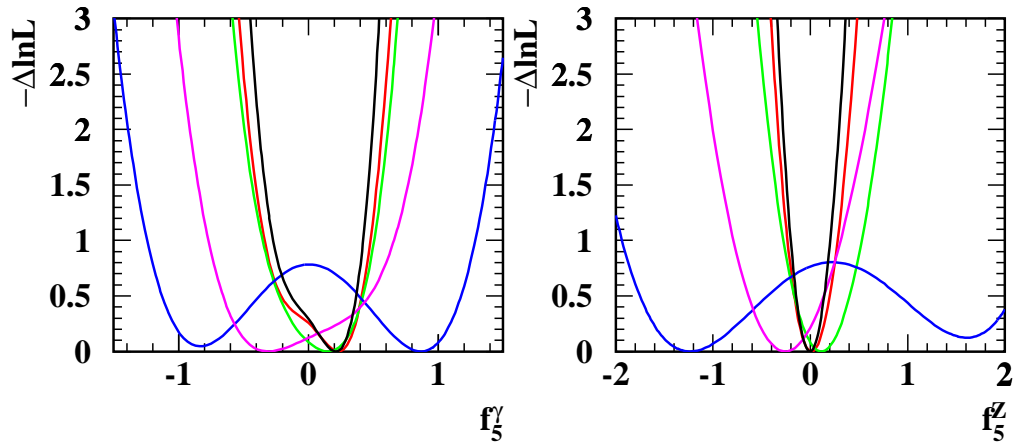
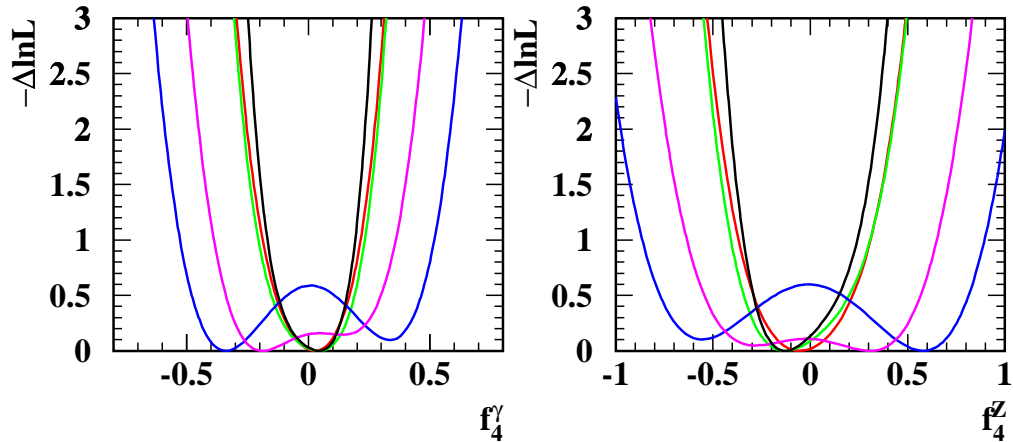
$$-0.40 \leq f_4^\gamma \leq 0.40$$

$$-0.84 \leq f_5^\gamma \leq 0.87$$



Preliminary

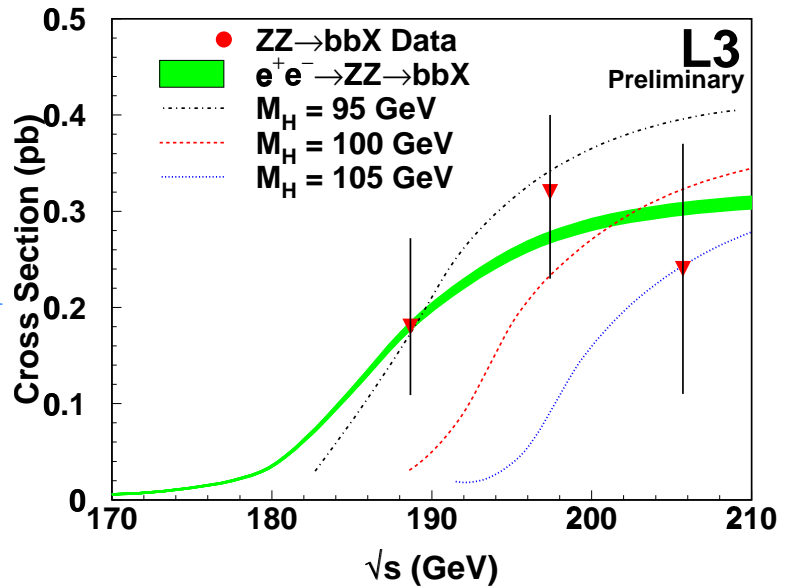
LEP **ALEPH+DELPHI+ L3+OPAL**





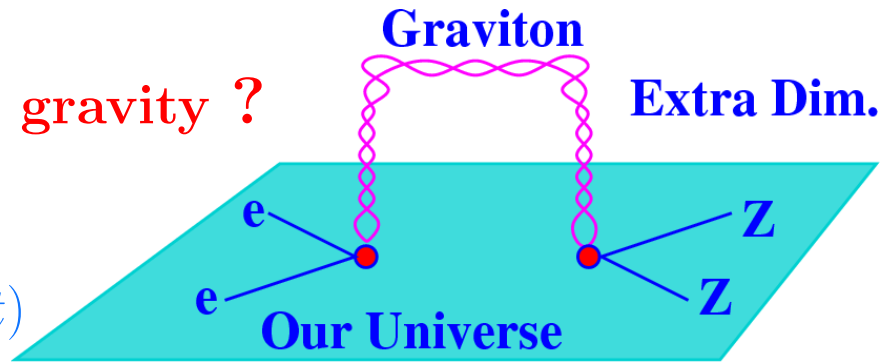
Benchmark to Higgs at LEP

- Verifies the capability of our detector to discover Higgs
- Because of identical final states and similar value of cross section



➡ And how about gravity ?

$$\frac{d\sigma}{d\Omega}(s, t) = \frac{d\sigma^{SM}}{d\Omega}(s, t) + \frac{\lambda}{M_S^4} \alpha_{Inter}(s, t) + \frac{\lambda^2}{M_S^8} \beta_{LSG}(s, t)$$



- ✍ Fit to the σ^{ZZ} or angular information
- ✍ Extract 95% C.L. lower limits on M_S :

$\lambda = -1$	$\lambda = +1$
1.2 TeV	1.2 TeV



Summary



- Over the past several years, extreme precision measurement and new energy frontier have been the trade marks of LEP
- Here we have discussed a particular case of vector boson pair productions and various possible gauge-boson couplings
- All our results, are in excellent agreement with the Standard Model predictions, without any evidence to go beyond it